## WEBVTT

 $00:00:00.000 \longrightarrow 00:00:02.400$  - Maybe one or two minutes and then,

 $00:00:02.400 \longrightarrow 00:00:03.233$  I'll have you introduced.

 $00:00:03.233 \longrightarrow 00:00:04.640$  - And it's about, and so I...

00:00:04.640 --> 00:00:06.860 And it's gonna be more fun for me if it's a little

 $00:00:06.860 \longrightarrow 00:00:08.510$  interactive, as much as we can make it.

 $00:00:08.510 \dashrightarrow 00:00:11.760$  So I won't be able to see all of you nodding and whatnot,

00:00:11.760 --> 00:00:14.827 but please feel free to jump in.

00:00:14.827 --> 00:00:16.830 And the talk's gonna be pretty non-technical.

 $00:00:16.830 \longrightarrow 00:00:18.960$  My goal is mostly to sort of help

 $00:00:18.960 \dashrightarrow 00:00:23.360$  convey some of the concepts and ideas and so I will.

 $00{:}00{:}23.360 \dashrightarrow 00{:}00{:}27.143$  Hopefully it will be a reasonable topic to do via Zoom.

 $00:00:30.050 \longrightarrow 00:00:31.420$  Great, so I think,

 $00:00:32.650 \longrightarrow 00:00:35.670$  Frank basically gave this stuff that's relevant

 $00:00:35.670 \longrightarrow 00:00:36.800$  on this slide.

 $00:00:36.800 \longrightarrow 00:00:38.890$  I do also wanna apologize, those of you guys

 $00{:}00{:}38.890 \dashrightarrow 00{:}00{:}41.170$  who I was supposed to meet with this morning, we have a...

00:00:41.170 --> 00:00:43.850 My husband broke his collar bone over the weekend.

00:00:43.850 --> 00:00:46.840 So I've had to cancel things this morning,

 $00:00:46.840 \longrightarrow 00:00:49.853$  but I'm glad I'm able to still do this seminar,

00:00:51.278 --> 00:00:52.380 I didn't wanna,

 $00:00:52.380 \longrightarrow 00:00:53.380$  have to cancel that.

 $00:00:54.350 \longrightarrow 00:00:56.060$  So again,

 $00:00:56.060 \longrightarrow 00:00:58.530$  the topic is gonna be sort of this idea of external

 $00:00:58.530 \longrightarrow 00:01:01.330$  validity, which I think is a topic that people often

 $00:01:01.330 \longrightarrow 00:01:03.540$  are interested in because it's the sort of thing

 $00:01:03.540 \longrightarrow 00:01:06.170$  that we often think sort of qualitatively about,

 $00:01:06.170 \dashrightarrow 00:01:08.310$  but there hasn't been a lot of work thinking about it.

00:01:08.310 --> 00:01:09.143 quantitatively.

00:01:09.143 --> 00:01:11.380 So again, my goal today will be to sort of help

 $00{:}01{:}11.380 \dashrightarrow 00{:}01{:}14.840$  give a framework for thinking about external validity

 $00:01:14.840 \longrightarrow 00:01:16.863$  in sort of a more formal way.

00:01:18.900 --> 00:01:22.380 So let's start out with the sorts of questions

 $00:01:22.380 \longrightarrow 00:01:25.220$  that might be relevant when you're thinking about

 $00:01:25.220 \longrightarrow 00:01:26.740$  external validity.

 $00{:}01{:}26.740 \dashrightarrow 00{:}01{:}30.080$  So it might be research questions like a health insurer

 $00{:}01{:}30.080 \dashrightarrow 00{:}01{:}33.720$  is deciding whether or not to approve some new treatment

 $00:01:33.720 \longrightarrow 00:01:35.890$  for back pain.

 $00{:}01{:}35.890 --> 00{:}01{:}39.090$  There might be interested predicting overall population

 $00:01:39.090 \longrightarrow 00:01:43.140$  impacts of a broad public health media campaign.

00:01:43.140 --> 00:01:46.130 A physician practice might be deciding whether training

 $00{:}01{:}46.130 \dashrightarrow 00{:}01{:}48.770$  providers in a new intervention would actually be cost

00:01:48.770 --> 00:01:52.630 effective given the patient population that they have.

00:01:52.630 --> 00:01:54.970 And that I felt like I needed to get some COVID

 $00:01:54.970 \longrightarrow 00:01:57.300$  example in...

00:01:57.300 --> 00:01:59.290 But, for example, a healthcare system,

 $00{:}01{:}59.290 \dashrightarrow 00{:}02{:}02{:}02.080$  might wanna know whether it's sort of giving convalescent

 $00:02:02.080 \longrightarrow 00:02:05.690$  plasma to all of the individuals recently diagnosed

 $00{:}02{:}05.690 \dashrightarrow 00{:}02{:}08.240$  with COVID-19 in their system, whether that would

 $00:02:08.240 \longrightarrow 00:02:10.853$  sort of lead to better outcomes overall.

 $00:02:12.470 \longrightarrow 00:02:14.560$  So all of these...

 $00:02:14.560 \longrightarrow 00:02:16.860$  What I'm distinguishing here or sort of trying to convey

 $00{:}02{:}16.860 \dashrightarrow 00{:}02{:}19.880$  is that all of these reflect what I will call a population

 $00:02:19.880 \longrightarrow 00:02:21.500$  average treatment effect.

00:02:21.500 --> 00:02:24.640 So across some well-defined population,

 $00:02:24.640 \longrightarrow 00:02:28.240$  does some intervention work sort of on average.

 $00:02:28.240 \longrightarrow 00:02:30.210$  The population might be pretty narrow.

 $00:02:30.210 \longrightarrow 00:02:33.130$  Again, it might be the patients in one particular

 $00:02:33.130 \longrightarrow 00:02:35.490$  physician practice, or might be quite broad.

 $00:02:35.490 \longrightarrow 00:02:38.140$  It could be everyone in the State of Connecticut

 $00:02:38.140 \longrightarrow 00:02:40.390$  or in the entire country.

 $00:02:40.390 \dashrightarrow 00:02:44.240$  But either way, it's a well-defined kind of population

 $00:02:44.240 \longrightarrow 00:02:46.080$  and we'll come back to that.

 $00:02:46.080 \longrightarrow 00:02:47.500$  What's really important,

 $00:02:47.500 \longrightarrow 00:02:50.020$  and this will sort of underlie much of the talk

 $00:02:50.020 \longrightarrow 00:02:52.480$  is that kind of the whole point is that there might

00:02:52.480 --> 00:02:54.610 be underlying treatment effect heterogeneity.

00:02:54.610 --> 00:02:56.890 So there might be some individuals

 $00:02:56.890 \longrightarrow 00:02:59.100$  for whom this treatment of interest is actually

 $00:02:59.100 \longrightarrow 00:03:01.070$  more effective than others.

 $00{:}03{:}01.070 \dashrightarrow 00{:}03{:}04.410$  But what I wanna be clear about, is the goal of inference

 $00:03:04.410 \longrightarrow 00:03:06.980$  that I'm talking about today, is gonna be about

 $00{:}03{:}06.980 \dashrightarrow 00{:}03{:}08.750$  this overall population average.

 $00:03:08.750 \longrightarrow 00:03:11.450$  So we're not trying to say like which people

 $00:03:11.450 \longrightarrow 00:03:14.410$  are gonna benefit more or sort of to which people

 $00:03:14.410 \longrightarrow 00:03:15.970$  should we give this treatment.

 $00{:}03{:}15.970 \dashrightarrow 00{:}03{:}19.560$  It's really more a question of sort of more population

00:03:19.560 --> 00:03:21.530 level decisions, sort of if we have...

00:03:21.530 --> 00:03:23.650 If we're making a decision, that's sort of a policy

 $00:03:23.650 \longrightarrow 00:03:25.250$  kind of population level,

 $00{:}03{:}25.250 \dashrightarrow 00{:}03{:}28.350$  on average is this gonna be something that makes sense.

 $00:03:28.350 \longrightarrow 00:03:30.420$  So I hope that distinction makes sense.

 $00:03:30.420 \longrightarrow 00:03:32.343$  I'm happy to come back to that.

 $00:03:35.360 \longrightarrow 00:03:38.243$  So again until I don't know, five or,

 $00{:}03{:}38.243 \dashrightarrow 00{:}03{:}41.090$  well maybe now more than 10 years ago,

 $00:03:41.090 \longrightarrow 00:03:42.990$  there had been relatively little attention

 $00:03:42.990 \longrightarrow 00:03:46.470$  to the question of how well results from

 $00{:}03{:}46.470 --> 00{:}03{:}50.040$  kind of well-designed studies like a randomized trial

 $00{:}03{:}50.040 \dashrightarrow 00{:}03{:}52.920$  might carry over to a relevant target population.

 $00:03:52.920 \longrightarrow 00:03:55.830$  I think in much of statistics as well as fields

 $00{:}03{:}55.830 \dashrightarrow 00{:}04{:}00.120$  like education research, public policy, even health-care,

 $00:04:00.120 \longrightarrow 00:04:02.560$  there's really been a focus on randomized trials

 $00:04:02.560 \longrightarrow 00:04:04.950$  and getting internal validity,

 $00:04:04.950 \longrightarrow 00:04:07.440$  and I'll formalize this in a minute.

 $00{:}04{:}07.440 \dashrightarrow 00{:}04{:}09.930$  But in the past 10 or so years, there's been more and more

 $00{:}04{:}09.930 --> 00{:}04{:}13.180$  interest in this idea of how well can we take the results

 $00:04:13.180 \longrightarrow 00:04:17.030$  from a particular study and then project them

 $00:04:17.030 \longrightarrow 00:04:19.620$  to well-defined target population.

00:04:19.620 --> 00:04:21.330 And again, so today I'm gonna try to give

00:04:21.330 --> 00:04:24.100 sort of an overview of the thinking in this area,

 $00:04:24.100 \longrightarrow 00:04:26.930$  along with some of the limitations and in particular,

 $00:04:26.930 \longrightarrow 00:04:29.780$  the data limitations that we have in thinking about this.

00:04:32.840 --> 00:04:35.720 One thing I do wanna be clear about is there's a lot

 $00:04:35.720 \longrightarrow 00:04:38.010$  of reasons why results from randomized trials

 $00:04:38.010 \longrightarrow 00:04:39.580$  might not generalize.

 $00:04:39.580 \longrightarrow 00:04:42.320$  There's some classic examples in education

 $00:04:42.320 \longrightarrow 00:04:44.450$  where there are scale-up problems.

00:04:44.450 --> 00:04:47.903 The classic example is one I'm looking at,

 $00:04:49.890 \longrightarrow 00:04:50.750$  class size.

 $00:04:50.750 \longrightarrow 00:04:53.880$  And so, in Tennessee, they randomly assign kids

 $00:04:53.880 \longrightarrow 00:04:56.620$  to be in smaller versus larger classes

 $00:04:56.620 \longrightarrow 00:04:59.570$  and found quite large effects of smaller classes.

 $00{:}04{:}59.570 \dashrightarrow 00{:}05{:}02.530$  But then, when the State of California tried to implement

 $00{:}05{:}02.530 \dashrightarrow 00{:}05{:}05.880$  this, the problem is that you need a lot more teachers

 $00:05:05.880 \longrightarrow 00:05:08.040$  to kind of roll that out statewide.

00:05:08.040 --> 00:05:10.720 And so, it led actually to a different pool of teachers

 $00:05:10.720 \longrightarrow 00:05:11.553$  being hired.

00:05:11.553 --> 00:05:13.970 And so, there's sort of scale-up problems

 $00{:}05{:}13.970 \dashrightarrow 00{:}05{:}16.170$  sometimes with the interventions and that might lead

 $00{:}05{:}16.170 \dashrightarrow 00{:}05{:}19.010$  to different contexts or different implementation.

