WEBVTT

00:00:03.160 --> 00:00:04.990 - First good afternoon, everyone,

 $00{:}00{:}04.990 \dashrightarrow 00{:}00{:}09.540$ and I hope you somehow managed to enjoy your winter break

 $00:00:09.540 \longrightarrow 00:00:11.360$ you in this special time.

 $00:00:11.360 \longrightarrow 00:00:16.310$ And this is our first talk, seminar talk this semester,

 $00:00:16.310 \longrightarrow 00:00:18.600$ and we have invited Dr. Eugene Katsevich

 $00:00:18.600 \longrightarrow 00:00:22.300$ from Wharton School at UPenn.

 $00{:}00{:}22.300 \dashrightarrow 00{:}00{:}26.340$ And he's going to present something really exciting,

 $00:00:26.340 \longrightarrow 00:00:30.460$ I know his original work on statistical analysis

 $00:00:32.284 \longrightarrow 00:00:34.440$ single cell CRISPR screening.

 $00{:}00{:}34.440 \dashrightarrow 00{:}00{:}39.440$ And I will hand it over to Eugene from now, from here.

 $00:00:39.810 \longrightarrow 00:00:42.840$ And, but if Eugene wanted to start or wait one

 $00:00:42.840 \longrightarrow 00:00:45.253$ or two minutes to start, it's up to you.

00:00:46.190 --> 00:00:49.433 - Yeah maybe, I mean, yeah, I don't know.

 $00{:}00{:}50.910 \dashrightarrow 00{:}00{:}53.200$ If people will filter in, may be I'll wait another minute

00:00:53.200 --> 00:00:56.590 or two, 'cause I think, I feel like the first part

 $00{:}00{:}56.590 \dashrightarrow 00{:}00{:}58.180$ of the talk is very important.

 $00{:}00{:}58.180 --> 00{:}01{:}01.040$ So I think if people missed the first part of the talk,

 $00:01:01.040 \longrightarrow 00:01:03.920$ then it'll be maybe hard to follow along later.

 $00:01:03.920 \longrightarrow 00:01:08.920$ So I'm happy to wait just another minute or two.

 $00:01:09.440 \longrightarrow 00:01:12.450$ I understand perfectly that it's a strange time

 $00:01:12.450 \longrightarrow 00:01:15.180$ for everyone, so for all those who were able

00:01:15.180 --> 00:01:17.310 to make it today, I really appreciate

 $00:01:17.310 \longrightarrow 00:01:20.223$ your adjusting the schedule.

00:01:22.270 --> 00:01:25.390 Also maybe one remark I can make is that,

 $00:01:25.390 \longrightarrow 00:01:27.400$ since it is a smaller audience,

 $00:01:27.400 \longrightarrow 00:01:30.790$ I think we can make this seminar just about

 $00:01:30.790 \longrightarrow 00:01:32.420$ as interactive as you want.

 $00:01:32.420 \longrightarrow 00:01:36.960$ So you should definitely feel free to stop me

 $00:01:36.960 \longrightarrow 00:01:37.923$ at any point.

00:01:38.870 --> 00:01:40.370 I don't know how many of you are familiar

 $00{:}01{:}40.370 \dashrightarrow 00{:}01{:}43.440$ with the CRISPR screen stuff I'm gonna talk about,

 $00{:}01{:}43.440 {\:\raisebox{--}{\text{--}}}{\:\raisebox{--}{\text{--}}} 00{:}01{:}47.533$ but I'm very happy to just make it very interactive.

 $00:01:54.285 \longrightarrow 00:01:58.367$ I will maybe start sharing my screen

00:01:58.367 --> 00:02:00.040 and maybe I'll start launching

 $00{:}02{:}00.040 \dashrightarrow 00{:}02{:}04.023$ into some of the introductory things.

 $00:02:12.730 \longrightarrow 00:02:13.900$ So...

 $00:02:16.270 \longrightarrow 00:02:18.123$ Oh wow, wait, is this the...

 $00{:}02{:}20.660 \dashrightarrow 00{:}02{:}23.910$ I greatly apologize.

 $00:02:23.910 \longrightarrow 00:02:28.300$ Clearly, the label on my slides is wrong.

00:02:28.300 --> 00:02:30.520 I have updated my slides since then,

00:02:30.520 --> 00:02:32.730 but I think the title page has not been updated,

 $00{:}02{:}32.730 \dashrightarrow 00{:}02{:}34.503$ that's extremely embarrassing.

00:02:39.807 --> 00:02:43.360 Well, maybe then I should skip past this slide very quickly.

00:02:43.360 --> 00:02:47.260 So hello everyone, thank you so much

 $00:02:47.260 \longrightarrow 00:02:48.723$ for making it to my talk.

 $00{:}02{:}49.760 --> 00{:}02{:}52.440$ Today, I'll be talking about some Statistical Analysis Tools

00:02:52.440 --> 00:02:54.590 for Single Cell CRISPR Screens.

 $00:02:54.590 \longrightarrow 00:02:56.240$ So the most important thing to take away

 $00:02:56.240 \longrightarrow 00:02:58.890$ from this slide are my collaborators here.

 $00{:}02{:}58.890 \dashrightarrow 00{:}03{:}02.100$ So Tim Barry is a grad student

 $00:03:02.100 \longrightarrow 00:03:03.723$ of mine who was actually at CMU.

00:03:05.340 --> 00:03:07.670 I am jointly advising him with Kathryne Roeder

 $00{:}03{:}07.670 \dashrightarrow 00{:}03{:}12.670$ also at CMU, who is used to be my postdoc advisor.

 $00:03:15.060 \longrightarrow 00:03:17.163$ So I'll skip quickly to the next slide.

 $00:03:20.000 \longrightarrow 00:03:22.060$ So here's the motivation.

00:03:22.060 --> 00:03:25.160 And by the way, if anyone has joined recently,

00:03:25.160 --> 00:03:27.853 please just stop me at any point.

 $00:03:28.990 \longrightarrow 00:03:29.980$ So here's the motivation.

 $00:03:29.980 \longrightarrow 00:03:31.490$ So we have done lots

 $00{:}03{:}31.490 \dashrightarrow 00{:}03{:}34.540$ and lots of genome wide association studies to date.

 $00:03:34.540 \longrightarrow 00:03:37.100$ So we have a lot of little markers

00:03:37.100 --> 00:03:41.430 along the genome that we think are associated with diseases.

 $00:03:41.430 \longrightarrow 00:03:43.190$ And so the question is what's the next step?

 $00:03:43.190 \longrightarrow 00:03:45.960$ Like how do we actually translate these

 $00:03:45.960 \longrightarrow 00:03:48.750$ into insights into diseases?

00:03:48.750 --> 00:03:50.800 And hopefully later on things like,

 $00:03:50.800 \longrightarrow 00:03:52.040$ the rapeutics and so on.

 $00{:}03{:}52.040 \dashrightarrow 00{:}03{:}55.680$ So what we need to do is we need to understand how

 $00:03:55.680 \longrightarrow 00:03:57.690$ like basically the mechanisms

 $00:03:57.690 \longrightarrow 00:04:00.870$ by what mechanism are these associations actually resulting

 $00:04:00.870 \longrightarrow 00:04:02.640$ in an increased disease risk.

 $00:04:02.640 \longrightarrow 00:04:04.710$ So here's a typical situation here

 $00:04:04.710 \longrightarrow 00:04:07.760$ as our genome and here's a disease association

 $00:04:07.760 \longrightarrow 00:04:10.660$ and frequently these disease associations

 $00:04:10.660 \longrightarrow 00:04:13.330$ they might not take place within genes.

 $00:04:13.330 \longrightarrow 00:04:16.103$ And so that makes them pretty hard to interpret.

 $00{:}04{:}17.500 \dashrightarrow 00{:}04{:}22.500$ So what's hypothesized to be the case here is that instead

 $00:04:23.560 \longrightarrow 00:04:28.560$ of disrupting genes directly, these variants

 $00{:}04{:}29.300 \dashrightarrow 00{:}04{:}33.330$ are disrupting regulatory elements such as enhancers.

 $00:04:33.330 \longrightarrow 00:04:36.090$ So let's just like briefly here review

 $00:04:37.503 \longrightarrow 00:04:40.800$ that an enhancer is a region of the genome.

- $00:04:40.800 \longrightarrow 00:04:42.330$ That could be a certain distance
- $00:04:42.330 \longrightarrow 00:04:45.160$ from the gene that actually folds
- 00:04:45.160 --> 00:04:46.970 in three-dimensional space to come
- $00:04:46.970 \longrightarrow 00:04:51.970$ in close proximity to the promoter of the gene.
- $00{:}04{:}52.250 \dashrightarrow 00{:}04{:}54.930$ And essentially the enhancers job is to recruit a lot
- $00:04:54.930 \longrightarrow 00:04:56.610$ of the machinery that actually is going to lead
- $00{:}04{:}56.610 \dashrightarrow 00{:}04{:}58.450$ to the expression of this gene.
- $00:04:58.450 \longrightarrow 00:05:00.450$ So if you disrupt the enhancer
- $00:05:00.450 \longrightarrow 00:05:02.150$ then this will disrupt the recruitment
- $00:05:02.150 \longrightarrow 00:05:04.420$ of all of these different transcription factors
- $00:05:04.420 \longrightarrow 00:05:08.763$ which will then end up causing some trouble.
- $00{:}05{:}09.700 \dashrightarrow 00{:}05{:}14.080$ And so it's this sort of like, for example, in this case
- $00{:}05{:}14.920 \dashrightarrow 00{:}05{:}16.610$ let's say that this disease association
- $00{:}05{:}16.610 \dashrightarrow 00{:}05{:}20.850$ as is disrupting enhanced or one, well, this might suggest
- $00:05:20.850 \longrightarrow 00:05:24.370$ if enhancer one is regulating gene two, that
- $00:05:24.370 \longrightarrow 00:05:28.150$ the disease mechanism is actually proceeding essentially
- $00:05:28.150 \longrightarrow 00:05:30.653$ or being mediated by the expression of gene too.
- $00:05:32.120 \longrightarrow 00:05:37.120$ And so this would be a very great
- 00:05:37.760 --> 00:05:40.600 and clean way of interpreting GWAS hits.
- $00:05:40.600 \longrightarrow 00:05:44.320$ But the problem is that we don't actually know
- $00:05:44.320 \longrightarrow 00:05:45.960$ or we have a very hazy sense
- 00:05:45.960 --> 00:05:49.640 of which enhancers actually regulate which genes.
- $00:05:49.640 \longrightarrow 00:05:52.100$ So this is kind of a difficult problem
- $00:05:52.100 \longrightarrow 00:05:53.690$ for a few different reasons.
- $00:05:53.690 \longrightarrow 00:05:56.760$ The first reason is that there's a potentially
- 00:05:56.760 --> 00:06:00.160 many to many mapping between enhancers in genes.
- $00:06:00.160 \longrightarrow 00:06:03.430$ So in enhancer it can regulate multiple genes

 $00{:}06{:}03.430 \dashrightarrow 00{:}06{:}07.540$ and a single gene can be regulated by multiple enhancers.

 $00:06:07.540 \longrightarrow 00:06:10.270$ So the other thing is that any answers don't even

 $00{:}06{:}10.270 \dashrightarrow 00{:}06{:}13.320$ need to be all too close to the genes that they regulate.

 $00:06:13.320 \longrightarrow 00:06:17.690$ There could be situations like we saw here where

 $00:06:17.690 \longrightarrow 00:06:19.970$ the regulation can skip the adjacent gene

 $00:06:19.970 \longrightarrow 00:06:21.610$ and go to the next one.

 $00:06:21.610 \longrightarrow 00:06:24.150$ And so in general regulations can

 $00{:}06{:}24.150 \dashrightarrow 00{:}06{:}27.930$ are thought to happen within about a megabase distance

 $00:06:29.860 \longrightarrow 00:06:32.870$ in terms of the linear distance in the genome.

00:06:32.870 --> 00:06:36.390 So this is a hard problem, and it's basically

 $00:06:36.390 \longrightarrow 00:06:38.330$ the motivating problem for this talk

 $00:06:38.330 \longrightarrow 00:06:40.650$ which enhancers regulate which genes.

 $00:06:40.650 \longrightarrow 00:06:42.070$ This is a sort

 $00{:}06{:}42.070 \dashrightarrow 00{:}06{:}45.033$ of a very fundamental and important problem in genomics.

00:06:46.800 --> 00:06:51.800 So in today's talk, I'm going to first talk about

 $00:06:52.720 \longrightarrow 00:06:56.200$ a new assay called a single cell CRISPR screen

 $00:06:56.200 \longrightarrow 00:06:59.213$ that allows us to get at this question,

 $00:07:02.780 \longrightarrow 00:07:05.520$ then I'm gonna talk about the challenges

 $00:07:05.520 \longrightarrow 00:07:07.690$ that previous methods have encountered

 $00:07:07.690 \longrightarrow 00:07:10.160$ in analyzing these single cell CRISPR screen

 $00:07:10.160 \longrightarrow 00:07:14.350$ datasets, never propose a new methodology based

 $00:07:14.350 \longrightarrow 00:07:16.393$ on this idea of conditional resampling.

00:07:17.650 --> 00:07:20.320 And then I will show you how this works

 $00:07:20.320 \longrightarrow 00:07:22.583$ on real data and close with the discussion.

 $00:07:25.450 \longrightarrow 00:07:28.210$ So let me first introduce the biological assay here

 $00:07:28.210 \longrightarrow 00:07:31.140$ which is called the Single Cell CRISPR screen.

00:07:31.140 --> 00:07:34.070 So actually backing up a second,

 $00:07:34.070 \longrightarrow 00:07:35.230$ this is a very important problem

 $00:07:35.230 \longrightarrow 00:07:36.820$ and people have considered it before.

 $00:07:36.820 \longrightarrow 00:07:40.003$ So how do people typically approach gene-enhancer mapping?

 $00:07:41.230 \dashrightarrow 00:07:46.100$ I think the most common approach is what I call here

 $00:07:46.100 \longrightarrow 00:07:48.220$ an indirect observational approach.

 $00:07:48.220 \longrightarrow 00:07:49.600$ And there are many of these.

 $00:07:49.600 \longrightarrow 00:07:50.690$ So what this picture is,

 $00:07:50.690 \longrightarrow 00:07:53.640$ is a basically a more detailed picture

 $00{:}07{:}53.640 {\:{\mbox{--}}\!\!>} 00{:}07{:}56.840$ of what happens when an enhancer or a pictured here comes

 $00:07:56.840 \longrightarrow 00:08:00.080$ into contact with the promoter of a gene.