 $00:05:19.010 \dashrightarrow 00:05:21.250$  Today, what I'm gonna be focusing on are differences

 $00:05:21.250 \longrightarrow 00:05:23.503$  between a sample and a population.

 $00:05:24.770 \longrightarrow 00:05:27.630$  Their difference is in sort of baseline characteristics,

 $00:05:27.630 \longrightarrow 00:05:28.757$  that moderate treatment effects.

 $00{:}05{:}28.757 \dashrightarrow 00{:}05{:}31.763$  And again, I'll formalize this a little bit as we go along.

 $00:05:32.830 \longrightarrow 00:05:34.230$  Just as a little bit of an aside,

 $00:05:34.230 \longrightarrow 00:05:36.830$  but in case some of you know this field a little bit,

 $00:05:36.830 \longrightarrow 00:05:38.740$  just to give you a little, just...

 $00:05:38.740 \longrightarrow 00:05:40.000$  I wanna flag this.

00:05:40.000 --> 00:05:42.810 Some people might use the term transportability.

 $00:05:42.810 \longrightarrow 00:05:45.720$  So some of the literature in this field uses the term

 $00:05:45.720 \longrightarrow 00:05:47.170$  transportability.

 $00:05:47.170 \longrightarrow 00:05:50.090$  I tend to use generalizability.

 $00:05:50.090 \longrightarrow 00:05:51.920$  There's some subtle differences between the two,

 $00:05:51.920 \longrightarrow 00:05:55.460$  which we can come back to, but for all intents and purposes,

 $00{:}05{:}55.460 \dashrightarrow 00{:}05{:}58.660$  like they basically can think of them interchangeably

 $00:05:58.660 \longrightarrow 00:06:00.210$  for now.

00:06:00.210 --> 00:06:02.050 I also wanna note, if any of you kind of come

 $00:06:02.050 \longrightarrow 00:06:05.930$  from like a survey world, these debates about

 $00{:}06{:}05.930 \dashrightarrow 00{:}06{:}09.330$  kind of how well a particular sample reflects a target

00:06:09.330 --> 00:06:12.200 population are exactly, not exactly the same,

 $00{:}06{:}12.200 \dashrightarrow 00{:}06{:}14.950$  but very similar to the debates happening in the survey

 $00{:}06{:}14.950 {\:{\circ}{\circ}{\circ}}>00{:}06{:}18.850$  world around non-probability samples and sort of concerns

 $00:06:18.850 \longrightarrow 00:06:19.683$  about,

 $00{:}06{:}20.850 \dashrightarrow 00{:}06{:}24.760$  the use of like say online surveys and things that might not

 $00:06:24.760 \longrightarrow 00:06:28.350$  have a true formal sort of survey sampling design,

 $00:06:28.350 \longrightarrow 00:06:30.810$  and sort of some of the concerns that arise about

 $00:06:30.810 \longrightarrow 00:06:31.643$  generalizability.

 $00{:}06{:}31.643 \dashrightarrow 00{:}06{:}34.110$  So there's this whole parallel literature in the survey

 $00:06:34.110 \longrightarrow 00:06:34.990$  world.

00:06:34.990 --> 00:06:36.950 Andrew Mercer has a nice summary of that.

 $00:06:36.950 \longrightarrow 00:06:39.123$  Again, I'm happy to talk more about that.

00:06:41.390 --> 00:06:43.803 Okay, any questions before I keep going?

 $00:06:48.500 \longrightarrow 00:06:49.440$  Okay.

 $00{:}06{:}49.440 \dashrightarrow 00{:}06{:}52.350$  So let me formalize kind of what we're talking about

 $00:06:52.350 \longrightarrow 00:06:53.480$  a little bit.

 $00:06:53.480 \longrightarrow 00:06:54.660$  This is...

 $00:06:54.660 \longrightarrow 00:06:59.200$  This framework is now, 12 years old.

 $00:06:59.200 \longrightarrow 00:07:00.550$  Time goes quickly.

 $00:07:00.550 \dashrightarrow 00:07:04.660$  But we're just to formalize what we're interested in.

 $00:07:04.660 \longrightarrow 00:07:07.090$  The goal is to estimate, again, this what I'll call

 $00:07:07.090 \longrightarrow 00:07:09.483$  a population average treatment effect or PATE.

 $00:07:10.440 \longrightarrow 00:07:12.000$  And so here,

 $00{:}07{:}12.000$  -->  $00{:}07{:}14.360$  hopefully you're familiar with sort of potential outcomes

 $00:07:14.360 \longrightarrow 00:07:15.910$  and causal inference.

 $00{:}07{:}15.910 \dashrightarrow 00{:}07{:}18.780$  But the idea is that we have some well-defined population

 $00:07:18.780 \longrightarrow 00:07:20.100$  of size N.

 $00:07:20.100 \longrightarrow 00:07:23.760$  And Y(1) is the potential outcomes, if people

 $00:07:23.760 \longrightarrow 00:07:27.790$  in that population receive the treatment condition

 $00:07:27.790 \longrightarrow 00:07:29.050$  of interest.

 $00:07:29.050 \longrightarrow 00:07:31.860 \text{ Y}(0)$  are the outcomes if they receive the control

 $00{:}07{:}31.860 \dashrightarrow 00{:}07{:}33.890$  or comparison condition of interest.

00:07:33.890 --> 00:07:35.400 So here, we're just saying we're interested

 $00:07:35.400 \longrightarrow 00:07:39.750$  in the average effect, basically sort of the difference

 $00{:}07{:}39.750 \dashrightarrow 00{:}07{:}44.463$  in potential outcomes, average across the population.

 $00{:}07{:}45.530 \dashrightarrow 00{:}07{:}49.330$  We could be doing this with risk ratios

 $00:07:49.330 \longrightarrow 00:07:51.450$  or odds ratios or something.

 $00{:}07{:}51.450 \dashrightarrow 00{:}07{:}53.150$  Those are a little more complicated because the math

 $00:07:53.150 \longrightarrow 00:07:55.120$  doesn't work as nicely.

 $00:07:55.120 \longrightarrow 00:07:57.380$  So for now think about it more like risk differences

00:07:57.380 --> 00:07:59.500 or something, if you have a binary outcome,

 $00:07:59.500 \longrightarrow 00:08:01.573$  the same fundamental points hold.

 $00:08:02.570 \longrightarrow 00:08:05.070$  So I'm not gonna tell you right now where

 $00:08:05.070 \dashrightarrow 00:08:08.010$  the data we have came from, but imagine that we just

00:08:08.010 --> 00:08:10.510 have a simple estimate of this PATE,

 $00:08:10.510 \longrightarrow 00:08:13.670$  as the difference in means of some outcome

 $00{:}08{:}13.670 \dashrightarrow 00{:}08{:}16.180$  between an observed treated group and an observed

 $00:08:16.180 \longrightarrow 00:08:17.180$  control group.

 $00:08:17.180 \longrightarrow 00:08:19.520$  So again, we see that there's a bunch of people

 $00:08:19.520 \longrightarrow 00:08:22.010$  who got treated, a bunch of people who got control,

 $00{:}08{:}22.010 --> 00{:}08{:}25.350$  and we might estimate this PATE as just the simple

 $00{:}08{:}25.350 \dashrightarrow 00{:}08{:}27.850$  difference in means between again, the treatment group

 $00:08:27.850 \longrightarrow 00:08:29.350$  and the control group.

 $00{:}08{:}29.350 \dashrightarrow 00{:}08{:}31.560$  So what I wanna talk through for the next couple of minutes,

00:08:31.560 --> 00:08:35.930 is the bias in this sort of naive estimate of the PATE.

 $00:08:35.930 \longrightarrow 00:08:37.940$  So we'll call that Delta.

 $00:08:37.940 \longrightarrow 00:08:40.150$  So I'm being a little loose with notation here,

00:08:40.150 --> 00:08:43.270 but sort of the PATE that the bias essentially

 $00:08:43.270 \longrightarrow 00:08:45.170$  think of it as sort of the difference between

 $00{:}08{:}45.170 \dashrightarrow 00{:}08{:}49.240$  the true population effect and our naive estimate of it.

 $00:08:49.240 \longrightarrow 00:08:53.950$  And what this paper did with Gary King and Kosuke Imai,

 $00{:}08{:}53.950 \dashrightarrow 00{:}08{:}58.380$  we sort of laid how different choices of study designs

 $00:08:58.380 \longrightarrow 00:09:00.840$  impact the size of this bias.

 $00:09:00.840 \longrightarrow 00:09:02.610$  And in particular, we showed that sort of under

 $00:09:02.610 \longrightarrow 00:09:05.470$  some simplifying situations,

00:09:05.470 --> 00:09:07.400 sort of mathematical simplicity,

 $00{:}09{:}07.400 -> 00{:}09{:}11.080$  you can decompose that overall bias into four pieces.

00:09:11.080 --> 00:09:15.360 So the two Delta S terms are what are called,

 $00:09:15.360 \longrightarrow 00:09:17.450$  what we call sample selection bias.

 $00{:}09{:}17.450 \dashrightarrow 00{:}09{:}22.090$  So basically, the bias that comes in if our data sample

 $00:09:22.090 \longrightarrow 00:09:24.790$  is not representative of the target population

 $00:09:24.790 \longrightarrow 00:09:25.740$  that we care about.

 $00:09:26.750 \dashrightarrow 00:09:31.300$  The Delta T terms are our typical sort of confounding bias.

 $00:09:31.300 \longrightarrow 00:09:35.670$  So bias that comes in if our treatment group is dissimilar

 $00:09:35.670 \longrightarrow 00:09:36.863$  from our control group.

 $00:09:37.870 \longrightarrow 00:09:40.340$  The X refers to the variables we observe,

 $00:09:40.340 \longrightarrow 00:09:43.373$  and the U refers to variables that we don't observe.

 $00:09:44.670 \longrightarrow 00:09:46.280$  So what we then did in the paper,

 $00{:}09{:}46.280 \mathrel{--}{>} 00{:}09{:}49.220$  and this is sort of what motivates a lot of this work

00:09:49.220 --> 00:09:51.370 is to think through these, again, the trade offs

 $00:09:51.370 \longrightarrow 00:09:53.200$  in these different designs.

 $00{:}09{:}53.200 \dashrightarrow 00{:}09{:}56.080$  And essentially what we're trying to sort of point out

 $00:09:56.080 \longrightarrow 00:09:57.160$  is that...

 $00{:}09{:}58.860 \dashrightarrow 00{:}10{:}01.190$  Let's go to the second row of this table first actually,

 $00:10:01.190 \longrightarrow 00:10:02.460$  a typical experiment.

 $00:10:02.460 \longrightarrow 00:10:05.600$  So a typical experiment, I would say is one where

 $00:10:05.600 \longrightarrow 00:10:08.050$  we kind of take whoever comes in the door,

 $00:10:08.050 \longrightarrow 00:10:11.220$  we kind of try to recruit people for a randomized trial,

 $00{:}10{:}11.220 \dashrightarrow 00{:}10{:}16.220$  whether that's schools or patients or whatever it is.

 $00:10:16.420 \longrightarrow 00:10:18.810$  And we randomized them to treatment and control groups.

 $00:10:18.810 \longrightarrow 00:10:21.060$  So that is our typical randomized experiment.

 $00:10:22.100 \longrightarrow 00:10:26.380$  The treatment selection bias in that case is zero.

 $00{:}10{:}26.380 \dashrightarrow 00{:}10{:}29.140$  In expectation, that's why we like randomized experiments.

 $00:10:29.140 \longrightarrow 00:10:31.810$  In expectation, there is no confounding

 $00:10:31.810 \longrightarrow 00:10:34.300$  and we get an unbiased treatment effect estimate

 $00:10:34.300 \longrightarrow 00:10:36.670$  for the sample at hand.

 $00:10:36.670 \longrightarrow 00:10:39.830$  The problem for population inference

 $00:10:39.830 \longrightarrow 00:10:43.300$  is that the Delta S terms might be big,

 $00:10:43.300 \longrightarrow 00:10:46.230$  because the people that agree to be in a randomized trial,

 $00:10:46.230 \dashrightarrow 00:10:49.100$  might be quite different from the overall population

 $00:10:49.100 \longrightarrow 00:10:50.630$  that we care about.

 $00:10:50.630 \longrightarrow 00:10:53.010$  So in this paper, we're trying to just sort of...

 $00{:}10{:}53.010 \dashrightarrow 00{:}10{:}55.650$  In some ways, be a little provocative and point this out

 $00:10:55.650 \longrightarrow 00:10:59.430$  that our standard thinking about study designs

00:10:59.430 --> 00:11:03.240 and sort of our prioritization of randomized trials,

 $00:11:03.240 \dashrightarrow 00:11:07.130 \ \mathrm{implicitly} \ \mathrm{prioritizes} \ \mathrm{internal} \ \mathrm{validity} \ \mathrm{over} \ \mathrm{external}$ 

00:11:07.130 --> 00:11:08.400 validity.

00:11:08.400 --> 00:11:12.030 And in particular, if we really care about

 $00:11:12.030 \longrightarrow 00:11:15.010$  population effects, we really should be thinking about

 $00:11:15.010 \longrightarrow 00:11:18.200$  these together and trying to sort of have small

 $00{:}11{:}18.200 \dashrightarrow 00{:}11{:}21.820$  sample selection bias and small treatment selection bias.

 $00:11:21.820 \longrightarrow 00:11:25.450$  So an ideal experiment would be one where we can randomly

00:11:25.450 --> 00:11:27.610 select people for our trial.

 $00:11:27.610 \longrightarrow 00:11:29.840$  Let's say we have...

- 00:11:29.840 --> 00:11:31.060 Well, actually, I'll come back to that in a second.
- $00:11:31.060 \longrightarrow 00:11:34.020$  Randomly select people for our trial and then randomly
- $00:11:34.020 \longrightarrow 00:11:36.560$  assign people to treatment or control groups.
- $00{:}11{:}36.560 {\:{\mbox{--}}\!>} 00{:}11{:}40.680$  And in expectation, we will have zero bias in our population
- $00:11:40.680 \longrightarrow 00:11:42.240$  effect estimate.
- 00:11:42.240 --> 00:11:43.970 But these other designs, and again,
- $00{:}11{:}43.970 \dashrightarrow 00{:}11{:}47.040$  like a typical experiment might end up having larger bias
- $00:11:47.040 \longrightarrow 00:11:50.910$  overall, than a well designed non-experimental study,
- $00:11:50.910 \longrightarrow 00:11:53.650$  where if we do a really good job like adjusting
- $00:11:53.650 \longrightarrow 00:11:55.250$  for confounders,
- $00:11:55.250 \longrightarrow 00:11:59.270$  it may be that well done non-experimental study
- 00:11:59.270 --> 00:12:01.940 conducted using say the electronic health records
- $00{:}12{:}01.940 \dashrightarrow 00{:}12{:}05.700$  from a healthcare system might actually give us lower bias
- $00:12:05.700 \longrightarrow 00:12:08.290$  for a population effect estimate.
- $00{:}12{:}08.290 \dashrightarrow 00{:}12{:}12.120$  Then does a non-representative small randomized trial.
- 00:12:12.120 --> 00:12:13.480 Again, a little provocative,
- $00{:}12{:}13.480 \dashrightarrow 00{:}12{:}16.670$  but I think useful to be thinking about what is really our
- $00:12:16.670 \longrightarrow 00:12:19.340$  target of inference and how do we get data that is most
- $00:12:19.340 \longrightarrow 00:12:20.513$  relevant for that.
- 00:12:21.570 --> 00:12:24.260 I will also just as a small aside,
- 00:12:24.260 --> 00:12:25.740 maybe a little on the personal side,
- 00:12:25.740 --> 00:12:28.430 but it's been striking to me in the past two days.
- $00{:}12{:}28.430 {\:\hbox{--}}{>}\,00{:}12{:}31.300$  So my husband broke his collar bone over the weekend.
- $00:12:31.300 \dashrightarrow 00:12:34.730$  And it turns out the break is one where there's a little bit

- $00:12:34.730 \dashrightarrow 00:12:37.760$  of debate about whether you should have surgery or not.
- 00:12:37.760 --> 00:12:39.360 Although kind of recent thinking is that
- $00:12:39.360 \longrightarrow 00:12:40.290$  there should be surgery.
- $00{:}12{:}40.290$  -->  $00{:}12{:}44.240$  And I was doing a PubMed search as a good statistician
- $00:12:44.240 \longrightarrow 00:12:46.970$  public health person whose family member
- $00:12:46.970 \longrightarrow 00:12:49.300$  needs medical treatment.
- $00{:}12{:}49.300 \dashrightarrow 00{:}12{:}51.790$  And I found all these randomized trials that actually
- 00:12:51.790 --> 00:12:54.910 randomized people to get surgery or not.
- $00:12:54.910 \longrightarrow 00:12:56.000$  And then I came home...
- $00:12:56.000 \dashrightarrow 00:12:58.750$  Oh, no, I didn't come home, we were home all the time.
- 00:12:58.750 --> 00:13:00.320 I asked my husband later, I was like,
- $00:13:00.320 \longrightarrow 00:13:02.380$  would you ever agree to be randomized?
- $00{:}13{:}02.380 \dashrightarrow 00{:}13{:}04.720$  Like right now, we are trying to make this decision about,
- 00:13:04.720 --> 00:13:06.770 should you have surgery or not.
- 00:13:06.770 --> 00:13:09.050 And would we ever agree to be randomized?
- 00:13:09.050 --> 00:13:11.065 And he's like, no, we wouldn't.
- $00{:}13{:}11.065 \dashrightarrow 00{:}13{:}14.550$  We're gonna go with what the physician recommends
- $00:13:14.550 \longrightarrow 00:13:16.300$  and what we feel is comfortable.
- $00{:}13{:}16.300 \dashrightarrow 00{:}13{:}19.250$  And it really just hit home for me at this point that
- $00{:}13{:}19.250 \dashrightarrow 00{:}13{:}22.070$  the people who agree to be randomized or the context
- $00:13:22.070 \longrightarrow 00:13:25.860$  under which we can sort of randomize
- $00:13:25.860 \longrightarrow 00:13:27.730$  are sometimes fairly limited.
- $00{:}13{:}27.730 \dashrightarrow 00{:}13{:}31.230$  And again, so partly what this body of research is trying
- $00{:}13{:}31.230 --> 00{:}13{:}33.410$  to do is sort of think through what are the implications

 $00{:}13{:}33.410 \dashrightarrow 00{:}13{:}36.893$  of that when we do wanna make population inferences.

 $00:13:38.230 \longrightarrow 00:13:39.063$  Make sense so far?

 $00:13:39.063 \longrightarrow 00:13:41.253$  I can't see faces, so hopefully.

 $00:13:43.290 \longrightarrow 00:13:44.123$  Okay.

 $00:13:46.500 \longrightarrow 00:13:47.580 \text{ So}$ 

00:13:47.580 --> 00:13:50.270 I will say a lot of my work in this area has actually,

 $00{:}13{:}50.270 \dashrightarrow 00{:}13{:}53.480$  in part been just helping or trying to raise awareness

 $00:13:53.480 \longrightarrow 00:13:55.980$  of thinking about external validity bias.

 $00:13:55.980 \longrightarrow 00:13:59.900$  So some of the research in this area has been trying

 $00:13:59.900 \longrightarrow 00:14:02.520$  to understand how big of a problem is this.

 $00{:}14{:}02.520 \dashrightarrow 00{:}14{:}05.960$  If maybe people don't agree to be in randomized trials

 $00:14:05.960 \longrightarrow 00:14:07.170$  very often,

 $00:14:07.170 \longrightarrow 00:14:09.810$  but maybe that doesn't really cause bias in terms

 $00:14:09.810 \longrightarrow 00:14:12.300$  of our population effect estimates.

 $00:14:12.300 \longrightarrow 00:14:14.670$  So what I've done in a couple of papers on these

 $00:14:14.670 \longrightarrow 00:14:18.240$  other sides on this slide is basically trying to formalize

 $00:14:18.240 \longrightarrow 00:14:22.170$  this and it's pretty intuitive, but basically we show,

00:14:22.170 --> 00:14:24.150 and I'm not showing you the formulas here.

 $00{:}14{:}24.150 \dashrightarrow 00{:}14{:}27.910$  But intuitively, there will be bias in a population effect

 $00:14:27.910 \longrightarrow 00:14:31.550$  estimate essentially if participation in the trial

 $00:14:32.590 \longrightarrow 00:14:35.210$  is associated with the size of the impacts.

 $00:14:35.210 \longrightarrow 00:14:36.563$  So in particular,

 $00:14:37.510 \longrightarrow 00:14:39.250$  what I'll call the external validity bias.

00:14:39.250 --> 00:14:40.083 So,

 $00:14:40.083 \longrightarrow 00:14:42.150$  those Delta S terms kind of the bias

 $00:14:42.150 \longrightarrow 00:14:44.720$  due to the lack of representativeness

- $00:14:44.720 \longrightarrow 00:14:47.520$  is a function of the variation of the probabilities
- 00:14:47.520 --> 00:14:49.640 of participating in a trial,
- 00:14:49.640 --> 00:14:51.540 variation and treatment effects,
- $00:14:51.540 \longrightarrow 00:14:54.190$  and then the correlation between those things.
- $00:14:54.190 \longrightarrow 00:14:55.770$  So if constant...
- $00:14:55.770 \longrightarrow 00:14:57.640$  If we have treat constant treatment effects
- $00:14:57.640 \longrightarrow 00:14:59.430$  or the treatment effect is zero
- $00:14:59.430 \longrightarrow 00:15:02.340$  or is two for everyone, there's gonna be no external
- $00:15:02.340 \longrightarrow 00:15:03.173$  validity bias.
- 00:15:03.173 --> 00:15:04.960 It doesn't matter who is in our study.
- $00:15:06.300 \longrightarrow 00:15:07.520$  Or if there...
- $00{:}15{:}07.520 \dashrightarrow 00{:}15{:}10.030$  If everyone has an equal probability of participating
- $00:15:10.030 \longrightarrow 00:15:13.770$  in the study, we really do have a nice random selection,
- $00{:}15{:}13.770 \dashrightarrow 00{:}15{:}17.120$  then again, there's gonna be no external validity bias.
- $00:15:17.120 \longrightarrow 00:15:19.890$  Or if the factors that influence whether or not you
- $00{:}15{:}19.890 \dashrightarrow 00{:}15{:}23.440$  participate in the study are independent of the factors
- $00:15:23.440 \longrightarrow 00:15:25.150$  that moderate treatment effects,
- $00:15:25.150 \longrightarrow 00:15:27.803$  again, there'll be no external validity bias.
- 00:15:28.810 --> 00:15:32.250 The problem is that we often have very limited information
- $00:15:32.250 \longrightarrow 00:15:33.920$  about these pieces.
- $00{:}15{:}33.920 \rightarrow 00{:}15{:}37.940$  We, as a field, I think medicine, public health, education,
- $00:15:37.940 \longrightarrow 00:15:41.010$  all the fields I worked in, there has not been much
- $00{:}15{:}41.010 \dashrightarrow 00{:}15{:}44.200$  attention paid to these processes of how we actually
- $00:15:44.200 \longrightarrow 00:15:45.970$  enroll people in studies.
- $00{:}15{:}45{.}970 \dashrightarrow 00{:}15{:}49{.}080$  And so it's hard to know kind of what factors relate

00:15:49.080 --> 00:15:52.030 to those and if those then also moderate treatment effects.