 $00:08:00.080 \longrightarrow 00:08:01.320$ There are lots of kind

 $00:08:01.320 \longrightarrow 00:08:05.510$ of indirect signals of this regulation.

 $00:08:05.510 \longrightarrow 00:08:08.027$ Obviously you have just the actual expression

00:08:08.027 --> 00:08:12.310 of the gene, but you'll have the confirmation

 $00:08:12.310 \longrightarrow 00:08:16.310$ of the chromatin in the vicinity of the promoter

 $00:08:16.310 \longrightarrow 00:08:18.060$ and in the enhancer

 $00{:}08{:}18.060 --> 00{:}08{:}21.890$ you have basically transcription factor binding data.

 $00:08:21.890 \longrightarrow 00:08:25.320$ And all of these data are essentially indirect ways

 $00:08:25.320 \longrightarrow 00:08:28.490$ of trying to make a conclusion

 $00{:}08{:}28.490 \dashrightarrow 00{:}08{:}31.220$ about which enhancers might be regulating which genes.

00:08:31.220 --> 00:08:33.147 So for example, using high C data

 $00:08:33.147 \longrightarrow 00:08:36.520$ if you find an enhancer to be a 3D contact

 $00{:}08{:}36.520 \dashrightarrow 00{:}08{:}39.235$ with the promoter, then this could be a single signal

 $00:08:39.235 \longrightarrow 00:08:41.973$ that there is some regulation going on.

 $00:08:43.350 \longrightarrow 00:08:45.030$ The issue is that these approaches have not

 $00:08:45.030 \longrightarrow 00:08:47.420$ proved very reliable at the end of the day.

 $00:08:47.420 \longrightarrow 00:08:49.040$ These are observational approaches,

00:08:49.040 --> 00:08:51.450 and basically even if you have

 $00:08:52.370 \longrightarrow 00:08:55.593$ contact in 3D space, this is not necessarily a signal.

 $00:08:56.560 \longrightarrow 00:08:58.540$ This doesn't necessarily mean that regulation

00:08:58.540 --> 00:08:59.500 is actually occurring,

 $00:08:59.500 \longrightarrow 00:09:03.630$ and so essentially we haven't gotten all too far

 $00:09:03.630 \longrightarrow 00:09:05.490$ with these indirect approaches.

 $00:09:05.490 \longrightarrow 00:09:07.020$ So the exciting thing is

 $00:09:07.020 \dashrightarrow 00:09:12.020$ that recently with the development of CRISPR technology

 $00{:}09{:}12.700 \dashrightarrow 00{:}09{:}17.070$ we can now actually go in and instead of observationally

 $00:09:17.070 \longrightarrow 00:09:19.700$ just essentially take a look inside a cell.

 $00{:}09{:}19.700$ --> $00{:}09{:}23.690$ We can actually go in and make modifications where we

 $00:09:23.690 \longrightarrow 00:09:27.900$ for example, knockouts enhancers using the system

00:09:27.900 --> 00:09:29.770 called CRISPR Interference.

 $00:09:29.770 \longrightarrow 00:09:30.820$ And then we try to look

 $00:09:30.820 \longrightarrow 00:09:33.053$ at what the results are for gene expression.

 $00:09:33.990 \longrightarrow 00:09:37.630$ So this shows you a little cartoon

00:09:37.630 --> 00:09:40.070 of the CRISPR interference system.

 $00:09:40.070 \longrightarrow 00:09:41.510$ And so the way that it works is

 $00{:}09{:}41.510 \dashrightarrow 00{:}09{:}46.510$ that you have this CAS nine protein whose job is to attach

 $00:09:48.270 \longrightarrow 00:09:50.530$ to a certain segment of DNA.

 $00:09:50.530 \longrightarrow 00:09:52.530$ And the specific segment of DNA it attaches

 $00:09:52.530 \longrightarrow 00:09:56.860$ to is specified by this guide, or I do.

 $00:09:56.860 \longrightarrow 00:09:58.550$ And so in this way,

00:09:58.550 --> 00:10:00.720 the attachment can be highly specific

 $00:10:00.720 \longrightarrow 00:10:03.730$ to the sequence of the enhancer.

00:10:03.730 --> 00:10:06.950 And then this for CRISPR Interference

 $00:10:06.950 \longrightarrow 00:10:08.890$ the CAS nine brings along with it

 $00{:}10{:}08.890 \rightarrow 00{:}10{:}13.200$ all of these repressive elements that essentially knock

- 00:10:13.200 --> 00:10:17.460 out this enhancer, meaning they prevent the enhancement
- $00:10:17.460 \longrightarrow 00:10:20.513$ from actually helping to regulate this gene.
- $00:10:21.690 \longrightarrow 00:10:24.260$ And so the idea, so firstly
- $00{:}10{:}24.260 \dashrightarrow 00{:}10{:}27.880$ this is a promising solution because it allows us to
- 00:10:27.880 --> 00:10:30.330 interrogate these regulatory relationships
- 00:10:30.330 --> 00:10:31.680 in a much more direct way
- 00:10:31.680 --> 00:10:34.890 than we've been able to do until recently.
- $00:10:34.890 \longrightarrow 00:10:38.620$ And so the overall idea is that,
- $00:10:38.620 \longrightarrow 00:10:40.700$ it's the idea of simple disrupt enhancers
- $00:10:40.700 \longrightarrow 00:10:43.640$ and see which genes expression drops.
- $00:10:43.640 \longrightarrow 00:10:46.450$ And so just as a cartoon here, let's say we knock
- $00:10:46.450 \longrightarrow 00:10:48.670$ out this enhancer, then we would expect
- $00{:}10{:}48.670$ --> $00{:}10{:}53.023$ to see the gene that regulates to be down-regulated.
- $00:10:53.870 \longrightarrow 00:10:54.770$ And then we can think
- $00{:}10{:}54.770 \rightarrow 00{:}10{:}58.200$ about designing perturbations for multiple enhancers.
- 00:10:58.200 --> 00:11:00.460 And so if you perturb this enhancer
- $00{:}11{:}00.460 \dashrightarrow 00{:}11{:}04.193$ then may be you'll see a response in these two genes.
- 00:11:07.120 --> 00:11:09.460 Very naive question, just to make sure I
- $00{:}11{:}09.460 \dashrightarrow 00{:}11{:}13.607$ didn't misunderstand notion here is enhancer always
- 00:11:13.607 --> 00:11:16.423 upregulating gene kind of regulate?
- $00:11:17.950 \longrightarrow 00:11:20.020$ I think enhancers specifically
- $00:11:20.020 \longrightarrow 00:11:22.480$ are thought to upregulate genes.
- $00{:}11{:}22.480$ --> $00{:}11{:}24.800$ However, it's a good question because there are other kinds
- $00{:}11{:}24.800 \dashrightarrow 00{:}11{:}28.450$ of elements that are, can actually be silencers for example.
- $00:11:28.450 \longrightarrow 00:11:31.550$ And so that's just another example of a kind

- $00:11:31.550 \longrightarrow 00:11:33.464$ of a regulatory element.
- $00:11:33.464 \longrightarrow 00:11:35.880$ So the effect could go in either direction
- 00:11:35.880 --> 00:11:38.160 and this talk I'll primarily talk about enhancers
- 00:11:38.160 --> 00:11:41.610 but really everything I say goes through for other kinds
- $00:11:41.610 \longrightarrow 00:11:44.060$ of regulatory elements.
- 00:11:44.060 --> 00:11:44.910 Thanks.
- $00:11:44.910 \longrightarrow 00:11:47.283$ Yeah, very good question.
- $00:11:50.150 \longrightarrow 00:11:54.290$ So now the actual assay
- $00:11:54.290 \longrightarrow 00:11:58.730$ That allows you to do this out of large scale.
- $00:11:58.730 \longrightarrow 00:12:00.130$ So the scale is the question here
- $00:12:00.130 \longrightarrow 00:12:02.780$ because you can do CRISPR experiments where
- 00:12:02.780 --> 00:12:05.310 you essentially like knock out one enhancer
- 00:12:05.310 --> 00:12:07.870 in a whole batch of cells, and then,
- $00:12:07.870 \longrightarrow 00:12:09.870$ maybe go enhancer by enhancer
- $00{:}12{:}09.870 \dashrightarrow 00{:}12{:}12.630$ and this ends up not being a very scalable approach.
- $00:12:12.630 \longrightarrow 00:12:15.300$ So there has been proposed
- $00:12:16.358 \longrightarrow 00:12:18.930$ this new asset called the single cell CRISPR screen
- 00:12:18.930 --> 00:12:21.550 in which you basically pool a whole bunch
- $00:12:21.550 \longrightarrow 00:12:23.350$ of perturbations together,
- $00:12:23.350 \longrightarrow 00:12:26.330$ and then the readout that you get is single cell
- $00{:}12{:}26.330 \dashrightarrow 00{:}12{:}29.640$ RNA sequencing, which allows you to also basically look
- $00:12:29.640 \longrightarrow 00:12:30.750$ at the impact of all
- $00:12:30.750 \longrightarrow 00:12:32.480$ of those different enhancement perturbations
- $00{:}12{:}32.480 \dashrightarrow 00{:}12{:}34.540$ on the entire transcriptome.
- $00{:}12{:}34.540 \dashrightarrow 00{:}12{:}37.570$ And so in the slide, I'm gonna give you a brief overview
- $00:12:37.570 \longrightarrow 00:12:40.320$ of how these screens work.
- 00:12:40.320 --> 00:12:41.600 So first way you do is you start
- $00:12:41.600 \longrightarrow 00:12:44.260$ with a library of CRISPR perturbations.

- 00:12:44.260 --> 00:12:47.583 So you just, let's say maybe you take,
- $00:12:49.227 \longrightarrow 00:12:51.760 \ 10,000 \ enhancers across the genome$
- $00:12:51.760 \longrightarrow 00:12:54.613$ and then you basically design CRISPR guide.
- $00:12:54.613 \longrightarrow 00:12:56.893$ RNAs targeting each of those enhancers.
- $00:12:57.860 \longrightarrow 00:13:00.190$ Once you have a library of these perturbations
- $00:13:00.190 \longrightarrow 00:13:03.130$ you then infect a big pool
- $00:13:03.130 \longrightarrow 00:13:05.910$ of cells with all of these perturbations.
- $00:13:05.910 \longrightarrow 00:13:07.640$ And so what's important to note here is
- $00{:}13{:}07.640 \dashrightarrow 00{:}13{:}12.640$ that essentially these perturbations get randomly integrated
- $00:13:13.360 \longrightarrow 00:13:17.280$ into the different cells they're delivered through a
- $00:13:17.280 \longrightarrow 00:13:18.734$ like a virus system
- $00{:}13{:}18.734 \dashrightarrow 00{:}13{:}21.880$ the details aren't very important, but the importance is
- $00:13:21.880 \longrightarrow 00:13:23.780$ that these perturbations get integrated
- $00:13:23.780 \longrightarrow 00:13:25.720$ into cells essentially at random.
- $00:13:25.720 \longrightarrow 00:13:27.690$ And so each cell gets its own collection
- 00:13:27.690 --> 00:13:30.040 of CRISPR perturbations.
- $00{:}13{:}30.040 \dashrightarrow 00{:}13{:}34.760$ So now in order to basically actually read out what happened
- $00{:}13{:}34.760 \dashrightarrow 00{:}13{:}37.640$ in our experiment, we use single cell RNA sequencing.
- 00:13:37.640 --> 00:13:39.800 And as a result of the sequencing experiment
- $00:13:39.800 \longrightarrow 00:13:44.070$ we get two pieces of information, firstly, by the way
- $00:13:44.070 \longrightarrow 00:13:46.270$ two pieces of information for every step.
- $00:13:46.270 \longrightarrow 00:13:47.400$ So for every cell
- $00{:}13{:}47.400$ --> $00{:}13{:}49.900$ we first measure the perturbations that are present.
- $00:13:49.900 \longrightarrow 00:13:52.240$ So which of these guide or nays did we detect,
- $00:13:52.240 \longrightarrow 00:13:53.120$ and then secondly
- $00:13:53.120 \longrightarrow 00:13:57.000$ the gene expression for the whole transcriptome.
- $00:13:57.000 \longrightarrow 00:13:59.300$ So this is essentially our data here.

- $00:13:59.300 \longrightarrow 00:14:01.000$ And then once we have this data
- $00{:}14{:}01.000 --> 00{:}14{:}05.460$ we can now do the analysis component, which really ends
- $00:14:05.460 \longrightarrow 00:14:08.360$ up being a kind of differential expression analysis.
- $00:14:08.360 \longrightarrow 00:14:11.970$ So consider a particular gene-enhancer pair.
- $00:14:11.970 \longrightarrow 00:14:15.410$ So what we can do is we could take all of the cells
- $00:14:15.410 \longrightarrow 00:14:17.370$ and we can break them up into two groups.
- $00{:}14{:}17.370 \dashrightarrow 00{:}14{:}20.360$ Those cells for which that enhancer was knocked out
- $00:14:20.360 \longrightarrow 00:14:23.330$ which are in orange here, and those cells
- $00:14:23.330 \longrightarrow 00:14:25.620$ for which that enhancer was not knocked out.
- $00:14:25.620 \longrightarrow 00:14:29.360$ We can then split, essentially look
- $00:14:29.360 \longrightarrow 00:14:32.500$ at the expression of the gene of interest
- $00:14:32.500 \longrightarrow 00:14:34.680$ and see whether there's a systematic difference
- 00:14:34.680 --> 00:14:36.500 between the expression of this gene
- $00:14:36.500 \longrightarrow 00:14:39.000$ and these two populations of cells.
- $00:14:39.000 \longrightarrow 00:14:42.740$ So, and then if there is a significant difference
- $00:14:42.740 \longrightarrow 00:14:44.850$ then we can make a conclusion that that particular
- $00:14:44.850 \longrightarrow 00:14:47.363$ enhancer is regulating that particular gene.
- 00:14:48.440 --> 00:14:51.700 So it seems quite simple on first glance,
- $00{:}14{:}51.700 \dashrightarrow 00{:}14{:}55.240$ but this analysis part actually turns
- $00:14:55.240 \longrightarrow 00:14:59.280$ out to be a challenging statistical problem.
- $00:14:59.280 \longrightarrow 00:15:01.830$ And so the analysis
- $00:15:01.830 \longrightarrow 00:15:05.623$ of these screens is actually the subject of this talk.
- 00:15:06.870 --> 00:15:09.800 Okay so, maybe one more slide
- $00:15:09.800 \dashrightarrow 00:15:12.300$ and then I'll stop and see if people have questions.
- $00:15:12.300 \longrightarrow 00:15:14.550$ So just to make it a little bit more concrete
- $00{:}15{:}15.730 \dashrightarrow 00{:}15{:}18.560$ there's a kind of a large data set that might be one
- $00{:}15{:}18.560 \dashrightarrow 00{:}15{:}21.770$ of the largest out there right now by Gasperini at all.
- $00:15:21.770 \longrightarrow 00:15:24.230$ It was published in cell last year.