 $00:15:53.064 \longrightarrow 00:15:54.103$  (phone ringing)

 $00:15:54.103 \longrightarrow 00:15:55.360$  Oops, sorry.

 $00:15:55.360 \longrightarrow 00:15:57.800$  Incoming phone call, which I will ignore.

 $00:15:57.800 \longrightarrow 00:15:58.890 \text{ So}$ 

 $00:15:58.890 \longrightarrow 00:16:00.100$  there has been...

00:16:01.010 --> 00:16:01.843 Sorry.

 $00{:}16{:}02.950 \dashrightarrow 00{:}16{:}05.310$  There has been a little bit of work trying to document this

 $00{:}16{:}05.310 \dashrightarrow 00{:}16{:}10.310$  in real data and find empirical evidence on these sizes.

 $00:16:10.780 \longrightarrow 00:16:13.000$  The problem, and sorry, some of the...

00:16:13.000 --> 00:16:13.950 Some of you might...

00:16:13.950 --> 00:16:15.820 If any of you are familiar with the, like,

 $00:16:15.820 \longrightarrow 00:16:18.230$  within what it's called the within study comparison

 $00:16:18.230 \longrightarrow 00:16:19.063$  literature.

00:16:19.063 --> 00:16:21.750 So there's this whole literature on non-experimental studies

 $00{:}16{:}23.240 \dashrightarrow 00{:}16{:}27.570$  that sort of try to estimate the bias due to non-random

 $00:16:27.570 \longrightarrow 00:16:29.700$  treatment assignment.

 $00:16:29.700 \longrightarrow 00:16:31.510$  This is sort of analogous to that.

 $00{:}16{:}31.510 \dashrightarrow 00{:}16{:}33.710$  But the problem here is that what you need is you need

00:16:33.710 --> 00:16:37.240 an accurate estimate of the impact in the population

 $00{:}16{:}37.240 \dashrightarrow 00{:}16{:}40.140$  And then you also need sort of estimates of the impact

 $00{:}16{:}40.140 \dashrightarrow 00{:}16{:}43.690$  in samples that are sort of obtained in kind of typical

 $00:16:43.690 \longrightarrow 00:16:44.990$  ways.

 $00:16:44.990 \longrightarrow 00:16:46.690$  So that's actually really hard to do.

- 00:16:46.690 --> 00:16:49.050 So I'll just briefly talk through two examples.
- $00{:}16{:}49.050 \dashrightarrow 00{:}16{:}51.810$  And if any of you have data examples that you think might
- $00:16:51.810 \longrightarrow 00:16:54.570$  sort of be useful for generating evidence,
- $00:16:54.570 \longrightarrow 00:16:56.800$  that would be incredibly useful.
- $00:16:56.800 \longrightarrow 00:16:58.880$  So one of the examples is...
- $00:17:00.050 \longrightarrow 00:17:01.750$  So let me back up for a second.
- 00:17:01.750 --> 00:17:03.330 In the field of mental health research,
- $00{:}17{:}03.330 \dashrightarrow 00{:}17{:}05.530$  there's been a push recently, or actually not so much
- 00:17:05.530 --> 00:17:08.270 recently in the past, like 10, 15 years
- $00{:}17{:}08.270$  -->  $00{:}17{:}11.810$  to do what I call or what are called pragmatic trials
- $00:17:11.810 \longrightarrow 00:17:14.760$  with the idea of enrolling much more...
- $00{:}17{:}15.910 \dashrightarrow 00{:}17{:}20.710$  A much broader set of people use a broader set of practices
- $00:17:20.710 \longrightarrow 00:17:22.393$  or locations around the country.
- $00{:}17{:}23.400 \dashrightarrow 00{:}17{:}26.620$  And so what this Wisniewski et al people did was they took
- $00:17:26.620 \longrightarrow 00:17:28.940$  the data from one of those large pragmatic trials.
- $00:17:28.940 \longrightarrow 00:17:29.773$  And the idea they...
- $00{:}17{:}29.773 \dashrightarrow 00{:}17{:}32.530$  Again, the idea was that it should be more representative
- $00:17:32.530 \longrightarrow 00:17:35.070$  of people in this case with depression
- $00:17:35.070 \longrightarrow 00:17:36.830$  across the U.S.
- 00:17:36.830 --> 00:17:38.100 And then, they said, well, what if...
- $00:17:38.100 \longrightarrow 00:17:39.560$  In fact, we didn't have that.
- $00:17:39.560 \longrightarrow 00:17:43.760$  What if we use sort of our normal study inclusion
- $00{:}17{:}43.760 \dashrightarrow 00{:}17{:}47.360$  and exclusion criteria, it's sort of been, we'd like subset,
- $00{:}17{:}47.360 \dashrightarrow 00{:}17{:}49.960$  this pragmatic trial data to the people that we think
- $00{:}17{:}49.960 \dashrightarrow 00{:}17{:}53.260$  would have been more typically included in a sort of more

- $00:17:53.260 \longrightarrow 00:17:55.220$  standard randomized trial.
- 00:17:55.220 --> 00:17:57.740 And sort of not surprisingly, they found that
- $00:17:57.740 \longrightarrow 00:17:59.240$  the people in the sort of what they call
- $00{:}17{:}59.240 \dashrightarrow 00{:}18{:}02.930$  the efficacy sample, those sort of typical trial sample
- $00:18:02.930 \longrightarrow 00:18:05.490$  had better outcomes and larger treatment effects
- $00:18:05.490 \longrightarrow 00:18:08.853$  than the overall pragmatic trial sample as a whole.
- 00:18:10.340 --> 00:18:14.590 We did something similar sort of in education research where
- $00:18:15.450 \longrightarrow 00:18:16.480$  it's a little bit in the weeds.
- 00:18:16.480 --> 00:18:17.850 I don't really wanna get into the details,
- $00{:}18{:}17.850 \dashrightarrow 00{:}18{:}22.050$  but we essentially had a pretty reasonable regression
- $00:18:22.050 \longrightarrow 00:18:23.290$  discontinuity design.
- $00:18:23.290 \dashrightarrow 00:18:26.180$  So we were able to get estimates of the effects of this
- $00{:}18{:}26.180$  -->  $00{:}18{:}30.030$  reading first intervention across a number of states.
- $00{:}18{:}30.030 \dashrightarrow 00{:}18{:}33.780$  And we then compared those state wide impact estimates
- $00:18:33.780 \longrightarrow 00:18:37.690$  to the estimates you would get if we enrolled only
- $00{:}18{:}37.690 \dashrightarrow 00{:}18{:}40.730$  the sorts of schools and school districts that are typically
- $00:18:40.730 \longrightarrow 00:18:44.110$  included in educational evaluations.
- $00:18:44.110 \longrightarrow 00:18:47.640$  And there we found that this external validity bias
- 00:18:47.640 --> 00:18:50.040 was about 0.1 standard deviations,
- $00:18:50.040 \longrightarrow 00:18:52.970$  which in education world is fairly large.
- $00{:}18{:}52.970 --> 00{:}18{:}55.660$  Certainly people would be concerned about an internal
- $00:18:55.660 \longrightarrow 00:18:57.530$  validity bias of that size.
- $00:18:57.530 \longrightarrow 00:18:59.710$  So we were able to sort of use this to say, look,
- $00:18:59.710 \longrightarrow 00:19:03.010$  if we really wanna be serious about external validity,

 $00:19:03.010 \dashrightarrow 00:19:06.400$  it might be as much of a problem as sort of typical internal

 $00:19:06.400 \longrightarrow 00:19:09.353$  validity bias that people care about in that field.

00:19:12.740 --> 00:19:14.530 So again, the problem though, is we don't usually

 $00:19:14.530 \mathrel{--}{>} 00:19:16.900$  have these sorts of designs where we have a population

00:19:16.900 --> 00:19:18.990 effect estimate, and then sample estimates,

 $00:19:18.990 \longrightarrow 00:19:20.620$  and we can compare them.

 $00{:}19{:}20.620 \dashrightarrow 00{:}19{:}23.860$  And so instead we can sometimes try to get evidence on sort

 $00:19:23.860 \longrightarrow 00:19:24.693$  of the pieces.

 $00:19:24.693 \longrightarrow 00:19:27.630$  So, but again, we basically often have very little

 $00:19:27.630 \dashrightarrow 00:19:31.350$  information on why people end up participating in trials.

 $00:19:31.350 \longrightarrow 00:19:33.730$  And we also are having,

00:19:33.730 --> 00:19:36.260 I think there's growing numbers of methods,

 $00:19:36.260 \dashrightarrow 00:19:38.570$  but there's still limited information on treatment effect

 $00:19:38.570 \longrightarrow 00:19:40.010$  heterogeneity.

 $00:19:40.010 \dashrightarrow 00:19:42.570$  Individual randomized trials are almost never powered

 $00:19:42.570 \longrightarrow 00:19:45.240$  to detect subgroup effects.

00:19:45.240 --> 00:19:47.760 Although, there is really growing research in this field

 $00:19:47.760 \longrightarrow 00:19:50.193$  and that is maybe a topic for another day.

 $00:19:52.380 \longrightarrow 00:19:53.400$  Okay.

 $00:19:53.400 \longrightarrow 00:19:54.980$  But again, there is a little...

00:19:54.980 --> 00:19:57.900 I think I'll go through this really quickly, but,

00:19:57.900 --> 00:20:01.110 I will give credit to some fields which are trying to better

 $00{:}20{:}01.110 \dashrightarrow 00{:}20{:}04.010$  understand kind of who are the people that enroll in trials

 $00{:}20{:}04.010 \dashrightarrow 00{:}20{:}08.030$  and how do they compare policy populations of interest.

 $00{:}20{:}08.030 \dashrightarrow 00{:}20{:}10.620$  So a lot of that has been done in sort of the substance

 $00:20:10.620 \longrightarrow 00:20:11.710$  use field.

 $00:20:11.710 \longrightarrow 00:20:14.240$  And you can see a bunch of sites here

 $00{:}20{:}14.240$  -->  $00{:}20{:}17.970$  documenting that people who participate in randomized trials

 $00:20:17.970 \longrightarrow 00:20:21.760$  of substance use treatment do actually differ quite

 $00{:}20{:}21.760 --> 00{:}20{:}25.050$  substantially from people seeking treatment for substance

 $00:20:25.050 \longrightarrow 00:20:26.880$  use problems more generally.

00:20:26.880 --> 00:20:31.640 So for example, the Okuda reference the eligibility criteria

 $00{:}20{:}31.640 \dashrightarrow 00{:}20{:}35.510$  in cannabis treatment RCTs would exclude about 80%

 $00:20:35.510 \longrightarrow 00:20:38.160$  of patients across the U.S. seeking treatment

 $00:20:38.160 \longrightarrow 00:20:39.960$  for cannabis use.

00:20:39.960 --> 00:20:42.900 And so again, it's sort of there's indications

 $00:20:42.900 \longrightarrow 00:20:45.220$  that the people that participate in trials

 $00:20:45.220 \longrightarrow 00:20:47.900$  are not necessarily reflective of the people

 $00:20:47.900 \longrightarrow 00:20:50.183$  for whom decisions are having to be made.

00:20:53.920 --> 00:20:57.420 Okay, so hopefully that at least kind of give some

 $00{:}20{:}57.420 \rightarrow 00{:}21{:}00.740$  motivation for why we want to think more carefully

00:21:00.740 --> 00:21:03.630 about the population average treatment effect

 $00{:}21{:}03.630 \dashrightarrow 00{:}21{:}05.920$  and why we might wanna think about designing studies

 $00{:}21{:}05.920 \dashrightarrow 00{:}21{:}09.670$  or analyzing data in ways that help us estimate that.

 $00{:}21{:}09.670 \dashrightarrow 00{:}21{:}12.683$  Any questions before I move to, how do we do that?

 $00:21:18.590 \longrightarrow 00:21:19.910$  Okay.

 $00:21:19.910 \longrightarrow 00:21:21.090$  I will end...

 $00:21:21.090 \longrightarrow 00:21:24.370$  I'm gonna hopefully end it at about 12:45, 1250,

 $00:21:24.370 \longrightarrow 00:21:26.043$  so we'll have time at the end, too.

00:21:27.461 --> 00:21:30.840 So, as a statistician, I feel obligated to say,

 $00{:}21{:}30.840 \dashrightarrow 00{:}21{:}32.270$  and actually I have a quote on this at the very end

 $00:21:32.270 \longrightarrow 00:21:33.420$  of the talk.

 $00:21:33.420 \longrightarrow 00:21:35.780$  If we wanna be serious about estimating something,

 $00:21:35.780 \longrightarrow 00:21:38.460$  it's better to incorporate that through the design

 $00:21:38.460 \longrightarrow 00:21:41.110$  of our study, rather than trying to do it post talk

 $00:21:41.110 \longrightarrow 00:21:41.943$  at the end.

 $00{:}21{:}43.670 \dashrightarrow 00{:}21{:}46.730$  So let's talk briefly about how we can improve external

00:21:46.730 --> 00:21:49.933 validity through study or randomized trial design.

00:21:51.687 --> 00:21:52.690 So again,

 $00{:}21{:}52.690 \dashrightarrow 00{:}21{:}55.990$  as I alluded to earlier with the sort of ideal experiment.

 $00{:}21{:}55.990 \dashrightarrow 00{:}21{:}59.210$  An ideal scenario is one where we can randomly sample

 $00{:}21{:}59.210 {\:\hbox{--}}{>}\,00{:}22{:}02.480$  from a population and then randomly assign treatment

 $00:22:02.480 \longrightarrow 00:22:04.070$  and control conditions.

 $00{:}22{:}04.070 \dashrightarrow 00{:}22{:}07.430$  Doing this will give us a formerly unbiased treatment effect

 $00{:}22{:}07.430 \dashrightarrow 00{:}22{:}10.080$  estimate in the population of interest.

 $00:22:10.080 \longrightarrow 00:22:11.240$  This is wonderful.

00:22:11.240 --> 00:22:14.703 I know of about six examples of this type.

 $00{:}22{:}16.960 \dashrightarrow 00{:}22{:}19.310$  Most of the examples I know of are actually a federal

 $00{:}22{:}19.310 \dashrightarrow 00{:}22{:}22.660$  government programs where they are administered through

 $00:22:22.660 \longrightarrow 00:22:24.670$  like centers or sites.

 $00{:}22{:}24.670 \dashrightarrow 00{:}22{:}27.960$  And the federal government was able to mandate participation

 $00:22:27.960 \longrightarrow 00:22:29.140$  in an evaluation.

 $00:22:29.140 \longrightarrow 00:22:32.750$  So classic example is the Head Start Impact Study,

 $00:22:32.750 \dashrightarrow 00:22:36.420$  where they were able to randomly select head start centers

 $00:22:36.420 \longrightarrow 00:22:37.260$  to participate.

00:22:37.260 --> 00:22:39.260 And then within each center,

 $00{:}22{:}39.260 \dashrightarrow 00{:}22{:}42.290$  they randomized kids to be able to get in off the wait list

 $00:22:42.290 \longrightarrow 00:22:43.760$  versus not.

 $00{:}22{:}43.760 \dashrightarrow 00{:}22{:}46.763$  An upward bound evaluation had a very similar design.

 $00:22:47.730 \longrightarrow 00:22:49.780$  It's funny, I was...

 $00{:}22{:}49.780 --> 00{:}22{:}52.360$  I gave a talk on this topic at Facebook and I was like,

00:22:52.360 --> 00:22:54.210 why is Facebook gonna care about this?

00:22:54.210 --> 00:22:56.100 Because you would think at a place like Facebook,

 $00:22:56.100 \longrightarrow 00:22:58.540$  they have their user sample,

 $00:22:58.540 \longrightarrow 00:23:01.850$  they should be able to do randomization within,

00:23:01.850 --> 00:23:04.180 like they should be able to pick users randomly

 $00{:}23{:}04.180 \dashrightarrow 00{:}23{:}06.360$  and then do any sort of random assignment they want

 $00:23:06.360 \longrightarrow 00:23:07.200$  within that.

 $00:23:07.200 \longrightarrow 00:23:10.270$  It turns out it's more complicated than that, and so,

00:23:10.270 --> 00:23:12.000 they were interested in this topic,

 $00{:}23{:}12.000 \dashrightarrow 00{:}23{:}14.590$  but I think that's another sort of example where people

00:23:14.590 --> 00:23:16.490 should be thinking, could we do this?

00:23:16.490 --> 00:23:17.520 Like,

 $00:23:17.520 \longrightarrow 00:23:18.653$  in a health system.

 $00{:}23{:}19.640 \dashrightarrow 00{:}23{:}22.390$  I can imagine Geisinger or something implement something

 $00:23:22.390 \longrightarrow 00:23:24.190$  in their electronic health record where

 $00:23:24.190 \longrightarrow 00:23:25.860$  it's about messaging or something.

 $00{:}23{:}25.860 \dashrightarrow 00{:}23{:}29.020$  And you could imagine actually picking people randomly

- $00:23:29.020 \longrightarrow 00:23:30.600$  to then randomize.
- 00:23:30.600 --> 00:23:32.100 But again, that's pretty rare.
- $00:23:33.140 \longrightarrow 00:23:35.390$  There's an idea that's called purpose of sampling.
- $00:23:35.390 \longrightarrow 00:23:39.197$  And this goes back to like the 1960s or 70s
- $00:23:39.197 \longrightarrow 00:23:43.800$  and the idea is sort of picking subjects purposefully.
- $00:23:43.800 \longrightarrow 00:23:47.210$  So one example here is like maybe we think
- $00:23:47.210 \longrightarrow 00:23:49.330$  that this intervention might look different
- $00{:}23{:}49.330 \dashrightarrow 00{:}23{:}51.760$  or have different effects for large versus small
- $00:23:51.760 \longrightarrow 00:23:52.593$  school districts.
- $00:23:52.593 \longrightarrow 00:23:55.750$  So in our study, we just make an effort to enroll
- $00:23:55.750 \longrightarrow 00:23:57.803$  both large and small districts.
- $00:23:58.720 \longrightarrow 00:23:59.630$  This is sort of nice.
- $00:23:59.630 \longrightarrow 00:24:04.373$  It kind of gives you some variability in the types of people
- $00{:}24{:}05.410 \dashrightarrow 00{:}24{:}08.870$  or subjects in the trial, but, it doesn't have the formal
- $00:24:08.870 \longrightarrow 00:24:11.570$  representativeness and sort of the formal unbiasness,
- $00:24:11.570 \longrightarrow 00:24:14.510$  like the random sampling I just talked about.
- $00{:}24{:}14.510 \dashrightarrow 00{:}24{:}17.210$  And then again, sort of similar is this idea and this push
- $00{:}24{:}17.210$  -->  $00{:}24{:}20.060$  in many fields towards pragmatic or practical clinical
- $00:24:20.060 \longrightarrow 00:24:23.610$  trials, where the idea is just to sort of try to enroll
- $00:24:23.610 \longrightarrow 00:24:26.610$  like kind of more representative sample
- $00:24:26.610 \longrightarrow 00:24:28.780$  in sort of a hand wavy way like I'm doing now.
- $00{:}24{:}28.780 --> 00{:}24{:}31.440$  So not, it doesn't have this sort of formal statistical
- 00:24:31.440 --> 00:24:34.640 underpinning, but at least it's trying to make sure
- 00:24:34.640 --> 00:24:38.020 that it's not just patients from the Yale hospital
- $00{:}24{:}38.020 \dashrightarrow 00{:}24{:}41.120$  and the Hopkins hospital and whatever sort of large medical

 $00:24:41.120 \longrightarrow 00:24:44.510$  centers, at least they might be trying to enroll patients

 $00:24:44.510 \longrightarrow 00:24:46.703$  from a broader spectrum across the U.S.

 $00{:}24{:}48.800 \dashrightarrow 00{:}24{:}52.970$  Unfortunately, though, as much as I want to do things

 $00{:}24{:}52.970 \dashrightarrow 00{:}24{:}55.660$  for design often, we're in a case where there's a study

 $00:24:55.660 \longrightarrow 00:25:00.110$  that's already been conducted and we are just

 $00:25:00.110 \longrightarrow 00:25:01.310$  sort of stuck analyzing it.

 $00:25:01.310 \longrightarrow 00:25:04.420$  And we wanna get a sense for how representative

 $00:25:04.420 \longrightarrow 00:25:06.893$  the results might be for a population.

00:25:08.740 --> 00:25:10.340 Sometimes people, when I talk about this,

00:25:10.340 --> 00:25:12.510 people are like, well, isn't this what meta-analysis does?

 $00{:}25{:}12.510 \dashrightarrow 00{:}25{:}16.080$  Like meta-analysis enables you to combine multiple

 $00:25:16.080 \longrightarrow 00:25:19.820$  randomized trials and come up with sort of an overall

 $00:25:19.820 \longrightarrow 00:25:20.723$  effect estimate.

 $00:25:22.650 \longrightarrow 00:25:26.410$  And my answer to that is sort of yes maybe, or no maybe.

00:25:26.410 --> 00:25:29.650 Basically, the challenge with meta-analysis,

 $00{:}25{:}29.650 \dashrightarrow 00{:}25{:}33.760$  is that until recently, no one really had a potential target

 $00:25:33.760 \longrightarrow 00:25:35.270$  population.

 $00:25:35.270 \longrightarrow 00:25:38.000$  It was not very formal about what the target population is.

 $00:25:38.000 \longrightarrow 00:25:41.230$  I think underlying that analysis is generally

 $00:25:41.230 \longrightarrow 00:25:43.790$  sort of a belief that the effects are constant

 $00:25:43.790 \longrightarrow 00:25:45.793$  and we're just trying to pool data.

 $00:25:47.538 \longrightarrow 00:25:48.371$  And it...

00:25:48.371 --> 00:25:49.760 And even just like, you can sort of see this,

 $00:25:49.760 \longrightarrow 00:25:52.170$  like if all of the trials sampled the same

00:25:52.170 --> 00:25:54.420 non-representative population,

 $00{:}25{:}54.420 \dashrightarrow 00{:}25{:}56.980$  combining them is not going to help you get towards

 $00:25:56.980 \longrightarrow 00:25:58.143$  representativeness.

 $00:25:59.120 \longrightarrow 00:26:01.410$  That's that I have a former Postdoc Hwanhee Hong,

 $00:26:01.410 \longrightarrow 00:26:02.850$  who's now at Duke.

 $00:26:02.850 \longrightarrow 00:26:05.540$  And she has been doing some work to try to bridge

 $00{:}26{:}05.540 \dashrightarrow 00{:}26{:}07.970$  these worlds and sort of really try to think through,

 $00:26:07.970 \longrightarrow 00:26:11.590$  well, how can we better use multiple trials

00:26:11.590 --> 00:26:14.233 to get to target population effects?

00:26:15.520 --> 00:26:18.340 There's another field it's called risk cross-design

 $00{:}26{:}18.340 \dashrightarrow 00{:}26{:}21.060$  synthesis or research synthesis.