- 00:15:24.230 --> 00:15:27.280 Oh wow, I guess two years ago now to 2019,
- $00{:}15{:}27.280 \rightarrow 00{:}15{:}31.050$ and so they were working with 200,000 K five 62 cells
- $00{:}15{:}31.050 \dashrightarrow 00{:}15{:}33.910$ and they were looking at 6,000 candidate enhancers.
- $00:15:33.910 \longrightarrow 00:15:35.460$ And so they're looking at, I mean
- 00:15:35.460 --> 00:15:37.670 essentially the whole transcriptome, at least the part
- $00:15:37.670 \longrightarrow 00:15:41.090$ of it that has any expression in the cell type.
- 00:15:41.090 --> 00:15:45.460 And they identified 85,000 enhancer gene pairs
- $00:15:45.460 \longrightarrow 00:15:49.600$ that they essentially thought were plausible
- $00:15:49.600 \longrightarrow 00:15:53.090$ to have some regulation and in their experiment
- 00:15:53.090 --> 00:15:57.790 they had 28 per patients on average per cell.
- $00:15:57.790 \longrightarrow 00:16:00.770$ And so the way that this data would look is, think
- $00{:}16{:}00.770 \dashrightarrow 00{:}16{:}04.710$ about the rows as being the cells and then the columns.
- $00:16:04.710 \longrightarrow 00:16:05.960$ So you have two groups of columns.
- 00:16:05.960 --> 00:16:07.910 Firstly, you have the gene expressions,
- $00:16:07.910 \longrightarrow 00:16:10.440$ and so since these are single cell data
- $00:16:10.440 \longrightarrow 00:16:12.610$ we have these highly discreet counts
- $00:16:12.610 \longrightarrow 00:16:17.403$ of reeds or UMRs for every gene.
- $00{:}16{:}18.470 \dashrightarrow 00{:}16{:}20.900$ And then also we have the second bit of information
- 00:16:20.900 --> 00:16:22.920 which is a binary matrix, which tells you
- $00:16:22.920 \longrightarrow 00:16:27.180$ which cells received, which perturbations.
- 00:16:27.180 --> 00:16:29.490 So in general, in this presentation, I'll talk
- 00:16:29.490 --> 00:16:34.353 I'll denote gene expression by Y and perturbations by X.
- $00{:}16{:}35.630 \dashrightarrow 00{:}16{:}37.720$ And so there's also a third and very important piece
- $00{:}16{:}37.720 \dashrightarrow 00{:}16{:}41.510$ of information, which are technical factors per cell.
- 00:16:41.510 --> 00:16:43.410 Perhaps the main one that I'll talk

- $00:16:43.410 \longrightarrow 00:16:46.160$ about today is the sequencing depth.
- $00:16:46.160 \longrightarrow 00:16:47.670$ So this is just the total number
- 00:16:47.670 --> 00:16:52.670 of reads or UMRs I measured from this cell.
- $00{:}16{:}52.690 \dashrightarrow 00{:}16{:}56.650$ And so this basically just varies randomly across cells
- $00:16:56.650 \longrightarrow 00:16:57.950$ just as an artifact of your experiment.
- $00:16:57.950 \longrightarrow 00:16:59.760$ There are other technical factors
- $00:16:59.760 \longrightarrow 00:17:01.993$ like batch and so on and so forth.
- $00:17:03.200 \longrightarrow 00:17:05.510$ Okay, so this brings me to the end
- $00:17:05.510 \longrightarrow 00:17:07.600$ of the first section where I tell you
- $00:17:07.600 \longrightarrow 00:17:10.540$ about the data and the asset.
- $00:17:10.540 \longrightarrow 00:17:13.930$ So are there any questions before I move on
- $00:17:13.930 \longrightarrow 00:17:18.653$ to talking more about the analysis of these types of data.
- $00:17:25.400 \longrightarrow 00:17:27.100$ I'm assuming there are no questions
- $00:17:27.100 \longrightarrow 00:17:30.213$ but do feel free to stop me if there are.
- $00:17:34.028 \dashrightarrow 00:17:36.900$ So as I said, this actually turns out to be kind of
- 00:17:36.900 --> 00:17:40.270 like an annoyingly challenging statistical problem.
- 00:17:40.270 --> 00:17:43.210 And so to illustrate this to you, let me first
- $00:17:43.210 \longrightarrow 00:17:45.180$ give you a sense of what analysis methods there
- $00:17:45.180 \longrightarrow 00:17:47.080$ are out there.
- $00{:}17{:}47.080 \dashrightarrow 00{:}17{:}51.920$ I should say, by the way that given the sort of the novelty
- $00{:}17{:}51.920 \dashrightarrow 00{:}17{:}55.220$ of this assay, there hasn't been a lot of work in terms
- 00:17:55.220 --> 00:17:57.800 of designing methods specifically designed
- $00:17:58.920 \longrightarrow 00:18:00.610$ for this kind of data.
- $00{:}18{:}00.610 \dashrightarrow 00{:}18{:}04.260$ So most of the existing analysis methods are basically
- $00:18:04.260 \longrightarrow 00:18:06.780$ proposed by the same people who are
- $00:18:06.780 \longrightarrow 00:18:09.163$ producing the single cell CRISPR screen data.
- $00:18:10.460 \longrightarrow 00:18:13.580$ So by the way, so in this slide

 $00:18:13.580 \longrightarrow 00:18:16.870$ I'm going to it actually for the remainder of the talk

 $00:18:16.870 \mathrel{--}{>} 00:18:20.480$ I'm actually going to essentially focus our attention

00:18:20.480 --> 00:18:24.610 on a certain gene and a certain enhancer

 $00:18:24.610 \longrightarrow 00:18:26.830$ and just consider the problem

 $00:18:26.830 \longrightarrow 00:18:30.180$ and figuring out whether that enhancer regulates that gene.

 $00:18:30.180 \longrightarrow 00:18:33.750$ And so I'm gonna use YI, to denote the expression

 $00{:}18{:}33.750 \dashrightarrow 00{:}18{:}37.970$ of that gene and cell I XI as the binary indicator

 $00{:}18{:}37.970 \dashrightarrow 00{:}18{:}41.020$ for whether that enhancer was perturbed in that cell

 $00{:}18{:}41.020$ --> $00{:}18{:}46.020$ and ZI the vector of these extra technical covariants.

00:18:47.590 --> 00:18:51.810 So With that notation out of the way,

 $00{:}18{:}51.810 \dashrightarrow 00{:}18{:}56.810$ the first kind of popular method for analyzing these data

 $00:18:57.830 \longrightarrow 00:18:59.730$ is negative binomial regression.

 $00{:}18{:}59.730 \dashrightarrow 00{:}19{:}03.540$ For those of you familiar with bulk RNA-seq differential

 $00:19:03.540 \longrightarrow 00:19:07.820$ expression analysis, this is similar to the DESeq2

 $00{:}19{:}07.820 \dashrightarrow 00{:}19{:}11.290$ methodology where you just run a negative binomial

00:19:11.290 --> 00:19:16.290 regression of the gene expression, Y on a linear combination

 $00:19:16.830 \longrightarrow 00:19:20.110$ of the perturbation indicator, as well as all

 $00:19:20.110 \longrightarrow 00:19:21.833$ of your technical co-variants.

 $00{:}19{:}23.490 \dashrightarrow 00{:}19{:}27.830$ And so Negative Binomial is a common model for these sort of

 $00:19:27.830 \longrightarrow 00:19:30.710$ over dispersed count data that you encounter

 $00:19:30.710 \longrightarrow 00:19:33.213$ in RNA sequencing data.

00:19:35.040 --> 00:19:38.330 Okay, next, there is a rank based approach.

 $00:19:38.330 \dashrightarrow 00:19:43.080$ So this is non-parametric where it's actually much simpler.

00:19:43.080 --> 00:19:47.870 You just, you cross tabulate yourselves by two criteria.

 $00:19:47.870 \dashrightarrow 00:19:50.590$ First, you see whether they have the perturbation or not.

 $00:19:50.590 \dashrightarrow 00:19:55.000$ And second, you see whether they have essentially higher

 $00:19:55.000 \longrightarrow 00:19:57.230$ than median expression on this gene or lower

00:19:57.230 --> 00:19:59.090 than median expression on this gene.

 $00{:}19{:}59.090 \dashrightarrow 00{:}20{:}03.283$ And then you do a two by two table test for independence.

 $00{:}20{:}04.900 \dashrightarrow 00{:}20{:}08.460$ And finally there are also permutation based approaches

 $00:20:08.460 \longrightarrow 00:20:12.230$ where the idea is to take some test statistic

 $00:20:12.230 \longrightarrow 00:20:16.330$ and then calibrate it under the null distribution

 $00:20:16.330 \longrightarrow 00:20:19.210$ by permuting this column right here

 $00:20:19.210 \longrightarrow 00:20:22.843$ the assignments of the perturbations to the cells.

00:20:24.290 --> 00:20:27.800 So yes, that, I guess that's, what's written here.

 $00{:}20{:}27.800 \dashrightarrow 00{:}20{:}32.800$ So okay, there's like maybe all these methods sound

 $00:20:35.510 \longrightarrow 00:20:39.150$ reasonable at first, but the more you actually look

 $00:20:39.150 \longrightarrow 00:20:40.440$ at the existing literature

 $00:20:40.440 \longrightarrow 00:20:42.650$ the more there are various scattered signs

00:20:42.650 --> 00:20:47.340 like none of these methods are like really doing the trick.

 $00:20:47.340 \longrightarrow 00:20:48.880$ And so here are

 $00:20:49.880 \longrightarrow 00:20:53.500$ the methods that I described on the previous slide.

00:20:53.500 --> 00:20:54.620 I don't know if I named them

00:20:54.620 --> 00:20:57.060 but so virtual FACS is the rank based one

 $00{:}20{:}57.060$ --> $00{:}21{:}00.590$ and scMAGeCK is the one of the permutation based ones.

 $00:21:00.590 \longrightarrow 00:21:05.261$ And so you look at plots actually from

 $00{:}21{:}05.261 \dashrightarrow 00{:}21{:}09.550$ the original papers themselves who propose these methods

 $00:21:09.550 \longrightarrow 00:21:12.550$ and you see some signs of miscalibration.

 $00{:}21{:}12.550 \dashrightarrow 00{:}21{:}15.760$ And so like, for example, I'm gonna be talking mostly

00:21:15.760 --> 00:21:18.110 about this data and to a lesser extent

00:21:18.110 --> 00:21:22.640 about this data in my talk, but so looking here

00:21:22.640 --> 00:21:24.300 so I guess perhaps I should first talk

 $00{:}21{:}24.300 \dashrightarrow 00{:}21{:}27.230$ about the concept of a Negative Control Perturbation.

00:21:27.230 --> 00:21:29.760 So a Negative Control Perturbation is a guide

 $00{:}21{:}29.760 \longrightarrow 00{:}21{:}33.410$ or but it's actually not designed to

 $00:21:33.410 \longrightarrow 00:21:36.570$ target any particular sequence along the genome.

 $00{:}21{:}36.570 \dashrightarrow 00{:}21{:}39.560$ So you don't expect cells that are infected

 $00{:}21{:}39.560 --> 00{:}21{:}41.920$ with a negative control perturbation to look any different

 $00:21:41.920 \longrightarrow 00:21:45.980$ from cells that have no perturbation.

 $00:21:45.980 \longrightarrow 00:21:49.920$ And so in this Gasperini data

 $00{:}21{:}49.920 \dashrightarrow 00{:}21{:}53.010$ they have 50 different negative control guide RNAs,

 $00{:}21{:}53.010 \dashrightarrow 00{:}21{:}57.300$ and so what they did is they basically plotted a QQ plot

00:21:57.300 --> 00:22:00.210 of all of the negative control guide RNAs,

 $00:22:00.210 \longrightarrow 00:22:05.210$ paired with all of the genes and the genome,

 $00{:}22{:}05.730 \dashrightarrow 00{:}22{:}08.800$ and what they found is and perhaps on this QQ plot

 $00{:}22{:}08.800 \dashrightarrow 00{:}22{:}12.490$ this doesn't look like a severe inflation from uniformity

 $00{:}22{:}12.490 \dashrightarrow 00{:}22{:}17.000$ but it's important to keep in mind the scale of this Y axis.

 $00:22:17.000 \longrightarrow 00:22:21.240$ And so essentially this amounts

 $00:22:21.240 \longrightarrow 00:22:24.210$ to a massive amount of deviation

 $00:22:24.210 \longrightarrow 00:22:27.050$ from the uniform distribution in those P-values.

00:22:27.050 --> 00:22:30.520 So in other words, negative control,

 $00:22:30.520 \longrightarrow 00:22:33.300$ gene-enhancer pairs are looking incredibly

 $00:22:33.300 \longrightarrow 00:22:35.563$ significant according to this analysis.