 $00:26:21.060 \longrightarrow 00:26:22.000$  This is sort of neat.

 $00:26:22.000 \longrightarrow 00:26:26.170$  It's one where you kind of combine randomized trial data,

 $00{:}26{:}26.170 \dashrightarrow 00{:}26{:}29.820$  which might be not representative with non-experimental

 $00:26:29.820 \longrightarrow 00:26:30.653$  study data.

 $00{:}26{:}30.653 \dashrightarrow 00{:}26{:}34.320$  So sort of explicitly trading off the internal and external

 $00:26:34.320 \longrightarrow 00:26:35.930$  validity.

00:26:35.930 --> 00:26:37.240 I'm not gonna get into the details,

 $00:26:37.240 \longrightarrow 00:26:38.260$  there's some references here.

00:26:38.260 --> 00:26:41.360 Ellie Kaizar at Ohio State, is one of the people

 $00:26:41.360 \longrightarrow 00:26:43.283$  that's done a lot of work on this.

 $00{:}26{:}45{.}310 \dashrightarrow 00{:}26{:}48{.}180$  And part of the reason I'm not focused on this is that

 $00{:}26{:}48.180 --> 00{:}26{:}52.510~\mathrm{I}$  work in a lot of areas like education and public health,

 $00:26:52.510 \longrightarrow 00:26:54.050$  sort of social science areas,

 $00:26:54.050 \longrightarrow 00:26:56.180$  where we often don't have multiple studies.

 $00:26:56.180 \longrightarrow 00:27:00.470$  So we often are stuck with just one study and we're trying

- $00:27:00.470 \longrightarrow 00:27:03.970$  to use that to learn about target populations.
- 00:27:03.970 --> 00:27:07.110 So I'm gonna briefly talk about an example
- $00:27:07.110 \longrightarrow 00:27:11.810$  where we trying to sort of do this.
- $00:27:11.810 \longrightarrow 00:27:16.200$  And basically, the fundamental idea is to re-weight
- $00{:}27{:}16.200 \dashrightarrow 00{:}27{:}19.563$  the study sample to look like the target population.
- $00:27:20.780 \longrightarrow 00:27:24.960$  This idea is related to post stratification
- 00:27:24.960 --> 00:27:27.310 or, oh my gosh, I'm blanking now.
- 00:27:27.310 --> 00:27:29.423 Raking adjustments in surveys.
- $00{:}27{:}30.660 \dashrightarrow 00{:}27{:}33.490$  So post stratification would be sort of at a simple level.
- $00:27:33.490 \longrightarrow 00:27:34.740$  would be something like...
- 00:27:34.740 --> 00:27:38.300 Well, if we know that males and females
- $00:27:38.300 \longrightarrow 00:27:41.230$  have different effects, or let's say young and old
- 00:27:41.230 --> 00:27:43.690 have different effects, let's estimate the effects
- $00:27:43.690 \longrightarrow 00:27:46.153$  separately for young versus old.
- $00{:}27{:}47.130 \to 00{:}27{:}50.860$  And then re-weight those using the population proportions
- $00:27:50.860 \longrightarrow 00:27:52.683$  of sort of young versus old.
- $00{:}27{:}54.340 \dashrightarrow 00{:}27{:}57.550$  That sort of stratification doesn't work if you have more
- $00:27:57.550 \longrightarrow 00:28:02.450$  than like one or two categorical effect moderators.
- $00:28:02.450 \longrightarrow 00:28:03.283$  And so,
- $00{:}28{:}03.283 \dashrightarrow 00{:}28{:}05.630$  what I'm gonna show today is an approach where we use
- 00:28:05.630 --> 00:28:07.720 weighting, where we fit a model,
- 00:28:07.720 --> 00:28:10.080 predicting participation in the trial,
- $00{:}28{:}10.080 \dashrightarrow 00{:}28{:}13.100$  and then weight the trial sample to look like the target
- $00:28:13.100 \longrightarrow 00:28:14.100$  population.
- $00{:}28{:}14.100 --> 00{:}28{:}16.960$  So similar idea to things like propensity score weights
- $00:28:16.960 \longrightarrow 00:28:20.253$  or non-response adjustment weights in samples.

 $00:28:21.370 \longrightarrow 00:28:23.150$  There is a different approach,

 $00{:}28{:}23.150 --> 00{:}28{:}26.640$  So what I'm gonna illustrate today is sort of this sample

 $00:28:26.640 \longrightarrow 00:28:29.290$  selection weighting strategy.

00:28:29.290 --> 00:28:32.070 You also can tackle this external validity

00:28:32.070 --> 00:28:34.880 by trying to model the outcome very flexibly

 $00:28:34.880 \longrightarrow 00:28:39.013$  and then project outcomes in the population.

00:28:40.450 --> 00:28:42.530 In some work I did with Jennifer Hill and others,

 $00{:}28{:}42.530 \dashrightarrow 00{:}28{:}45.520$  we showed that BARTs, Bayesian Additive Regression Trees

00:28:45.520 --> 00:28:47.820 can actually work quite well for that purpose.

 $00{:}28{:}48.920 \dashrightarrow 00{:}28{:}52.580$  And more recently, Issa Dahabreh at Brown has done some

 $00:28:52.580 \longrightarrow 00:28:55.240$  nice work sort of bridging these two and showing

 $00{:}28{:}55.240 \dashrightarrow 00{:}28{:}58.140$  basically a doubly robust kind of idea where we can use

 $00{:}28{:}58.140 \dashrightarrow 00{:}29{:}03.140$  both the sample membership model and the outcome model

 $00:29:03.580 \longrightarrow 00:29:05.660$  to have better performance.

 $00{:}29{:}05.660 \dashrightarrow 00{:}29{:}08.440$  But today, I'm gonna just illustrate the weighting approach,

00:29:08.440 --> 00:29:10.700 partly because it's a really nice sort of pedagogical

 $00{:}29{:}10.700 \dashrightarrow 00{:}29{:}13.540$  example and helps you kind of see what's going on

 $00:29:13.540 \longrightarrow 00:29:14.373$  in the data.

00:29:15.850 --> 00:29:18.373 Okay, any questions before I continue?

 $00:29:20.520 \longrightarrow 00:29:21.353$  Okay.

 $00:29:22.380 \longrightarrow 00:29:25.670$  So the example I'm gonna use is...

 $00{:}29{:}25.670 --> 00{:}29{:}28.080$  There was this, I mean, some of you probably know much more

 $00{:}29{:}28.080 \dashrightarrow 00{:}29{:}32.530$  about HIV treatment than I do, but the ACTG Trial,

00:29:32.530 --> 00:29:35.820 which was now quite an old trial,

 $00{:}29{:}35.820 \dashrightarrow 00{:}29{:}38.590$  but it was one of the ones that basically showed that

 $00{:}29{:}38.590 \dashrightarrow 00{:}29{:}41.940$  HAART therapy, highly active antiretroviral therapy

 $00{:}29{:}41.940 \dashrightarrow 00{:}29{:}46.190$  was quite effective at reducing time to AIDS or death

 $00{:}29{:}46.190 \dashrightarrow 00{:}29{:}49.490$  compared to standard combination therapy at the time.

 $00{:}29{:}49.490 \dashrightarrow 00{:}29{:}53.910$  So it randomized about 1200 U.S. HIV positive adults

 $00:29:53.910 \longrightarrow 00:29:56.440$  to treatment versus control.

 $00:29:56.440 \longrightarrow 00:29:59.380$  And the intent to tree analysis in the trial

 $00:29:59.380 \longrightarrow 00:30:01.460$  had a hazard ratio of 0.51.

00:30:01.460 --> 00:30:05.513 So again, very effective at reducing time to AIDS or death.

 $00:30:06.870 \longrightarrow 00:30:10.400$  So Steve Cole and I though kind of asked the question, well,

 $00:30:10.400 \longrightarrow 00:30:13.010$  we don't necessarily just care about the people

 $00:30:13.010 \longrightarrow 00:30:13.920$  in the trial.

 $00:30:13.920 \longrightarrow 00:30:16.490$  This seems to be a very effective treatment.

00:30:16.490 --> 00:30:19.420 What could we use this data to project out

 $00:30:19.420 \longrightarrow 00:30:21.830$  sort of what the effects of the treatment would be

 $00:30:21.830 \longrightarrow 00:30:24.530$  if it were implemented nationwide?

 $00{:}30{:}24.530 \dashrightarrow 00{:}30{:}28.400$  So we from CDC got estimates of the number of people

 $00:30:28.400 \longrightarrow 00:30:31.920$  newly infected with HIV in 2006.

 $00{:}30{:}31.920 \dashrightarrow 00{:}30{:}35.230$  And basically, asked the question sort of if hypothetically,

 $00{:}30{:}35.230 \dashrightarrow 00{:}30{:}39.840$  everyone in that group were able to get HAART versus

00:30:39.840 --> 00:30:41.670 standard combination therapy,

00:30:41.670 --> 00:30:44.833 what would be the population impacts of this treatment?

 $00:30:47.700 \longrightarrow 00:30:50.330$  In this case, because of sort of data availability,

 $00:30:50.330 \dashrightarrow 00:30:54.630$  we only had the joint distribution of age, sex and race

 $00:30:54.630 \longrightarrow 00:30:56.070$  for the population.

00:30:56.070 --> 00:30:59.370 So we made sort of a pseudo population, again,

00:30:59.370 --> 00:31:01.500 sort of representing the U.S. population

 $00:31:01.500 \longrightarrow 00:31:03.250$  of newly infected people.

00:31:03.250 --> 00:31:05.780 But again, all we have is sex, race and age,

 $00:31:05.780 \longrightarrow 00:31:07.080$  which I will come back to.

 $00:31:08.490 \dashrightarrow 00:31:11.630$  So this table documents the trial and the population.

 $00:31:11.630 \longrightarrow 00:31:14.540$  So you can see for example,

 $00{:}31{:}14.540 \dashrightarrow 00{:}31{:}19.540$  that the trial tended to have more sort of 30 to 39 year

 $00:31:19.700 \longrightarrow 00:31:23.773$  olds, many fewer people under 30.

00:31:24.822 --> 00:31:28.600 The trial had more males and also had more whites

 $00:31:28.600 \longrightarrow 00:31:32.280$  and fewer blacks, Hispanic was similar.

 $00{:}31{:}32.280 \dashrightarrow 00{:}31{:}35.470$  But I wanna flag and we'll come back to this in a minute

00:31:35.470 --> 00:31:37.850 that, in what I'm gonna show,

 $00:31:37.850 \longrightarrow 00:31:41.150$  we can adjust for the age, sex, race distribution.

00:31:41.150 --> 00:31:43.000 But, there's a real limitation,

 $00{:}31{:}43.000 \dashrightarrow 00{:}31{:}45.960$  which is that the CD4 cell count as sort of a measure

00:31:45.960 --> 00:31:50.220 of disease severity is not available in the population.

 $00:31:50.220 \longrightarrow 00:31:53.310$  So this is a potential effect moderator,

 $00:31:53.310 \longrightarrow 00:31:56.130$  which we don't observe in the population.