- $00:22:37.110 \longrightarrow 00:22:40.430$ So in this particular analysis
- $00:22:40.430 \longrightarrow 00:22:42.356$ they essentially found
- $00{:}22{:}42.356 \dashrightarrow 00{:}22{:}46.750$ the same thing here it's portrayed as a Manhattan plot
- $00:22:46.750 \longrightarrow 00:22:49.570$ but you see a lot
- 00:22:49.570 --> 00:22:52.720 of things reaching significance when right only
- $00{:}22{:}52.720 \dashrightarrow 00{:}22{:}57.720$ the circle points are those that essentially were replicated
- $00:22:58.090 \longrightarrow 00:23:02.050$ in a bulk RNA sequencing experiment.
- $00:23:02.050 \longrightarrow 00:23:07.050$ And then this one finally looks like they perturbed
- 00:23:09.615 --> 00:23:13.150 lots of different enhancers and essentially looked
- $00:23:13.150 \longrightarrow 00:23:15.540$ at the effect on this one particular gene.
- $00{:}23{:}15.540 \dashrightarrow 00{:}23{:}19.360$ And essentially what they found is that essentially all
- $00:23:19.360 \longrightarrow 00:23:21.840$ of the enhancers that they tested appeared to
- $00{:}23{:}21.840 \dashrightarrow 00{:}23{:}24.530$ actually be per, like, have an effect on the expression
- $00{:}23{:}24.530 \dashrightarrow 00{:}23{:}28.612$ of this gene, when in fact this is biologically imposible.
- $00:23:28.612 \longrightarrow 00:23:31.750$ So this is clearly an issue.
- 00:23:31.750 --> 00:23:36.110 Now, these original papers clearly knew
- $00{:}23{:}36.110 \dashrightarrow 00{:}23{:}39.060$ that there was an issue, and so for each of the papers
- $00:23:39.060 \longrightarrow 00:23:40.260$ they kind of have a little bit
- $00{:}23{:}40.260 \dashrightarrow 00{:}23{:}44.640$ of an ad hoc fix in order to basically correct their P-value
- $00:23:44.640 \longrightarrow 00:23:48.223$ of distributions, so that they look a little bit more,
- 00:23:50.090 --> 00:23:52.100 closer to being calibrated.
- $00:23:52.100 \longrightarrow 00:23:54.900$ And so I'm, I think for the sake of time
- 00:23:54.900 --> 00:23:57.880 I'm probably not going to get into exactly how
- $00:23:57.880 \longrightarrow 00:24:01.740$ they propose to fix their P-value distributions.
- $00:24:01.740 \longrightarrow 00:24:05.640$ What I will say is that we looked in detail
- $00:24:05.640 \longrightarrow 00:24:08.110$ especially at the strategy that they use here

 $00:24:08.110 \longrightarrow 00:24:09.960$ and to a lesser extent at the strategies.

00:24:09.960 --> 00:24:10.910 Well, actually I think here

00:24:10.910 --> 00:24:13.720 they basically said just not to apply their method

00:24:13.720 --> 00:24:18.000 to data where there's too high, essentially

 $00:24:18.000 \longrightarrow 00:24:20.650$ to where they're too many perturbations per cell.

 $00{:}24{:}20.650 \dashrightarrow 00{:}24{:}23.650$ So in this case, they just said, don't apply this method.

 $00{:}24{:}23.650 \dashrightarrow 00{:}24{:}25.920$ We looked into the kinds of fixes that they proposed

 $00:24:25.920 \longrightarrow 00:24:28.050$ in these two papers, and they essentially

 $00:24:28.050 \longrightarrow 00:24:31.040$ they don't quite work in the way that you would expect.

00:24:31.040 --> 00:24:33.360 And so what we thought is that,

 $00:24:33.360 \longrightarrow 00:24:36.810$ what we'd like to do is kind of look a little deeper

00:24:36.810 --> 00:24:38.850 into this problem and try to ask ourselves

 $00:24:38.850 \longrightarrow 00:24:40.900$ why are we seeing all of these issues?

 $00{:}24{:}40.900 \dashrightarrow 00{:}24{:}43.740$ Why do people keep running into these miscalibration issues

 $00{:}24{:}43.740 \dashrightarrow 00{:}24{:}48.740$ and let's try to basically address those underlying issues.

 $00:24:50.210 \longrightarrow 00:24:53.020$ So we thought about it a little bit

 $00:24:53.020 \longrightarrow 00:24:55.490$ and we thought about challenges

 $00{:}24{:}55.490 \dashrightarrow 00{:}24{:}58.620$ for both parametric and non-parametric methods.

 $00:24:58.620 \longrightarrow 00:25:00.940$ So for parametric methods

 $00{:}25{:}00.940 \dashrightarrow 00{:}25{:}04.850$ this actually shouldn't really come as a surprise probably

 $00:25:04.850 \longrightarrow 00:25:07.850$ to most people here, gene expression is known to

 $00:25:07.850 \longrightarrow 00:25:10.770$ be pretty hard to model in single cells.

 $00{:}25{:}10.770 \dashrightarrow 00{:}25{:}14.660$ So of course we have these essentially highly discreet

 $00:25:15.740 \longrightarrow 00:25:19.670$ lots of zeros counts that are over dispersed

 $00{:}25{:}19.670 --> 00{:}25{:}23.360$ perhaps more importantly, given how sparse the data are.

- $00:25:23.360 \longrightarrow 00:25:25.580$ It's actually pretty hard to get a good estimate
- $00{:}25{:}25.580 \dashrightarrow 00{:}25{:}27.570$ of that dispersion parameter.
- $00:25:27.570 \longrightarrow 00:25:29.680$ And so there's currently no standard way
- $00:25:29.680 \longrightarrow 00:25:32.020$ of estimating that dispersion parameter
- $00:25:32.020 \longrightarrow 00:25:35.360$ and basically every paper, comes up
- $00:25:35.360 \longrightarrow 00:25:37.413$ with their own way of doing this.
- $00:25:39.950 \longrightarrow 00:25:41.080$ They're even just debates
- $00{:}25{:}41.080 \dashrightarrow 00{:}25{:}43.750$ about what parametric models are appropriate for these data,
- $00:25:43.750 \longrightarrow 00:25:46.040$ should they be zero inflated,
- $00{:}25{:}46.040 \dashrightarrow 00{:}25{:}50.150$ should they not be, and some genes have even been observed
- $00:25:50.150 \longrightarrow 00:25:52.240$ to have bi-modal expression patterns.
- $00:25:52.240 \longrightarrow 00:25:54.840$ So essentially all of these things are telling us
- $00:25:54.840 \longrightarrow 00:25:56.550$ that it's kind of hard to shoe horn
- $00:25:56.550 \longrightarrow 00:25:58.280$ single cell gene expression,
- 00:25:58.280 --> 00:26:01.260 into a nice, neat parametric model.
- $00{:}26{:}01.260 \dashrightarrow 00{:}26{:}04.440$ So obviously if you have missed specification of your model
- $00:26:04.440 \longrightarrow 00:26:06.530$ such as a bad estimate for a dispersion perimeter
- $00:26:06.530 \longrightarrow 00:26:09.261$ that very well could cause miscalibration
- $00:26:09.261 \longrightarrow 00:26:10.523$ of the kind that we saw.
- $00{:}26{:}13.050 --> 00{:}26{:}16.310$ So next we can think about non-parametric methods.
- $00:26:16.310 \longrightarrow 00:26:19.340$ So maybe, obviously if these data
- $00:26:19.340 \longrightarrow 00:26:20.780$ are hard to model parametrically
- $00{:}26{:}20.780 \dashrightarrow 00{:}26{:}23.803$ may be the non-parametric methods are going to save us.
- $00:26:24.730 \longrightarrow 00:26:26.780$ But the observation that we made that I think is
- $00:26:26.780 \longrightarrow 00:26:29.080$ quite important is that these technical factors
- $00:26:29.080 \longrightarrow 00:26:31.960$ that I mentioned before, like sequencing depth,
- $00:26:31.960 \longrightarrow 00:26:34.700$ they impact not only the expressions of genes

 $00{:}26{:}34.700 \dashrightarrow 00{:}26{:}38.370$ but also the detection of these CRISPR guider in is.

00:26:38.370 --> 00:26:41.020 So I might have led you to believe

 $00:26:41.020 \longrightarrow 00:26:43.280$ in one of my early slides that we can basically

 $00:26:43.280 \longrightarrow 00:26:45.680$ perfectly measure which cell contains

 $00{:}26{:}45.680 \dashrightarrow 00{:}26{:}50.033$ which CRISPR perturbations, but this is actually not true.

00:26:50.970 --> 00:26:53.720 So single cell RNA sequencing

 $00{:}26{:}53.720 \dashrightarrow 00{:}26{:}58.590$ it's essentially just like this kind of a sampling process.

 $00:26:58.590 \longrightarrow 00:27:02.657$ And so the more reads you sample from a cell

00:27:02.657 --> 00:27:05.450 the more likely you are to detect a guide RNAs.

 $00:27:05.450 \longrightarrow 00:27:09.650$ And so we just essentially looked at, for example,

 $00:27:09.650 \longrightarrow 00:27:13.380$ this is for one of the datasets and we just made

 $00{:}27{:}13.380 \dashrightarrow 00{:}27{:}16.860$ a scatter plot of the total number of guide RNAs detected

00:27:16.860 --> 00:27:19.860 per cell versus the total number of UMI.

 $00:27:19.860 \longrightarrow 00:27:21.430$ So this is the sequencing depth

 $00:27:21.430 \longrightarrow 00:27:23.960$ and we found this extremely clear

00:27:23.960 --> 00:27:25.450 I guess I'm not showing you the P-value

 $00:27:25.450 \longrightarrow 00:27:28.510$ but this P-value was like absurdly significant

 $00:27:28.510 \longrightarrow 00:27:30.730$ to just basically confirm that

00:27:30.730 --> 00:27:33.260 if you have more sequencing depth in a cell,

 $00:27:33.260 \longrightarrow 00:27:36.003$ you're going to find more guide our news in that cell.

 $00:27:36.870 \longrightarrow 00:27:39.540$ And so the issue with this is

 $00:27:39.540 \longrightarrow 00:27:43.200$ that we basically have a confounding problem on our hands.

 $00{:}27{:}43.200 \dashrightarrow 00{:}27{:}47.520$ So think about this graphical model that's illustrating

 $00:27:47.520 \longrightarrow 00:27:48.570$ what's going on

00:27:48.570 --> 00:27:51.550 in a single cell CRISPR screen experiment in

 $00:27:51.550 \longrightarrow 00:27:55.960$ this gray box is kind of the underlying biological reality.

 $00:27:55.960 \longrightarrow 00:27:58.408$ Let's say we have this presence of this guide RNA

 $00{:}27{:}58.408 \dashrightarrow 00{:}28{:}01.901$ and the expression of this gene and the guide RNA is

00:28:01.901 --> 00:28:05.470 or the, yeah, I guess the, the CRISPR knockdown

 $00:28:05.470 \longrightarrow 00:28:08.190$ of the enhancer is either affecting gene expression

 $00:28:08.190 \longrightarrow 00:28:12.670$ or it is not, but we read it out.

 $00:28:12.670 \longrightarrow 00:28:17.610$ Some essentially imprecise the measurement

00:28:17.610 --> 00:28:18.840 of the guide RNA presence.

 $00:28:18.840 \longrightarrow 00:28:20.210$ We also read out

 $00:28:20.210 \longrightarrow 00:28:23.100$ and imprecise measurement of the gene expression.

 $00{:}28{:}23.100 \dashrightarrow 00{:}28{:}27.190$ And what's most important is that the technical factors such

 $00{:}28{:}27.190 \dashrightarrow 00{:}28{:}29.630$ as sequencing depth, they're actually impacting both

 $00{:}28{:}29.630 \dashrightarrow 00{:}28{:}32.690$ of these measurements, they're coming from the same cell.

 $00{:}28{:}32.690 {\:{\mbox{--}}\!>} 00{:}28{:}36.980$ And so even if there is no association between the guide RNA

00:28:36.980 --> 00:28:41.610 and the gene, if you just basically naively look

 $00{:}28{:}41.610 \dashrightarrow 00{:}28{:}44.650$ at the association between the measured guide RNA presence

 $00:28:44.650 \longrightarrow 00:28:46.140$ and the measured gene expression

 $00:28:46.140 \longrightarrow 00:28:50.210$ you're going to find some association.

 $00:28:50.210 \longrightarrow 00:28:52.640$ And so this is clearly an issue.

 $00:28:52.640 \longrightarrow 00:28:55.060$ And so essentially in order to correct

 $00:28:55.060 \longrightarrow 00:28:56.900$ for this confounding effect, it's very important

 $00{:}28{:}56.900 \dashrightarrow 00{:}29{:}01.380$ to test instead of just testing independence between

 $00:29:01.380 \longrightarrow 00:29:04.360$ the perturbation and the expression.

 $00:29:04.360 \longrightarrow 00:29:06.660$ We want to test conditional independence, where

 $00:29:06.660 \longrightarrow 00:29:10.050$ we're conditioning on all of these technical factors.

 $00{:}29{:}10.050 \dashrightarrow 00{:}29{:}13.670$ And so this shows you why non-parametric methods tend to

 $00{:}29{:}13.670 \dashrightarrow 00{:}29{:}18.240$ suffer is because when you do things like permute your data

 $00{:}29{:}18.240 \dashrightarrow 00{:}29{:}21.110$ or rank your data, there's this underlying assumption

 $00:29:21.110 \longrightarrow 00:29:23.640$ that all of the cells are exchangeable and you're

 $00{:}29{:}23.640 --> 00{:}29{:}26.750$ using that exchange ability to build your inference on.

 $00:29:26.750 \longrightarrow 00:29:30.010$ And so when you do those tests, they're implicitly

00:29:30.010 --> 00:29:34.300 actually testing just the direct independence

 $00:29:34.300 \longrightarrow 00:29:35.990$ the unconditional independence.

 $00:29:35.990 \longrightarrow 00:29:39.420$ And so this sort of inflation we saw

 $00{:}29{:}39.420 \dashrightarrow 00{:}29{:}42.770$ in the non-parametric methods be explained by this

00:29:42.770 --> 00:29:43.903 Source of confounding.

00:29:46.660 --> 00:29:49.700 So that's actually it for that part of my talk

 $00:29:50.720 \longrightarrow 00:29:52.700$ any questions about the existing methods

 $00:29:52.700 \longrightarrow 00:29:54.040$ and the analysis challenges

 $00:29:54.040 \dashrightarrow 00:29:57.480$ and why there's a need to think about new methodology

 $00:29:57.480 \longrightarrow 00:29:59.883$ for this for this problem.

 $00:30:05.583 \longrightarrow 00:30:07.333$ Okay, I will move on.

00:30:09.510 --> 00:30:12.920 So this is the part of the talk where I'm going to

 $00{:}30{:}12.920 \dashrightarrow 00{:}30{:}17.173$ propose a new analysis method for this kind of data.

 $00:30:19.120 \longrightarrow 00:30:22.120$ And so the key kind of idea we're gonna use is

00:30:22.120 --> 00:30:27.087 conditional resampling, which is proposed by not us.