 $00:31:56.130 \longrightarrow 00:31:59.340$  So in sort of projecting the impacts, we can say, well,

 $00:31:59.340 \longrightarrow 00:32:02.740$  here is the predicted impact given the age, sex,

 $00:32:02.740 \longrightarrow 00:32:05.640$  race distribution, but there's this unobserved

 $00:32:05.640 \dashrightarrow 00:32:09.370$  potential effect moderator that we sort of might be worried

- $00:32:09.370 \longrightarrow 00:32:11.320$  about kind of in the back of our heads.
- 00:32:14.560 --> 00:32:16.520 So again, I briefly mentioned this,
- $00:32:16.520 \longrightarrow 00:32:19.750$  this is like the super basic description
- $00:32:19.750 \longrightarrow 00:32:21.780$  of what can be done.
- $00{:}32{:}21.780 \dashrightarrow 00{:}32{:}24.060$  There are more nuances and I have some sites at the end
- $00:32:24.060 \longrightarrow 00:32:25.890$  for sort of more details.
- 00:32:25.890 --> 00:32:27.780 But basically fundamentally will, again,
- $00:32:27.780 \longrightarrow 00:32:29.700$  we sort of think about it as we kind of stack
- $00:32:29.700 \longrightarrow 00:32:30.700$  our data sets together.
- $00{:}32{:}30.700 \dashrightarrow 00{:}32{:}33.750$  So we put our trial sample and our population data set
- $00:32:33.750 \longrightarrow 00:32:34.750$  together.
- $00{:}32{:}34.750 \dashrightarrow 00{:}32{:}37.940$  We have an indicator for whether someone is in the trial
- $00:32:37.940 \longrightarrow 00:32:39.690$  versus the population.
- 00:32:39.690 --> 00:32:42.530 And then, we're gonna wait the trial members
- $00:32:42.530 \longrightarrow 00:32:45.670$  by their inverse probability of being in the trial
- $00:32:45.670 \longrightarrow 00:32:48.470$  as a function of the observed covariance.
- 00:32:48.470 --> 00:32:51.320 And again, very similar intuition and ideas
- $00:32:51.320 \longrightarrow 00:32:54.650$  and theory underlying this as underlying things
- $00{:}32{:}54.650 \dashrightarrow 00{:}32{:}57.630$  like Horvitz-Thomson estimation in sample surveys
- 00:32:58.480 --> 00:33:00.680 and inverse probability of treatment waiting
- $00:33:00.680 \longrightarrow 00:33:02.363$  in non-experimental studies.
- $00:33:06.160 \longrightarrow 00:33:09.310$  So I showed you earlier that age, sex and race
- $00:33:09.310 \longrightarrow 00:33:13.320$  are all related to participation in the trial.
- 00:33:13.320 --> 00:33:15.450 What I'm not showing you the details of,
- $00{:}33{:}15.450 \dashrightarrow 00{:}33{:}18.500$  but just trust me is that those factors also moderate
- $00:33:18.500 \longrightarrow 00:33:20.465$  effects in the trial.
- $00{:}33{:}20.465 \dashrightarrow 00{:}33{:}23.960$  So the trial showed the largest effects for those ages,

 $00:33:23.960 \longrightarrow 00:33:27.620$  30 to 39, males and black individuals.

 $00:33:27.620 \longrightarrow 00:33:30.620$  And so, this is exactly why then what we might think

 $00:33:30.620 \longrightarrow 00:33:34.150$  that the overall trial estimate might not reflect

 $00:33:34.150 \longrightarrow 00:33:36.383$  what we would see population-wide.

00:33:38.720 --> 00:33:40.040 Ironically though, it turns out actually

 $00:33:40.040 \longrightarrow 00:33:41.100$  it kind of all cancels out.

00:33:41.100 --> 00:33:44.910 So this table shows the estimated population effects.

 $00{:}33{:}44.910 \dashrightarrow 00{:}33{:}48.050$  So the first row again, is just the sort of naive trial

 $00:33:48.050 \longrightarrow 00:33:49.660$  results.

 $00:33:49.660 \longrightarrow 00:33:52.390$  We can then sort of weight by each characteristic

 $00{:}33{:}52.390 \rightarrow 00{:}33{:}55.700$  separately, and then the bottom row is the combined

 $00:33:55.700 \longrightarrow 00:33:57.860$  age, sex, race adjustments.

 $00:33:57.860 \longrightarrow 00:34:00.750$  And you can see sort of actually the hazard ratio

 $00:34:00.750 \longrightarrow 00:34:02.810$  was remarkably similar.

00:34:02.810 --> 00:34:04.930 It's partly because like the age weightings

 $00:34:04.930 \longrightarrow 00:34:07.100$  sort of makes the impact smaller,

 $00:34:07.100 \longrightarrow 00:34:09.610$  but then the race weighting makes it bigger.

 $00:34:09.610 \longrightarrow 00:34:11.560$  And so then it kind of just washes out.

00:34:13.270 --> 00:34:14.590 But again, it's sort of a nice example,

 $00:34:14.590 \longrightarrow 00:34:17.010$  cause you can sort of see how the patterns

 $00:34:17.010 \longrightarrow 00:34:19.900$  evolve based on the size of the effects

 $00:34:19.900 \longrightarrow 00:34:21.423$  and the sample selection.

00:34:22.550 --> 00:34:24.770 I also wanna point out though that, of course,

 $00:34:24.770 \longrightarrow 00:34:27.470$  the confidence interval is wider,

 $00:34:27.470 \longrightarrow 00:34:30.020$  and that is sort of reflecting the fact that we are doing

00:34:30.020 --> 00:34:33.260 this extrapolation from the trial sample to the population.

 $00:34:33.260 \longrightarrow 00:34:36.210$  And so there's sort of a variance price we'll pay for that.

 $00:34:38.990 \longrightarrow 00:34:39.823$  Okay.

 $00:34:39.823 \longrightarrow 00:34:43.610$  So I haven't been super formal on the assumptions,

00:34:43.610 --> 00:34:45.110 but I'm I alluded to this?

 $00:34:45.110 \longrightarrow 00:34:47.520$  So I wanna just take a few minutes to turn

 $00:34:47.520 \longrightarrow 00:34:50.100$  to what about unobserved moderators?

 $00:34:50.100 \longrightarrow 00:34:53.770$  Because again, we can interpret this 0.57

 $00:34:53.770 \longrightarrow 00:34:58.410$  as the sort of overall population effect estimate

 $00{:}34{:}58.410 \dashrightarrow 00{:}35{:}01.420$  only under an assumption that there are no unobserved

 $00:35:01.420 \longrightarrow 00:35:05.550$  moderators that differ between sample and population,

 $00:35:05.550 \longrightarrow 00:35:08.063$  once we adjust for age, sex, race.

00:35:11.000 --> 00:35:12.453 Okay, and in reality,

 $00:35:13.500 \longrightarrow 00:35:16.610$  such unobserved effect moderators are likely the rule,

 $00:35:16.610 \longrightarrow 00:35:18.340$  not the exception.

00:35:18.340 --> 00:35:20.410 So again, sort of, as I just said,

 $00:35:20.410 \longrightarrow 00:35:23.110$  the key assumption is that we've basically adjusted

 $00:35:23.110 \longrightarrow 00:35:26.460$  for all of the effect moderators.

 $00{:}35{:}26.460 \dashrightarrow 00{:}35{:}29.950$  Very kind of comparable assumption to the assumption

 $00:35:29.950 \longrightarrow 00:35:33.463$  of no an observed confounding in a non-experimental study.

 $00{:}35{:}35.040 \dashrightarrow 00{:}35{:}37.900$  And one of the reasons this is an important assumption

00:35:37.900 --> 00:35:41.690 to think about, is that, it is quite rare actually

 $00:35:41.690 \longrightarrow 00:35:45.570$  to have extensive covariate data overlap

 $00:35:45.570 \longrightarrow 00:35:48.070$  between the sample and the population.

00:35:48.070 --> 00:35:50.650 I have been working in this area for...

 $00:35:50.650 \longrightarrow 00:35:51.690$  How many years now?

 $00:35:51.690 \longrightarrow 00:35:52.990$  At least 10 years.

00:35:52.990 --> 00:35:55.830 And I've found time and time again,

 $00:35:55.830 \longrightarrow 00:35:58.440$  across a number of content areas,

 $00:35:58.440 \longrightarrow 00:36:01.270$  that it is quite rare to have a randomized trial sample

 $00:36:01.270 \longrightarrow 00:36:03.380$  and the target population dataset

 $00:36:03.380 \longrightarrow 00:36:06.010$  with very many comparable measures.

 $00:36:06.010 \longrightarrow 00:36:07.820$  So in the Stuart and Rhodes paper,

00:36:07.820 --> 00:36:11.520 this was in like early childhood setting

 $00{:}36{:}11.520 \dashrightarrow 00{:}36{:}15.330$  and each data set, the trial and the population data

 $00:36:15.330 \longrightarrow 00:36:19.350$  had like over 400 variables observed at baseline.

 $00:36:19.350 \longrightarrow 00:36:21.990$  There were literally only seven that were measured

 $00:36:21.990 \longrightarrow 00:36:24.630$  consistently between the two samples.

 $00:36:24.630 \longrightarrow 00:36:28.120$  So essentially we have very limited ability then to adjust

 $00:36:28.120 \longrightarrow 00:36:31.403$  for these factors because they just don't have much overlap.

 $00:36:32.290 \longrightarrow 00:36:37.020$  So what that then motivated us to create some sensitivity

00:36:37.020 --> 00:36:40.110 analysis to basically probe and say, well,

 $00:36:40.110 \longrightarrow 00:36:43.230$  what if there is an unobserved effect moderator,

 $00{:}36{:}43.230 \dashrightarrow 00{:}36{:}47.160$  how much would that change our population effect estimate?

00:36:47.160 --> 00:36:51.370 Again, this is very comparable to analysis of sensitivity,

 $00{:}36{:}51{:}370 \dashrightarrow 00{:}36{:}54{:}350$  to unobserved confounding and non-experimental studies

 $00:36:54.350 \longrightarrow 00:36:58.680$  sort of adapted for this purpose of trial population,

 $00:36:58.680 \longrightarrow 00:36:59.683$  generalized ability.

 $00:37:03.220 \dashrightarrow 00:37:05.860$  I think I can skip this in the interest of time and not go

 $00:37:05.860 \longrightarrow 00:37:06.760$  through all the details.

 $00:37:06.760 \longrightarrow 00:37:08.220$  If anyone wants the slides by the way,

 $00:37:08.220 \longrightarrow 00:37:10.520$  feel free to email me, I'm happy to send them.

00:37:12.800 --> 00:37:14.720 I'm gonna skip this too cause I've already said

 $00:37:14.720 \longrightarrow 00:37:18.780$  sort of the key assumption that is relevant for right now,

 $00:37:18.780 \longrightarrow 00:37:22.333$  but basically what we propose is,

 $00:37:23.802 \longrightarrow 00:37:25.730$  I'm gonna talk about two cases.

 $00{:}37{:}25.730 \dashrightarrow 00{:}37{:}29.370$  So the easier case is this one where we're gonna assume

 $00:37:29.370 \longrightarrow 00:37:32.280$  that the randomized trial observes all of the effect

 $00:37:32.280 \longrightarrow 00:37:33.113$  moderators.

 $00:37:33.113 \longrightarrow 00:37:36.350$  And the issue is that our target population dataset

 $00:37:36.350 \longrightarrow 00:37:40.620$  does not have some moderators observed.

 $00:37:40.620 \longrightarrow 00:37:43.100$  I think this is fairly realistic because at least

 $00:37:43.100 \dashrightarrow 00:37:46.590$  like to think that the people running the randomized trials

 $00:37:46.590 \longrightarrow 00:37:49.520$  have enough scientific knowledge and expertise

 $00:37:49.520 \dashrightarrow 00:37:52.390$  that they sort of know what the likely effect moderators

 $00:37:52.390 \dashrightarrow 00:37:54.830$  are and that they measure them in the trial.

00:37:54.830 --> 00:37:57.760 That is probably not fully realistic, but I'm...

00:37:57.760 --> 00:38:00.460 I like to give them sort of the benefit of the doubt

 $00:38:00.460 \longrightarrow 00:38:01.470$  on that.