 $00:30:29.820 \longrightarrow 00:30:34.400$ So the idea of the conditional randomization test

 $00{:}30{:}34.400 \dashrightarrow 00{:}30{:}37.070$ well, it's actually, depending on how you look at it

 $00:\!30:\!37.070$ --> $00:\!30:\!39.500$ it's quite an old idea and it has some connections to

00:30:39.500 --> 00:30:44.500 causal inference, but it was proposed also in candescent all.

 $00:30:45.380 \longrightarrow 00:30:48.320$ And essentially the setup is that you want to

 $00:30:48.320 \longrightarrow 00:30:51.750$ test conditional independence and you're under

 $00:30:51.750 \longrightarrow 00:30:54.580$ the assumption that you have a decent estimate

 $00:30:54.580 \longrightarrow 00:30:57.090$ of the distribution of X given Z.

 $00:30:57.090 \longrightarrow 00:30:59.750$ So remember X is the perturbation.

 $00:30:59.750 \longrightarrow 00:31:01.790 \text{ Y}$ is the expression and Z are the,

 $00:31:01.790 \longrightarrow 00:31:03.720$ essentially the confounders.

 $00{:}31{:}03.720 --> 00{:}31{:}06.920$ So one way of thinking about it from a causal inference

 $00{:}31{:}06.920 \dashrightarrow 00{:}31{:}11.920$ standpoint is let's say we know the propensity score,

 $00:31:11.920 \longrightarrow 00:31:14.530$ can we test whether there's a causal relationship

00:31:14.530 --> 00:31:19.530 between X and Y sort of controlling for these Confounders?

 $00:31:19.750 \longrightarrow 00:31:24.180$ So the idea of the conditional randomization test

 $00:31:24.180 \longrightarrow 00:31:26.000$ is the following.

00:31:26.000 --> 00:31:30.980 First, you take any test statistic T of your data,

 $00:31:30.980 \longrightarrow 00:31:34.250$ and in order to calibrate this test statistic

 $00{:}31{:}34.250 \dashrightarrow 00{:}31{:}38.860$ under the null hypothesis, instead of doing a permutation

 $00{:}31{:}38.860 \dashrightarrow 00{:}31{:}40.850$ we're gonna do a slightly more sophisticated

 $00:31:40.850 \longrightarrow 00:31:45.090$ resampling operation, where we're going to go through,

 $00{:}31{:}45.090 \dashrightarrow 00{:}31{:}50.090$ and for every cell, we are going to resample whether

 $00{:}31{:}50.480 \dashrightarrow 00{:}31{:}54.840$ or not it received the given perturbation, but conditionally

 $00:31:54.840 \dashrightarrow 00:31:58.920$ on the specific technical factors that were in that cell.

 $00{:}31{:}58.920 \dashrightarrow 00{:}32{:}02.650$ And here we're using crucially the information that we have

 $00:32:02.650 \longrightarrow 00:32:06.510$ a handle on what this sort of propensity score is.

- $00:32:06.510 \longrightarrow 00:32:10.030$ And then we're just going to recompute the test
- $00:32:10.030 \longrightarrow 00:32:13.720$ the same test statistic on the resample data.
- $00:32:13.720 \longrightarrow 00:32:16.570$ And then we're just gonna define the a P-value
- $00:32:16.570 \longrightarrow 00:32:20.310$ in the usual way for a resampling based procedure.
- $00:32:20.310 \longrightarrow 00:32:22.810$ So one way of thinking about it is
- $00:32:22.810 \dashrightarrow 00:32:26.650$ that it's kind of like a permutation test, but it's one
- $00:32:26.650 \longrightarrow 00:32:30.725$ in which the reassignments of the guide RNAs
- $00:32:30.725 \longrightarrow 00:32:35.725$ to the cells is one that respects
- $00:32:36.778 \longrightarrow 00:32:40.460$ the confounding that there is
- $00{:}32{:}40.460 \dashrightarrow 00{:}32{:}43.433$ in the data instead of treating all the cells exchangeable.
- 00:32:44.570 --> 00:32:49.570 So this is great because the CRT adjust
- $00{:}32{:}51.010 \dashrightarrow 00{:}32{:}55.100$ for confounders basically by construction and importantly
- $00{:}32{:}55.100 \dashrightarrow 00{:}32{:}58.640$ it avoids assumptions on the gene expression distribution.
- 00:32:58.640 --> 00:33:01.420 And in fact, provably, the P-value you get
- 00:33:01.420 --> 00:33:06.033 out of the CRT is valid, even if essentially,
- $00:33:07.290 \longrightarrow 00:33:10.833$ even if the test statistic T is, anything you want.
- 00:33:12.865 --> 00:33:15.017 So in the sense that kind of addresses
- $00{:}33{:}15.017 \dashrightarrow 00{:}33{:}19.350$ the confounding issues, like basically the Achilles heel
- $00{:}33{:}19.350 \dashrightarrow 00{:}33{:}22.770$ of the non-parametric methods, but avoiding assumptions
- $00:33:22.770 \longrightarrow 00:33:24.530$ on the gene expression distribution
- $00{:}33{:}24.530 \dashrightarrow 00{:}33{:}27.200$ as sort of was the pitfall of the parametric methods.
- 00:33:27.200 --> 00:33:30.430 And it kind of seems to be doing something
- $00:33:30.430 \longrightarrow 00:33:32.970$ that's avoiding both of those issues.
- 00:33:32.970 --> 00:33:36.840 Now, of course, there's a, trade-off in the
- $00:33:36.840 \longrightarrow 00:33:40.230$ CRT does require you to have some estimate
- $00:33:40.230 \longrightarrow 00:33:42.130$ of this propensity score.

 $00:33:42.130 \longrightarrow 00:33:47.130$ So, and then secondly, the CRT is computationally expensive

00:33:47.520 --> 00:33:50.870 if you consider, or if you compare it to like

 $00:33:50.870 \longrightarrow 00:33:53.150$ just like a parametric regression here

 $00:33:53.150 \longrightarrow 00:33:54.650$ we're doing a parametric regression

 $00:33:54.650 \longrightarrow 00:33:57.240$ but we're doing it lots of times.

 $00:33:57.240 \longrightarrow 00:33:59.763$ And so how do we get around some of these issues?

 $00:34:01.360 \longrightarrow 00:34:04.600$ So, and in particular, how do we actually go

00:34:04.600 --> 00:34:08.450 about applying this idea to single cell CRISPR screens?

 $00:34:08.450 \longrightarrow 00:34:12.640$ And so, firstly, do we understand this distribution

 $00:34:12.640 \longrightarrow 00:34:17.070$ of the probability of observing a guide or in a

 $00:34:17.070 \longrightarrow 00:34:19.520$ given a set of technical factors?

 $00:34:19.520 \longrightarrow 00:34:24.520$ So what we're going to do in this particular method,

 $00:34:25.070 \longrightarrow 00:34:26.830$ well, first we're gonna observe that it's

 $00{:}34{:}26.830 \dashrightarrow 00{:}34{:}30.630$ this is kind of a simpler phenomenon than gene expression

 $00:34:30.630 \longrightarrow 00:34:33.030$ like guide our nays are not really, like subject

 $00:34:33.030 \longrightarrow 00:34:36.580$ to all of the complicated regulatory patterns of genes.

00:34:36.580 --> 00:34:39.730 And secondly, kind of under the hood,

 $00:34:39.730 \longrightarrow 00:34:44.730$ the actual assortments of guide our nays

00:34:44.869 --> 00:34:48.420 to cells is, you know, like fairly well modeled.

 $00:34:48.420 \longrightarrow 00:34:51.940$ It's just basically like in that sense

 $00:34:51.940 \longrightarrow 00:34:53.300$ the cells are pretty exchangeable.

 $00:34:53.300 \longrightarrow 00:34:54.720$ What's not exchangeable it just basically

 $00:34:54.720 \longrightarrow 00:34:56.480$ this measurement process.

 $00:34:56.480 \longrightarrow 00:34:58.910$ So this is just kind of a simpler object

 $00:34:58.910 \longrightarrow 00:35:02.770$ in the specific case of single cell CRISPR screens.

 $00:35:02.770 \longrightarrow 00:35:03.940$ So we can try to bring

 $00{:}35{:}03.940 \dashrightarrow 00{:}35{:}07.850$ to bear various knowledge to try to get a good sense

- $00:35:07.850 \longrightarrow 00:35:09.650$ of this in this case,
- 00:35:09.650 --> 00:35:12.260 we're just gonna sort of do the easiest thing possible
- $00:35:12.260 \longrightarrow 00:35:15.293$ and we're gonna fit it using an logistic regression.
- $00:35:16.550 \longrightarrow 00:35:18.980$ The second thing we're going to do is think
- $00:35:18.980 \longrightarrow 00:35:21.140$ about what test statistic to use.
- $00:35:21.140 \dashrightarrow 00:35:26.140$ So I had the separate paper about essentially the power
- $00:35:27.370 \longrightarrow 00:35:28.840$ of the conditioner randomization tests.
- $00{:}35{:}28.840 \to 00{:}35{:}33.000$ And what we found is that the closer the test statistic is
- 00:35:33.000 --> 00:35:37.610 to the true conditional distribution of Y given X, Z
- 00:35:37.610 --> 00:35:39.890 I guess I should say the true likelihood,
- $00:35:39.890 \longrightarrow 00:35:41.150$ the better the power will be.
- $00:35:41.150 \longrightarrow 00:35:44.620$ And so in that sense, what we wanna do is we
- $00{:}35{:}44.620 \dashrightarrow 00{:}35{:}49.350$ wanna leverage existing models that people have used such
- $00:35:49.350 \longrightarrow 00:35:51.490$ as negative binomial regression.
- $00:35:51.490 \dashrightarrow 00:35:54.340$ It's not going to matter whether the model is true or not
- $00:35:54.340 \longrightarrow 00:35:58.840$ for the sake of type one error control, but we hope
- $00:35:58.840 \longrightarrow 00:36:01.140$ that we can do a better job in terms of power
- $00:36:02.470 \longrightarrow 00:36:05.993$ by trying to get a good model for this.
- $00:36:07.350 \dashrightarrow > 00:36:10.090$ And finally, how do we mitigate the computational cost?
- $00:36:10.090 \longrightarrow 00:36:12.230$ And so we had a few ideas for this as well.
- $00:36:12.230 \longrightarrow 00:36:15.140$ So one of them is called the distilled CRT.
- $00:36:15.140 \dashrightarrow 00:36:18.710$ And so I'll if time permits, which might or might not
- $00:36:18.710 \longrightarrow 00:36:20.470$ I'll give you a few more details
- $00:36:20.470 \longrightarrow 00:36:24.280$ about how you can use this to have a much faster
- $00:36:25.260 \longrightarrow 00:36:28.370$ for every resample to be quick.

 $00:36:28.370 \longrightarrow 00:36:31.720$ And then we're also going to use this hack, essentially

 $00{:}36{:}31.720 \dashrightarrow 00{:}36{:}35.510$ that what we found is that the resampling distribution

 $00:36:35.510 \longrightarrow 00:36:40.220$ it actually kind of looks pretty reasonable.

00:36:40.220 --> 00:36:42.840 It kind of looks like a normal, but it's sort

 $00:36:42.840 \longrightarrow 00:36:45.500$ of how some extra skew and maybe some extra heavy tails.

 $00:36:45.500 \longrightarrow 00:36:47.560$ And so what we're gonna do is we're going to

 $00:36:47.560 \longrightarrow 00:36:51.720$ fit a skew T distribution to the essentially

 $00{:}36{:}51.720 \dashrightarrow 00{:}36{:}54.630$ the empirical distribution of the resample test statistics.

 $00:36:54.630 \dashrightarrow 00:36:57.610$ And in that way, we can get more accurate P-values

 $00:36:57.610 \longrightarrow 00:37:00.520$ without doing as many recent samples.

00:37:00.520 --> 00:37:02.610 And so putting together all of these pieces

00:37:02.610 --> 00:37:05.580 we get this method, which we call Sceptre

 $00:37:05.580 \longrightarrow 00:37:08.400$ or single cell perturbation screen analysis

 $00:37:08.400 \longrightarrow 00:37:10.103$ via conditional resampling.

00:37:11.010 --> 00:37:12.920 And so essentially what we do is what I said

 $00:37:12.920 \longrightarrow 00:37:14.650$ on the previous slide.

00:37:14.650 --> 00:37:18.840 We first use a logistic regression to fit a probability

 $00:37:18.840 \longrightarrow 00:37:21.983$ for every cell that we would find a perturbation there.

 $00:37:22.970 \dashrightarrow 00:37:25.500$ And then we're gonna use these perturbation probabilities

 $00:37:25.500 \longrightarrow 00:37:28.003$ and resample this particular column.

 $00:37:28.960 \dashrightarrow 00:37:32.470$ And so we now we have a whole bunch of resample datasets.

 $00{:}37{:}32.470 \dashrightarrow 00{:}37{:}34.860$ Now we're going to use a negative binomial regression

 $00{:}37{:}34.860 \dashrightarrow 00{:}37{:}37.750$ or more precisely a distilled negative binomial regression

 $00:37:37.750 \longrightarrow 00:37:41.570$ for speed, to get the test statistic

 $00:37:41.570 \longrightarrow 00:37:42.810$ for both the original data.

 $00:37:42.810 \dashrightarrow 00:37:45.593$ And for all of these re resample datasets.

 $00:37:46.500 \longrightarrow 00:37:47.710$ Then we're gonna put together all

 $00:37:47.710 \longrightarrow 00:37:51.070$ of these recycled test statistics into this gray histogram.

00:37:51.070 --> 00:37:54.110 And again, we're gonna fit this magenta curve

 $00:37:54.110 \dashrightarrow 00:37:56.630$ which is the skew T distribution

 $00:37:56.630 \longrightarrow 00:37:59.020$ which seems to fit pretty well in most cases.

 $00:37:59.020 \longrightarrow 00:38:01.540$ And then we're gonna compare the original test statistic

 $00:38:01.540 \dashrightarrow 00:38:06.540$ against this skew T distribution and get a P-value that way.

 $00:38:06.760 \dashrightarrow 00:38:09.890$ And so this is represented by the shaded region here.

 $00:38:09.890 \dashrightarrow 00:38:14.060$ And I think what's noteworthy is to compare this fitted

 $00:38:14.060 \longrightarrow 00:38:15.370$ and all No distribution

 $00:38:15.370 \longrightarrow 00:38:19.070$ to this standard normal No distribution.

00:38:19.070 --> 00:38:20.240 I guess I should have said here

 $00:38:20.240 \dashrightarrow 00:38:24.020$ that the actual test statistics are a Z values extracted

 $00:38:24.020 \longrightarrow 00:38:25.810$ from the negative binomial regression.

 $00:38:25.810 \longrightarrow 00:38:29.740$ So if your model were true, the Z values

 $00:38:29.740 \dashrightarrow 00:38:33.510$ under the No would follow a standard normal distribution.

 $00:38:33.510 \longrightarrow 00:38:36.550$ And so what we find is that when we resample we

 $00{:}38{:}36.550 \dashrightarrow 00{:}38{:}39.700$ get something that's not the standard normal distribution.

00:38:39.700 --> 00:38:42.270 And so in the sense you can view it as,

 $00:38:42.270 \longrightarrow 00:38:47.270$ a sort of measure of the departure sort of from,

 $00:38:48.250 \longrightarrow 00:38:50.930$ or sort of the lack of model fit that went

 $00:38:50.930 \longrightarrow 00:38:52.963$ into this negative binomial regression.

 $00:38:54.480 \longrightarrow 00:38:56.640$ So another way of putting this is that

00:38:56.640 --> 00:38:58.960 you can imagine that if you did happen

00:38:58.960 --> 00:39:02.690 to correctly specify your negative binomial regression model

 $00{:}39{:}02.690 \dashrightarrow 00{:}39{:}05.950$ then you would sort of be getting back the same P-value

 $00:39:05.950 \longrightarrow 00:39:07.870$ that you would have gotten otherwise.

 $00:39:07.870 \longrightarrow 00:39:08.703$ So in that sense

00:39:08.703 --> 00:39:10.610 we're not really reinventing the wheel here

00:39:10.610 --> 00:39:13.490 if you do have a good parametric model, but if you don't

 $00:39:13.490 \longrightarrow 00:39:16.390$ then we can correct for it using this resampling strategy.

 $00:39:17.890 \dashrightarrow 00:39:19.240$ So I guess this is an important slide

 $00:39:19.240 \longrightarrow 00:39:23.140$ so maybe I will stay here for a little bit and ask

 $00:39:23.140 \longrightarrow 00:39:27.963$ if anyone has questions about how our methodology works.

 $00:39:31.290 \longrightarrow 00:39:33.200$ - Hi, I have a bunker question.

 $00:39:33.200 \longrightarrow 00:39:35.870$ So have you tried to hurdle model to deal

 $00:39:35.870 \longrightarrow 00:39:39.610$ with this kind of full data is the cause

 $00:39:39.610 \longrightarrow 00:39:41.903$ of the weird distribution of the data?

 $00:39:44.650 \longrightarrow 00:39:47.900$ - Oh, so let's see.

 $00{:}39{:}47.900 \dashrightarrow 00{:}39{:}52.050$ You mean to model the, essentially to model the gene

00:39:52.050 --> 00:39:56.900 expressions or do you mean to model the CRISPR perturbations

 $00:39:58.355 \longrightarrow 00:40:02.910$ - From this page,

 $00:40:02.910 \longrightarrow 00:40:04.830$ so first step you use a logistic regression

 $00{:}40{:}04.830 \dashrightarrow 00{:}40{:}08.220$ and then you use a nick name by knowing that binomial.

00:40:08.220 --> 00:40:12.940 So it's like a two step models, but to hurdle model

 $00{:}40{:}12.940 \dashrightarrow 00{:}40{:}16.413$ they combine them together to deal with the overall dataset.

 $00{:}40{:}17.740 \dashrightarrow 00{:}40{:}21.010$ - I see, I will admit that I'm not familiar with those

- 00:40:21.010 --> 00:40:24.100 models but I will definitely take a look
- $00:40:24.100 \longrightarrow 00:40:26.350$ at those and see if they might be applicable.
- $00:40:27.540 \longrightarrow 00:40:32.540$ Yeah, I guess like in this sense
- $00{:}40{:}33.220$ --> $00{:}40{:}36.620$ the approach that I've proposed here is pretty flexible.
- $00:40:36.620 \longrightarrow 00:40:37.453$ I mean, really
- $00:40:37.453 \longrightarrow 00:40:41.900$ what makes this approach work well is as long
- $00:40:41.900 \longrightarrow 00:40:43.980$ as you have a decent approximation
- $00:40:43.980 \longrightarrow 00:40:45.950$ to these probation probabilities
- $00:40:45.950 \longrightarrow 00:40:48.110$ we're thinking about them as propensity scores.
- $00:40:48.110 \longrightarrow 00:40:52.480$ So aside from that but
- $00{:}40{:}52.480 \to 00{:}40{:}54.730$ because really what's standing behind this as the generality
- $00:40:54.730 \longrightarrow 00:40:56.270$ of the conditional randomization test where
- $00:40:56.270 \longrightarrow 00:40:58.200$ you can basically use any test statistic you want.
- $00:40:58.200 \longrightarrow 00:41:02.300$ And so, definitely the method is flexible
- $00:41:02.300 \longrightarrow 00:41:05.080$ and can incorporate different choices,
- 00:41:05.080 --> 00:41:06.830 like the one that you've mentioned,
- $00{:}41{:}07.867 \dashrightarrow 00{:}41{:}09.710$ But we haven't tried it we haven't, we haven't tried it.
- $00:41:09.710 \longrightarrow 00:41:11.360$ I'm not familiar with this model.
- 00:41:12.200 --> 00:41:13.050 Thank you though.
- $00:41:15.040 \longrightarrow 00:41:19.683$ Anyone else have any questions about the methodology?
- 00:41:24.090 --> 00:41:27.340 Okay, perhaps I'll okay.
- $00:41:27.340 \longrightarrow 00:41:31.250$ So yes, so this is kind of like a separate thing
- $00:41:31.250 \longrightarrow 00:41:32.830$ which I will not get
- $00:41:32.830 \longrightarrow 00:41:35.590$ into details of for the sake of time, but we had
- $00:41:35.590 \longrightarrow 00:41:39.060$ the separate paper whose focus was just basically,
- $00:41:39.060 \longrightarrow 00:41:41.810$ the conditional randomization test is a cool test
- $00:41:41.810 \longrightarrow 00:41:43.290$ but everyone knows it's slow.
- $00:41:43.290 \longrightarrow 00:41:46.160$ So how can we essentially accelerate it

- 00:41:46.160 --> 00:41:49.030 while retaining a lot of its power advantages?
- $00:41:49.030 \longrightarrow 00:41:51.410$ And so what we found is that
- $00{:}41{:}51.410 \dashrightarrow 00{:}41{:}54.260$ if you just ever so slightly modified the test statistic
- $00:41:54.260 \longrightarrow 00:41:58.716$ by sort of regressing Y first on the confounders,
- $00:41:58.716 \longrightarrow 00:42:01.780$ and then on X, instead
- $00:42:01.780 \longrightarrow 00:42:04.030$ of regressing it on both at the same time
- $00{:}42{:}04.030 \dashrightarrow 00{:}42{:}07.690$ what we found is that this ends up being much, much faster
- $00:42:07.690 \longrightarrow 00:42:10.050$ because only the second step needs to be repeated
- $00{:}42{:}10.050 \dashrightarrow 00{:}42{:}13.950$ upon resampling, and the second step is much cheaper.
- $00:42:13.950 \longrightarrow 00:42:18.770$ So what we did is that we, in the context of sector
- $00:42:18.770 \longrightarrow 00:42:19.690$ we built on this
- $00:42:19.690 \longrightarrow 00:42:23.430$ by accelerating the resampling steps even further
- $00:42:23.430 \longrightarrow 00:42:25.110$ by leveraging the sparsity
- $00:42:25.110 \longrightarrow 00:42:28.140$ of the CRISPR perturbation vector X.
- $00{:}42{:}28.140 \dashrightarrow 00{:}42{:}31.360$ And so perhaps the most important part is that the cost
- 00:42:31.360 --> 00:42:34.400 of the CRT for one gene-enhancer pair went
- $00:42:34.400 \longrightarrow 00:42:37.850$ down from 25 minutes down to 20 seconds
- $00:42:37.850 \longrightarrow 00:42:40.450$ as a result of these computational accelerations.
- $00{:}42{:}40.450 \dashrightarrow 00{:}42{:}42.750$ And so for reference a single negative binomial
- $00:42:42.750 \longrightarrow 00:42:45.040$ regression took three seconds.
- 00:42:45.040 --> 00:42:46.130 So it's still,
- $00{:}42{:}46.130 \dashrightarrow 00{:}42{:}50.200$ we're a factor of six or seven, more expensive than the
- $00:42:50.200 \longrightarrow 00:42:52.510$ just the sort of vanilla single regression
- 00:42:52.510 --> 00:42:56.380 but it's definitely, I think sort of within,
- $00:42:56.380 \longrightarrow 00:42:58.070$ definitely within an order of magnitude
- $00{:}42{:}58.070 \dashrightarrow 00{:}43{:}01.983$ and hopefully as you can tell a much better statistically.
- $00:43:03.160 \longrightarrow 00:43:08.160$ So I will show you a few, so this is a simulation.

- $00{:}43{:}11.970 --> 00{:}43{:}14.320$ I'm not gonna go through it in detail, but the idea is
- $00{:}43{:}14.320 \dashrightarrow 00{:}43{:}18.610$ that what we're demonstrating here is that you can give
- 00:43:18.610 --> 00:43:22.340 Sceptre essentially negative binomial models
- $00:43:22.340 \longrightarrow 00:43:25.310$ that are miss specified in different ways.
- $00:43:25.310 \longrightarrow 00:43:27.360$ You can, give it a dispersion
- 00:43:27.360 --> 00:43:29.710 that's too large, a dispersion that's too small
- $00:43:29.710 \longrightarrow 00:43:32.210$ or maybe the true model does have zero inflation
- 00:43:32.210 --> 00:43:33.660 but we're not accounting for it.
- $00:43:33.660 \longrightarrow 00:43:35.930$ And what we find is that Sceptre essentially
- $00:43:35.930 \longrightarrow 00:43:38.883$ is well calibrated, regardless,
- 00:43:40.080 --> 00:43:42.780 whereas if you just essentially took
- $00{:}43{:}42.780 \rightarrow 00{:}43{:}46.920$ the like the wrong dispersion estimates at face value
- 00:43:46.920 --> 00:43:48.870 you would encounter problems.
- 00:43:48.870 --> 00:43:50.860 And this SE magic approach
- $00:43:50.860 \longrightarrow 00:43:53.820$ which basically is a permutation approach.
- 00:43:53.820 --> 00:43:56.240 It's just sort of not doing a great job accounting
- $00:43:56.240 \longrightarrow 00:43:58.690$ for the confounding it, so we see this inflation.
- $00:44:00.990 \longrightarrow 00:44:03.020$ So perhaps more excitingly
- $00:44:03.020 \longrightarrow 00:44:07.640$ I'd like to show you an application to real data.
- 00:44:07.640 --> 00:44:10.900 So I guess this is the, so firstly
- $00:44:10.900 \longrightarrow 00:44:13.050$ we wanna make sure method is actually calibrated.
- $00:44:13.050 \longrightarrow 00:44:15.610$ So if you remember the initial observation was
- $00:44:15.610 \longrightarrow 00:44:18.000$ in a lot of these methods, aren't calibrated.
- 00:44:18.000 --> 00:44:20.240 So because I'm running a little short on time
- 00:44:20.240 --> 00:44:22.380 let's kind of maybe ignore this panel here
- $00:44:22.380 \longrightarrow 00:44:24.280$ and focus our attention here.
- $00{:}44{:}24.280 \dashrightarrow 00{:}44{:}28.240$ So this is the Gasperini data that I introduced before.

- $00{:}44{:}28.240 \dashrightarrow 00{:}44{:}33.240$ And so this red line here is actually the QQ plot you saw
- $00:44:33.750 \longrightarrow 00:44:35.440$ on one of my first slides
- $00:44:35.440 \longrightarrow 00:44:39.290$ of all of those negative control gene-enhancer pairs.
- $00:44:39.290 \longrightarrow 00:44:40.500$ It looks different here because
- $00:44:40.500 \longrightarrow 00:44:42.580$ the scale is I've sort of cut off the scale
- $00:44:42.580 \longrightarrow 00:44:44.730$ so we can actually visualize it.
- $00:44:44.730 \longrightarrow 00:44:47.423$ So we see a quite significant departure.
- 00:44:48.300 --> 00:44:51.032 What we actually did is we thought, okay, maybe
- $00:44:51.032 \longrightarrow 00:44:53.660$ they have a bad estimate of the dispersion
- 00:44:53.660 --> 00:44:55.210 but maybe we can use some more
- $00:44:55.210 \longrightarrow 00:45:00.210$ like state-of-the-art single cell sort of methods
- $00:45:00.480 \longrightarrow 00:45:02.800$ to improve our estimate of the dispersion.
- $00:45:02.800 \longrightarrow 00:45:04.260$ And so maybe we don't need to go
- $00:45:04.260 \longrightarrow 00:45:06.150$ to all the effort of doing the resampling.
- $00:45:06.150 \longrightarrow 00:45:07.460$ And so what we found is that
- $00:45:07.460 \longrightarrow 00:45:10.120$ when we use a state-of-the-art dispersion estimate
- $00:45:10.120 \longrightarrow 00:45:12.643$ we still have very substantial miscalibration.
- 00:45:14.060 --> 00:45:15.260 This is, I think, just a Testament
- $00{:}45{:}15.260 \to 00{:}45{:}17.540$ to the fact that it's just hard to estimate that perimeter
- $00{:}45{:}17.540 \dashrightarrow 00{:}45{:}20.640$ because there's not all that much data to estimate it.
- 00:45:20.640 --> 00:45:23.810 And then by comparison, we built Sceptre
- $00:45:23.810 \longrightarrow 00:45:27.030$ from the same exact negative binomial model
- $00:45:27.030 \longrightarrow 00:45:28.890$ which is this improved one,
- $00:45:28.890 \longrightarrow 00:45:32.370$ and we found that the negative control P-values
- $00:45:32.370 \longrightarrow 00:45:35.750$ are I think, excellently calibrated.
- 00:45:35.750 --> 00:45:39.700 So this shows you, again, the benefit
- $00{:}45{:}39.700 \dashrightarrow 00{:}45{:}42.350$ of this different way of calibrating your test statistic

 $00:45:42.350 \longrightarrow 00:45:45.583$ and not relying on the parametric model for gene expression.

 $00:45:47.250 \longrightarrow 00:45:50.040$ So this figure just shows a few of the other methods

 $00:45:50.040 \longrightarrow 00:45:52.973$ but for the sake of time, I'm going to move on.

00:45:54.960 --> 00:45:57.860 This is looking at positive control data.

 $00{:}45{:}57.860 \dashrightarrow 00{:}46{:}01.420$ So this basically is like, trying to get a sense of power.

 $00:46:01.420 \longrightarrow 00:46:03.600$ And so, again, maybe if we restrict our attention

 $00:46:03.600 \longrightarrow 00:46:06.320$ to this left panel here, what we found is that

 $00:46:06.320 \longrightarrow 00:46:09.660$ if we just plot the, our P-values

 $00{:}46{:}09.660 \dashrightarrow 00{:}46{:}12.180$ versus the P-values, by the way, may be I should say

 $00:46:12.180 \longrightarrow 00:46:13.640$ what is a positive control.

00:46:13.640 --> 00:46:14.680 A positive control

 $00:46:14.680 \longrightarrow 00:46:18.200$ in this case is a CRISPR perturbation that instead

 $00{:}46{:}18.200 \dashrightarrow 00{:}46{:}21.770$ of targeting and enhancer is targeting the transcription

 $00:46:21.770 \longrightarrow 00:46:24.740$ start sites of a gene.

 $00:46:24.740 \longrightarrow 00:46:29.250$ And so essentially, like we don't need any extra biology

 $00{:}46{:}29.250 --> 00{:}46{:}32.120$ to know that, if you target a transcription start site

 $00:46:32.120 \longrightarrow 00:46:34.310$ that's really going to knock out the gene.

 $00{:}46{:}34.310 \dashrightarrow 00{:}46{:}36.960$ And so you can still try to do your association test and see

 $00{:}46{:}36.960 \dashrightarrow 00{:}46{:}40.140$ if you've picked up those positive control associations.

 $00:46:40.140 \longrightarrow 00:46:41.280$ And so what we find is that

 $00:46:41.280 \longrightarrow 00:46:44.270$ actually Sceptre not only is better calibrated

 $00:46:44.270 \longrightarrow 00:46:47.730$ but it also tends to have more significant P-values

 $00:46:47.730 \longrightarrow 00:46:49.010$ on those positive controls.

 $00:46:49.010 \longrightarrow 00:46:52.690$ So it apparently is boosting both the sensitivity

 $00:46:52.690 \longrightarrow 00:46:55.753$ and the specificity of this association tests.

 $00{:}46{:}56.623 \dashrightarrow 00{:}46{:}59.811$ - Eugene here are the original empirical P-value is this

00:46:59.811 --> 00:47:03.004 from the negative binomial test.

 $00:47:03.004 \longrightarrow 00:47:06.837$ So after we did the conditional recommendation

 $00:47:08.410 \longrightarrow 00:47:11.390$ if you actually have better P-values

 $00:47:11.390 \longrightarrow 00:47:13.180$ for the positive control pairs.

 $00{:}47{:}13.180 \dashrightarrow 00{:}47{:}18.180$ - Yes, so you would expect, you would expect it
's like

00:47:21.590 --> 00:47:23.490 aren't we just making the P-value is just,

00:47:23.490 --> 00:47:24.610 like less significant

 $00:47:24.610 \longrightarrow 00:47:26.590$ in a way to just help with the calibration.

 $00:47:26.590 \longrightarrow 00:47:28.730$ So how can it be boosting power?

 $00:47:28.730 \longrightarrow 00:47:33.730$ But I like the degree of inflation sort of varies

 $00:47:34.440 \longrightarrow 00:47:37.290$ like essentially it's not like, and what we'll see this

00:47:37.290 --> 00:47:40.170 I think on the next slide as well, essentially

00:47:40.170 --> 00:47:43.380 we're not like, sort of what sector is doing is not

 $00:47:43.380 \longrightarrow 00:47:45.710$ like a monotone transformation of things.

 $00{:}47{:}45.710 --> 00{:}47{:}50.183$ It kind of there's not actually just maybe to illustrate it.

 $00{:}47{:}50.183 \dashrightarrow 00{:}47{:}55.183$ I think, this is just an example where essentially what

 $00{:}47{:}59.270 \dashrightarrow 00{:}48{:}01.010$ we would have gotten from the sort

 $00{:}48{:}01.010 --> 00{:}48{:}03.790$ of the vanilla negative binomial analysis is the area

 $00:48:03.790 \longrightarrow 00:48:07.480$ under this dotted or dashed curve here.

00:48:07.480 --> 00:48:11.470 And so Sceptre could, well, basically whoops sorry,

00:48:11.470 --> 00:48:14.580 it could have a, like a lighter tail as it has in this case.

 $00:48:14.580 \longrightarrow 00:48:19.580$ And so it could sort of either make the P-values

 $00:48:19.890 \longrightarrow 00:48:21.900$ on the more significant or less significant.

00:48:21.900 --> 00:48:23.750 It's correcting the miscalibration

 $00{:}48{:}23.750 \dashrightarrow 00{:}48{:}26.410$ but not necessarily in a way that's like conservative.

- $00:48:26.410 \longrightarrow 00:48:30.253$ And so this is encouraging.
- 00:48:31.620 --> 00:48:34.540 Yeah, that's a good question though.
- $00:48:34.540 \longrightarrow 00:48:36.700$ I guess that depends on
- 00:48:36.700 --> 00:48:39.713 the confounding you included in the model.
- $00{:}48{:}40.750 \longrightarrow 00{:}48{:}45.750$ So then I would expect it well, re reduce the significance
- 00:48:47.470 --> 00:48:49.720 but if you include other co-founding
- $00:48:49.720 \longrightarrow 00:48:54.720$ that's mostly contributing to the noise level probably.
- 00:48:55.100 --> 00:48:58.900 Yeah, sure, so I think I'm right.
- 00:48:58.900 --> 00:49:01.890 Yeah, let me think we are, let me see
- 00:49:02.830 --> 00:49:04.540 I think in this case, we're correcting
- $00:49:04.540 \longrightarrow 00:49:08.220$ for approximately the same confounders here.
- $00:49:08.220 \longrightarrow 00:49:09.910$ So they already had some confounders
- $00:49:09.910 \longrightarrow 00:49:10.743$ that they were correcting for
- $00{:}49{:}10.743 \dashrightarrow 00{:}49{:}11.790$ in the original negative binomial.
- $00:49:11.790 \longrightarrow 00:49:13.910$ So in that sense, it's a little bit more
- $00:49:13.910 \longrightarrow 00:49:15.540$ of maybe an apples to apples comparison.
- 00:49:15.540 --> 00:49:19.690 It's just a question of how do you calibrate
- $00:49:19.690 \longrightarrow 00:49:20.790$ that test statistic that is
- $00:49:20.790 \longrightarrow 00:49:23.400$ trying to correct for the confounders
- 00:49:23.400 --> 00:49:24.930 but I think what you're getting at
- 00:49:24.930 --> 00:49:26.890 I do think it can go either way.
- 00:49:26.890 --> 00:49:29.193 It's not obvious that Sceptre would make a P-value
- 00:49:29.193 --> 00:49:31.720 or they're more or less significant.
- 00:49:31.720 --> 00:49:34.340 I think I will say just as a small detail here
- $00{:}49{:}34.340 \dashrightarrow 00{:}49{:}38.280$ that in addition to the negative binomial regression
- 00:49:38.280 --> 00:49:40.410 this P-value, it says,
- $00:49:40.410 \longrightarrow 00:49:42.210$ there's this strange word empirical here.
- $00:49:42.210 \longrightarrow 00:49:43.400$ What it means is that

 $00{:}49{:}43.400 \dashrightarrow 00{:}49{:}46.540$ they've kind of also applied their fixed that they had

 $00{:}49{:}46.540 \dashrightarrow 00{:}49{:}48.448$ because they realized that they had the miscalibration

 $00:49:48.448 \longrightarrow 00:49:49.940$ and then they kind of like smashed all

00:49:49.940 --> 00:49:52.086 of their P-values sort of,

 $00:49:52.086 \longrightarrow 00:49:55.300$ so these are sort of like, so in that sense

 $00:49:55.300 \longrightarrow 00:49:56.730$ it's not an apples to apples comparison

 $00:49:56.730 \longrightarrow 00:49:58.470$ but what we're doing is we're comparing

 $00{:}49{:}58.470 \dashrightarrow 00{:}50{:}00.100$ to the P-values that were actually used

 $00:50:00.100 \longrightarrow 00:50:02.096$ for the analysis in this, in this paper.

 $00:50:02.096 \dashrightarrow 00:50:05.830$ So may be that makes it even harder to compare, but yes.

00:50:05.830 --> 00:50:08.430 So take this plot with a grain of salt, if you will.

00:50:09.900 --> 00:50:13.920 Perhaps I think the most exciting part is

00:50:13.920 --> 00:50:18.020 actually applying this to new gene-enhancer pairs

 $00:50:18.020 \dashrightarrow 00:50:20.770$ where we don't know necessarily what the answer is.

00:50:20.770 --> 00:50:23.528 And so this plot just shows you

00:50:23.528 --> 00:50:26.500 we're just plotting it's actually, I guess

 $00:50:26.500 \longrightarrow 00:50:29.740$ similar to this plot we saw here

 $00{:}50{:}29.740 \dashrightarrow 00{:}50{:}32.820$ except now we're looking at the candidate enhancers.

 $00:50:32.820 \longrightarrow 00:50:35.950$ And so essentially the different colors.

 $00:50:35.950 \longrightarrow 00:50:38.490$ So firstly, this also just shows you

 $00{:}50{:}38.490 \dashrightarrow 00{:}50{:}42.260$ that this is very much not a monotonic transformation.

 $00{:}50{:}42.260 \dashrightarrow 00{:}50{:}47.160$ Like you really can like, if you look into this quadrant

 $00:50:47.160 \longrightarrow 00:50:50.750$ this is an example where the original P-value was very

 $00:50:50.750 \longrightarrow 00:50:53.690$ not significant, but according to Sceptre

00:50:53.690 --> 00:50:56.883 it can be very significant and vice versa.

- $00:50:58.050 \longrightarrow 00:51:00.740$ So essentially I've just kind of highlighted
- $00:51:00.740 \longrightarrow 00:51:03.140$ those gene-enhancer pairs that were,
- $00:51:03.140 \longrightarrow 00:51:05.420$ found by one method and not the other.
- $00:51:05.420 \longrightarrow 00:51:08.610$ And so the upshot is that there's a total
- $00:51:08.610 \longrightarrow 00:51:12.380$ of about, roughly 500 or so found.
- $00:51:12.380 \longrightarrow 00:51:15.350$ Well, I guess after found 563
- $00:51:15.350 \longrightarrow 00:51:17.860$ of those 200 were new in the sense
- $00:51:17.860 \longrightarrow 00:51:20.520$ that they were not found by the original analysis.
- $00:51:20.520 \longrightarrow 00:51:23.720$ And then 107 were found by the original analysis
- $00:51:23.720 \longrightarrow 00:51:25.860$ but were not found by us.
- $00:51:25.860 \longrightarrow 00:51:28.300$ And we have strong reasons to believe
- $00{:}51{:}28.300 \dashrightarrow 00{:}51{:}30.100$ that these could be false positives based
- $00{:}51{:}30.100 \dashrightarrow 00{:}51{:}33.913$ on exactly the sorts of miscalibration that I presented.
- $00:51:35.060 \longrightarrow 00:51:38.390$ We did look at a few specific new discoveries here
- $00{:}51{:}38.390 \to 00{:}51{:}43.390$ and found that they were corroborated by EQTL data.
- $00:51:43.400 \longrightarrow 00:51:44.870$ And for those of you who are familiar
- 00:51:44.870 --> 00:51:48.410 enhancer RNA correlation data, since I'm running low
- 00:51:48.410 --> 00:51:51.190 on time, I don't have time to explain this to you
- $00:51:51.190 \longrightarrow 00:51:52.560$ but these are all P-values
- $00{:}51{:}52.560 \dashrightarrow 00{:}51{:}56.313$ of association based on orthogonal functional assets.
- $00{:}51{:}57.800 \dashrightarrow 00{:}52{:}00.770$ Also, we found that our discoveries were more enriched
- $00:52:00.770 \longrightarrow 00:52:03.600$ for biological signals in a few different ways.
- 00:52:03.600 --> 00:52:06.020 One of them is that, and again,
- $00:52:06.020 \longrightarrow 00:52:08.100$ I'm sort of maybe going a little bit
- $00{:}52{:}08.100 \dashrightarrow 00{:}52{:}10.810$ more quickly here 'cause I'm about to run out of time
- $00:52:10.810 \longrightarrow 00:52:13.070$ but there are these things called topologically
- $00:52:13.070 \longrightarrow 00:52:16.070$ associating domains, which are basically regions

- 00:52:16.070 --> 00:52:18.560 in the genome within which most
- $00{:}52{:}18.560 \dashrightarrow 00{:}52{:}21.680$ of these regulatory interactions are thought to occur.
- $00:52:21.680 \longrightarrow 00:52:24.970$ And so what we find is that a greater fraction
- $00:52:24.970 \longrightarrow 00:52:27.450$ of the gene-enhancer pairs we found compared
- $00:52:27.450 \longrightarrow 00:52:29.710$ to the original analysis did lie
- $00:52:29.710 \longrightarrow 00:52:32.380$ in the same top logically associating domain.
- $00:52:32.380 \longrightarrow 00:52:34.530$ So in this case, 74% versus
- $00:52:34.530 \dashrightarrow 00:52:37.040$ the 71% found in the original analysis.
- 00:52:37.040 --> 00:52:39.290 So in this sense, I mean, it's just kind of
- $00:52:39.290 \dashrightarrow 00:52:43.890$ like a first order sense of biological plausibility.
- $00:52:43.890 \longrightarrow 00:52:45.890$ I think people are starting to think
- $00:52:45.890 \longrightarrow 00:52:47.590$ that there are interactions that are sort of
- $00:52:47.590 \longrightarrow 00:52:49.160$ outside of tabs as well.
- 00:52:49.160 --> 00:52:51.760 So I don't think this is a signal that,
- $00:52:51.760 \longrightarrow 00:52:54.670$ 26% of these things are false discoveries
- 00:52:54.670 --> 00:52:59.360 but we definitely do expect, a high degree
- $00:52:59.360 \longrightarrow 00:53:03.633$ of enrichment for within tad interactions.
- 00:53:05.060 --> 00:53:06.640 Also if you do look
- $00{:}53{:}06.640 \dashrightarrow 00{:}53{:}08.950$ at some of these more circumstantial pieces
- $00:53:08.950 \longrightarrow 00:53:13.950$ of evidence for regulations, such as things
- $00{:}53{:}13.970 \dashrightarrow 00{:}53{:}18.950$ like transcription factor binding or histone modifications
- $00:53:18.950 \longrightarrow 00:53:22.430$ so we can use CHiP-seq to essentially assess
- $00:53:23.427 \longrightarrow 00:53:27.150$ for any given what
- $00{:}53{:}27.150 \dashrightarrow 00{:}53{:}32.150$ whether there is these kind of signatures of regulation.
- $00:53:32.830 \longrightarrow 00:53:35.430$ And so what we found is that we did a little bit
- $00:53:35.430 \longrightarrow 00:53:37.640$ of an enrichment analysis where we looked at all
- $00:53:37.640 \longrightarrow 00:53:40.240$ of those enhancers that were found to be paired
- $00:53:40.240 \longrightarrow 00:53:43.450$ to genes by sector versus the original method
- $00:53:43.450 \longrightarrow 00:53:45.980$ and looked to what extent they were enriched

 $00:53:45.980 \longrightarrow 00:53:49.270$ for these other signatures

 $00:53:49.270 \longrightarrow 00:53:51.730$ these CHiP-seq based signatures of regulation.

 $00:53:51.730 \longrightarrow 00:53:53.260$ And what we found is that

 $00{:}53{:}53.260 \dashrightarrow 00{:}53{:}57.580$ across eight of these CHiP-seq targets, and by the way

 $00:53:57.580 \longrightarrow 00:53:59.450$ these eight are not selected.

 $00{:}53{:}59.450 \dashrightarrow 00{:}54{:}02.930$ These actually were the exact eight CHiP-seq targets

00:54:02.930 --> 00:54:05.830 that they examined in the original paper,

 $00:54:05.830 \longrightarrow 00:54:08.450$ we found greater enrichment.

 $00.54.08.450 \longrightarrow 00.54.12.550$ So in this sense, also the enhancers being

00:54:12.550 --> 00:54:14.810 picked up by Sceptre are just more biologically

 $00:54:14.810 \longrightarrow 00:54:19.170$ plausible using these orthogonal kinds of assets.

00:54:19.170 --> 00:54:21.490 So I find this very exciting

 $00:54:21.490 \longrightarrow 00:54:24.550$ and I'm just gonna maybe make a few remarks

 $00:54:24.550 \longrightarrow 00:54:25.770$ and hopefully there's just a little bit

 $00:54:25.770 \longrightarrow 00:54:27.300$ of time for questions.

 $00{:}54{:}27.300 \dashrightarrow 00{:}54{:}30.380$ I will also be around for a few minutes after the seminar.

 $00{:}54{:}30.380 \dashrightarrow 00{:}54{:}32.950$ If anyone wants to stick around and ask me questions

 $00:54:32.950 \longrightarrow 00:54:34.770$ you also might have your next thing to go to.

 $00:54:34.770 \longrightarrow 00:54:36.173$ So I understand if not.

 $00{:}54{:}37.310 --> 00{:}54{:}40.570$ But may be the summary is that, mapping geneenhancer

 $00:54:40.570 \longrightarrow 00:54:42.890$ regulatory relationships is very important.

 $00{:}54{:}42.890 \dashrightarrow 00{:}54{:}47.460$ If we wanna translate GWAS hits into disease insights.

 $00:54:47.460 \longrightarrow 00:54:50.190$ And there's been this very exciting new technology

 $00:54:50.190 \longrightarrow 00:54:52.970$ that allows us to answer that question.

00:54:52.970 --> 00:54:56.010 This technology was proposed very recently,

 $00:54:56.010 \longrightarrow 00:54:59.610$ and so there aren't that many methods out there

 $00:54:59.610 \longrightarrow 00:55:01.800$ to analyze these kinds of data.

 $00:55:01.800 \dashrightarrow 00:55:05.200$ And so what we did with Sceptre is we leveraged recent

 $00{:}55{:}05.200$ --> $00{:}55{:}08.250$ methological advances in statistics to overcome the primary

 $00{:}55{:}08.250 \dashrightarrow 00{:}55{:}11.440$ limitations of the parametric and non-parametric analysis

 $00:55:11.440 \longrightarrow 00:55:13.360$ methods that were available.

00:55:13.360 --> 00:55:17.170 And finally, we applied it to the largest existing

 $00:55:17.170 \longrightarrow 00:55:18.660$ data set of this kind.

 $00{:}55{:}18.660 \dashrightarrow 00{:}55{:}21.970$ And what we get is a greater number of more biologically

 $00:55:21.970 \longrightarrow 00:55:24.530$ meaningful regulatory relationships.

 $00{:}55{:}24.530 \dashrightarrow 00{:}55{:}27.720$ So I had a few other discussion slides, may be I'll just

 $00{:}55{:}27.720 \rightarrow 00{:}55{:}30.660$ read the title to you without getting into the details

 $00:55:30.660 \longrightarrow 00:55:33.570$ but this is a rapidly developing technology.

 $00:55:33.570 \longrightarrow 00:55:36.930$ And we do foresee that sector will be applicable

 $00:55:36.930 \longrightarrow 00:55:40.020$ to future iterations of the technology.

 $00.55.40.020 \longrightarrow 00.55.42.230$ So that's promising.

 $00:55:42.230 \longrightarrow 00:55:45.800$ And secondly, this is more like the beginning

 $00:55:45.800 \longrightarrow 00:55:47.260$ of the road than the end of the road.

 $00:55:47.260 \longrightarrow 00:55:49.323$ There are lots of remaining challenges,

 $00:55:50.550 \longrightarrow 00:55:52.710$ this includes looking for interactions

 $00.55.52.710 \longrightarrow 00.55.56.160$ among enhancers, things like dealing

 $00{:}55{:}56.160 \dashrightarrow 00{:}55{:}59.600$ with multiple guidances, how are you in the same enhancer,

 $00{:}55{:}59.600 \dashrightarrow 00{:}56{:}02.430$ they're just basically like a whole, I would say, playground

 $00:56:02.430 \longrightarrow 00:56:05.603$ of statistical problems that have yet to be addressed.

00:56:06.540 --> 00:56:11.290 So maybe finally, if you'd like to learn more

 $00:56:11.290 \longrightarrow 00:56:13.390$ we have a pre-printed on bio archive.

 $00:56:13.390 \longrightarrow 00:56:15.890$ I wanna acknowledge my co-authors again.

00:56:15.890 --> 00:56:20.240 And finally, so Tim has worked very well hard

00:56:20.240 --> 00:56:24.030 on putting, making this an art package so

 $00:56:24.030 \longrightarrow 00:56:26.110$ you can find out on GitHub

00:56:26.110 --> 00:56:28.940 and I'm very happy to take questions now

 $00:56:28.940 \longrightarrow 00:56:32.230$ but if you have any burning questions that come

 $00:56:32.230 \longrightarrow 00:56:34.960$ to you 30 minutes after my talk

 $00:56:34.960 \longrightarrow 00:56:37.390$ please feel free to email me at this address.

 $00{:}56{:}37.390 \dashrightarrow 00{:}56{:}40.050$ So thank you, and I should have said at the top, thank you

00:56:40.050 --> 00:56:41.873 Lexi for the invitation.

 $00{:}56{:}41.873 \dashrightarrow 00{:}56{:}44.990$ - Thank you for agreeing to present your work here.

 $00:56:44.990 \longrightarrow 00:56:46.660$ It's really a nice talk.

 $00:56:46.660 \longrightarrow 00:56:47.510$ - Yeah Thank you.

 $00{:}56{:}48.610 \dashrightarrow 00{:}56{:}52.370$ - So I have some, maybe less related question

 $00{:}56{:}52.370 \rightarrow 00{:}56{:}55.770$ to your current work, but maybe interesting to consider.

 $00:56:55.770 \longrightarrow 00:56:57.440$ I am not sure.

 $00:56:57.440 \longrightarrow 00:56:59.400$ Have you looked at the correlation structure

 $00:56:59.400 \longrightarrow 00:57:02.500$ between the X matrix?

 $00:57:02.500 \longrightarrow 00:57:06.570$ - Yeah, so essentially my sense is that gets

 $00{:}57{:}06.570 \dashrightarrow 00{:}57{:}11.400$ like a factor model where you have all

 $00{:}57{:}11.400$ --> $00{:}57{:}16.120$ of these sort of confounders that are inducing correlation

 $00{:}57{:}16.120 \dashrightarrow 00{:}57{:}21.120$ among all the axis, but essentially like once you account

 $00:57:21.403 \longrightarrow 00:57:25.170$ for that confounding, it's independent.

 $00:57:25.170 \longrightarrow 00:57:28.043$ - I see (indistinct) correlation.

 $00:57:29.240 \longrightarrow 00:57:33.170$ - So it's fairly small correlation and essentially

 $00:57:33.170 \longrightarrow 00:57:35.870$ the reason for, and this is very different from

 $00:57:35.870 \longrightarrow 00:57:37.850$ for example, genome-wide association studies.

 $00.57:37.850 \longrightarrow 00.57:38.683$ So it's like, Oh

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00:57:38.683 \longrightarrow 00:57:40.270 is there some analog of Lincoln's this equilibrium.
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 $00:57:40.270 \longrightarrow 00:57:43.487$ And the key difference here is that

 $00:57:43.487 \longrightarrow 00:57:46.240$ it's essentially a design experiments.

 $00:57:46.240 \longrightarrow 00:57:48.820$ So even though you're not controlling exactly

 $00:57:48.820 \longrightarrow 00:57:51.190$ which cells receive what perturbations you are

 $00:57:51.190 \longrightarrow 00:57:53.600$ basically assigning them at random.

 $00:57:53.600 \longrightarrow 00:57:54.880$ So if it worked

 $00{:}57{:}54.880 \dashrightarrow 00{:}57{:}58.030$ for this sort of pesky measurement mechanism business

 $00:57:58.030 \longrightarrow 00:58:00.920$ it would be an unconfounded problem.

 $00:58:00.920 \longrightarrow 00:58:05.480$ But essentially, so the only correlations are coming

 $00:58:05.480 \longrightarrow 00:58:07.860$ from this measurement.

 $00:58:07.860 \longrightarrow 00:58:10.040$ Yes so that is a great question

 $00:58:10.040 \longrightarrow 00:58:11.120$ because you can ask, well

00:58:11.120 --> 00:58:13.060 how did I do the slight of hand run?

00:58:13.060 --> 00:58:14.960 Like slide three all of a sudden I was working

 $00:58:14.960 \longrightarrow 00:58:16.580$ with like one enhancer

 $00.58:16.580 \longrightarrow 00.58:18.300$ and where did all the rest of them go.

00:58:18.300 --> 00:58:21.430 And I think we're actually not losing all too much

 $00:58:21.430 \longrightarrow 00:58:22.960$ by doing this, especially

 $00:58:22.960 \dashrightarrow 00:58:25.430$ since we are controlling for those technical factors.

 $00:58:25.430 \longrightarrow 00:58:28.140$ - Yeah thanks that makes sense to me.

 $00:58:28.140 \longrightarrow 00:58:30.591$ And another thing is maybe more, less than less

 $00:58:30.591 \longrightarrow 00:58:34.350$ statistical is how many confounding factors

 $00:58:34.350 \longrightarrow 00:58:35.490$ they are controlling

 $00{:}58{:}35.490 \dashrightarrow 00{:}58{:}39.159$ and what are the important ones that you have identified?

 $00:58:39.159 \longrightarrow 00:58:40.900$ - Yeah, I mean, so in this case

 $00:58:40.900 \longrightarrow 00:58:43.870$ we're doing essentially we're following the lead of

 $00:58:44.880 \longrightarrow 00:58:45.870$ the original paper

 $00:58:45.870 \longrightarrow 00:58:47.700$ for which confounding factors with control for.

 $00:58:47.700 \longrightarrow 00:58:50.520$ So in addition to sequencing depth.

 $00:58:50.520 \longrightarrow 00:58:51.970$ Yeah, so they do have a batch of fact

 $00{:}58{:}51.970 \dashrightarrow 00{:}58{:}54.820$ and there's also something called Percent Might've Country.

 $00{:}58{:}54.820 \dashrightarrow 00{:}58{:}58.210$ So it's like what fraction of all the reads that you got

 $00{:}58{:}58.210$ --> $00{:}59{:}01.760$ in this particular cell came from mitochondrial DNA

 $00:59:01.760 \longrightarrow 00:59:06.760$ as opposed to, regular DNA, maybe a few others

 $00:59:08.560 \longrightarrow 00:59:09.850$ like just total number

 $00:59:09.850 \longrightarrow 00:59:12.744$ of genes expressed in the cell, things of this nature.

 $00:59:12.744 \longrightarrow 00:59:14.550$ So I think here we're correcting

 $00:59:14.550 \longrightarrow 00:59:18.300$ for about five, but you could think of other things

 $00:59:18.300 \longrightarrow 00:59:23.300$ like cell cycle, this is a pretty K five 62 is a pretty

00:59:25.210 --> 00:59:27.340 homogeneous cell line, but especially

 $00:59:27.340 \longrightarrow 00:59:30.380$ once you get to other kinds of, tissue samples

 $00:59:30.380 \longrightarrow 00:59:33.040$ you might need to think about, cell type

 $00:59:33.040 \longrightarrow 00:59:35.140$ and things of this nature.

00:59:35.140 --> 00:59:38.110 So I think there are lots to consider here,

 $00:59:38.110 \longrightarrow 00:59:40.870$ we used kind of five easy ones.

 $00:59:41.907 \longrightarrow 00:59:42.913$ - Okay, thanks.

 $00:59:44.440 \longrightarrow 00:59:46.537$ Any more questions for Eugene?

00:59:48.030 --> 00:59:50.790 Yeah, I think we are approximating

 $00:59:52.191 \longrightarrow 00:59:55.480$ the end of the talk, the seminar.

00:59:55.480 --> 00:59:58.340 So thanks again for your great talk.

 $00:59:58.340 \longrightarrow 01:00:00.630$ And if you have any further questions

 $01:00:00.630 \longrightarrow 01:00:04.970$ you can just send emails to Eugene offline.

 $01:00:04.970 \dashrightarrow 01:00:07.697$ - Yes, yes, definitely don't he sitate to reach out.