00:38:01.470 --> 00:38:04.960 And that sort of that's what the ACTG example,

00:38:04.960 --> 00:38:07.470 was like CD4 count would be an example of this,

00:38:07.470 --> 00:38:10.840 where we have CD4 count in the trial,

 $00:38:10.840 \longrightarrow 00:38:13.520$  but we just don't have it in the population.

 $00:38:13.520 \longrightarrow 00:38:16.060$  So what we showed is that there's actually,

 $00:38:16.060 \longrightarrow 00:38:18.060$  a couple of different ways you can implement

 $00:38:18.060 \longrightarrow 00:38:20.053$  this sort of sensitivity analysis.

 $00{:}38{:}21.510 \dashrightarrow 00{:}38{:}24.600$  One is essentially kind of an outcome model based one

 $00:38:24.600 \longrightarrow 00:38:25.483$  where you,

 $00:38:27.640 \longrightarrow 00:38:30.320$  basically, we just sort of specify a range

 $00:38:30.320 \longrightarrow 00:38:34.150$  for the unobserved moderator V in the population.

00:38:34.150 --> 00:38:36.270 So we kind of say, well, we don't know

 $00:38:36.270 \longrightarrow 00:38:39.780$  the distribution of this moderator in the population,

00:38:39.780 --> 00:38:43.010 but we're gonna guess that it's in some range.

 $00{:}38{:}43.010 \dashrightarrow 00{:}38{:}47.860$  And then, we kind of projected out using data from the trial

 $00:38:47.860 \longrightarrow 00:38:50.540$  to understand like the extent of the moderation

 $00:38:50.540 \longrightarrow 00:38:51.743$  due to that variable.

 $00:38:52.900 \longrightarrow 00:38:55.110$  There's another variation on this,

 $00:38:55.110 \longrightarrow 00:38:57.760$  which is sort of the weighting variation

00:38:57.760 --> 00:38:59.920 where you kind of adjust the weights,

 $00:38:59.920 \longrightarrow 00:39:03.430$  essentially again for this unobserved moderator.

 $00:39:03.430 \longrightarrow 00:39:07.150$  Again, either way you sort of basically just have to specify

 $00:39:07.150 \dashrightarrow 00:39:11.440$  a potential range for this V, the unobserved moderator

 $00:39:11.440 \longrightarrow 00:39:12.593$  in the population.

 $00:39:13.960 \longrightarrow 00:39:15.603$  So here's an example of that.

 $00:39:15.603 \longrightarrow 00:39:18.280$  This is a different example, where we were looking

 $00:39:18.280 \longrightarrow 00:39:21.410$  at the effects of a smoking cessation intervention

 $00:39:21.410 \longrightarrow 00:39:24.460$  among people in substance use treatment.

 $00:39:24.460 \dashrightarrow 00:39:29.460$  And in the randomized trial, the mean addiction score

 $00:39:31.300 \longrightarrow 00:39:33.030$  was four.

 $00:39:33.030 \longrightarrow 00:39:34.930$  But we didn't have this addiction score,

 $00:39:34.930 \longrightarrow 00:39:37.410$  in the target population of interest.

 $00{:}39{:}37.410 \dashrightarrow 00{:}39{:}40.310$  And so, what the sensitivity analysis allows us to do

 $00:39:40.310 \longrightarrow 00:39:43.760$  is to say, well, let's imagine that range is anywhere

 $00:39:43.760 \longrightarrow 00:39:45.490$  from three to five.

 $00:39:45.490 \dashrightarrow 00:39:49.100$  And how much does that change our population effect

- $00:39:49.100 \longrightarrow 00:39:50.520$  estimates?
- $00:39:50.520 \longrightarrow 00:39:53.520$  Essentially, how steep this line is, is gonna be
- $00:39:53.520 \longrightarrow 00:39:56.570$  sort of determine how much it matters.
- $00:39:56.570 \longrightarrow 00:39:58.800$  And the steepness of the line basically
- $00:39:58.800 \longrightarrow 00:40:01.720$  is how much of a moderator is it,
- $00:40:01.720 \longrightarrow 00:40:05.270$  sort of how much effect heterogeneity is there in the trial
- $00:40:05.270 \longrightarrow 00:40:07.490$  as a result of that variable.
- 00:40:07.490 --> 00:40:10.580 But again, this is at least one way to sort of turn
- $00:40:10.580 \longrightarrow 00:40:12.970$  this sort of worry about an unobserved moderator
- 00:40:12.970 --> 00:40:15.770 into a more formal statement about how much
- $00:40:15.770 \longrightarrow 00:40:17.083$  it really might matter.
- 00:40:20.946 --> 00:40:22.390 I'm not gonna get into this partly,
- 00:40:22.390 --> 00:40:24.300 so you might also be thinking, well,
- 00:40:24.300 --> 00:40:27.367 what if the trial doesn't know what all the moderators are?
- $00{:}40{:}27.367 \dashrightarrow 00{:}40{:}30.600$  And what if there's some fully unobserved moderator
- $00:40:30.600 \longrightarrow 00:40:31.773$  that will call U?
- $00:40:33.620 \longrightarrow 00:40:35.650$  This is a much much harder, basically,
- $00:40:35.650 \longrightarrow 00:40:38.688$  if anyone wants to try to dig into it, that would be great.
- $00{:}40{:}38.688 \operatorname{--}{>} 00{:}40{:}41.660$  Part of the reason it's harder is because you have to make
- $00:40:41.660 \longrightarrow 00:40:44.380$  very strong assumptions about the distribution
- $00:40:44.380 \longrightarrow 00:40:47.990$  of the observed covariance and U together.
- $00:40:47.990 \longrightarrow 00:40:49.120$  We put out one approach,
- 00:40:49.120 --> 00:40:52.920 but it is a fairly special case and not very general.
- $00{:}40{:}52.920 \dashrightarrow 00{:}40{:}56.030$  So again, hopefully we're not in this sort of scenario
- $00:40:56.030 \longrightarrow 00:40:56.863$  very often.
- $00:41:00.590 \longrightarrow 00:41:02.560$  This is a little bit of a technicality,
- $00:41:02.560 \longrightarrow 00:41:05.330$  but often epidemiologists ask this question.

 $00{:}41{:}05.330 \dashrightarrow 00{:}41{:}08.630$  So I've laid stuff out again with respect to kind of a risk

 $00:41:08.630 \longrightarrow 00:41:10.530$  difference or a difference in outcomes

 $00{:}41{:}11.640 {\:\hbox{--}}{>}\ 00{:}41{:}15.090$  and sort of like more of like an additive treatment scale.

00:41:15.090 --> 00:41:17.410 There is this real complication that arises,

00:41:17.410 --> 00:41:19.980 which is that if you have like a binary,

 $00{:}41{:}19.980 \dashrightarrow 00{:}41{:}24.153$  like the scale of the outcome matters in terms of effect

 $00:41:25.160 \longrightarrow 00:41:26.320$  moderation.

 $00:41:26.320 \longrightarrow 00:41:29.560$  And in particular, there might be sort of more apparent

 $00:41:29.560 \longrightarrow 00:41:32.970$  effect heterogeneity on one scale versus another.

 $00:41:32.970 \longrightarrow 00:41:36.720$  So I'm just kind of flagging this, that like this exists,

 $00{:}41{:}36.720 \dashrightarrow 00{:}41{:}39.000$  there are some people sort of looking at this in more

 $00{:}41{:}39.000 \dashrightarrow 00{:}41{:}44.000$  formal, but again for now sort of just think about like risk

 $00:41:44.160 \longrightarrow 00:41:45.410$  difference kind of scale.

 $00:41:47.450 \longrightarrow 00:41:48.283$  Okay, great.

 $00{:}41{:}48.283 \dashrightarrow 00{:}41{:}51.400$  So let me just conclude with a few kind of final thoughts.

00:41:51.400 --> 00:41:54.440 So, I think all of us, not all of us,

 $00{:}41{:}54.440 \dashrightarrow 00{:}41{:}57.610$  but often we sort of want to assume that study results

 $00:41:57.610 \longrightarrow 00:41:58.443$  generalize.

 $00:41:58.443 \longrightarrow 00:42:01.130$  Often people write a discussion section in a paper,

 $00{:}42{:}01.130 \dashrightarrow 00{:}42{:}04.560$  where they kind of qualitatively have some sentences

00:42:04.560 --> 00:42:07.830 about why they do or don't think that the results

 $00:42:07.830 \longrightarrow 00:42:10.190$  in this paper kind of extend to other groups

 $00:42:10.190 \longrightarrow 00:42:11.403$  or other populations.

 $00:42:12.520 \longrightarrow 00:42:16.180$  But I think until the past again, sort of five or so years,

00:42:16.180 --> 00:42:19.140 a lot of that discussion was very hand-wavy

 $00:42:19.140 \longrightarrow 00:42:20.810$  and sort of qualitative.

 $00:42:20.810 \longrightarrow 00:42:23.540$  I think that what we are seeing in epidemiology

 $00:42:23.540 \longrightarrow 00:42:26.070$  and statistics and bias statistics

 $00:42:26.070 \longrightarrow 00:42:29.000$  recently has been a push towards having more

 $00{:}42{:}29.000 \dashrightarrow 00{:}42{:}33.160$  ability to quantify this and make it sort of more formal

 $00:42:33.160 \longrightarrow 00:42:33.993$  statements.

00:42:35.040 --> 00:42:37.440 So I think if we do wanna be serious though,

00:42:37.440 --> 00:42:40.590 about assessing and enhancing external validity,

 $00:42:40.590 \longrightarrow 00:42:42.600$  again, we really need these different pieces.

 $00{:}42{:}42.600 \dashrightarrow 00{:}42{:}46.040$  We need information on the factors that influence effect

 $00:42:46.040 \longrightarrow 00:42:48.540$  heterogeneity the moderators.

 $00:42:48.540 \longrightarrow 00:42:50.700$  We need information on the factors that influence

00:42:50.700 --> 00:42:54.860 participation in rigorous studies like randomized trials.

 $00:42:54.860 \longrightarrow 00:42:57.370$  And we need data on all of those things,

 $00:42:57.370 \longrightarrow 00:42:59.173$  in the trial and the population.

 $00{:}43{:}00.380 \dashrightarrow 00{:}43{:}03.500$  And then finally, we need statistical methods that allow us

 $00:43:03.500 \longrightarrow 00:43:07.103$  to use that data to estimate population treatment effects.

 $00{:}43{:}07.940 \dashrightarrow 00{:}43{:}11.900$  I would argue that that last bullet is sort of much further

 $00:43:11.900 \longrightarrow 00:43:13.430$  along than any of the others.

00:43:13.430 --> 00:43:15.490 That in my experience,

 $00:43:15.490 \longrightarrow 00:43:18.700$  the limiting factor is usually not the methods.

 $00{:}43{:}18.700 \dashrightarrow 00{:}43{:}22.230$  The limiting factor at this point in time is the data

 $00:43:22.230 \longrightarrow 00:43:24.610$  and sort of the scientific knowledge

- $00:43:24.610 \longrightarrow 00:43:27.033$  about these different factors.
- $00:43:29.050 \longrightarrow 00:43:30.240$  And that's what this slide is.
- 00:43:30.240 --> 00:43:32.640 So I think I've already said, but that again,
- $00:43:32.640 \longrightarrow 00:43:35.450$  is sort of one of the motivations for the sensitivity
- 00:43:35.450 --> 00:43:38.870 analysis is just a recognition that it's often,
- 00:43:38.870 --> 00:43:40.840 really quite hard to get data that
- $00:43:42.020 \longrightarrow 00:43:45.193$  is consistently measured between a trial and a population.
- 00:43:46.710 --> 00:43:48.730 So on that point, recommendations again,
- $00:43:48.730 \longrightarrow 00:43:51.340$  if we wanna be serious about effect heterogeneity
- 00:43:51.340 --> 00:43:54.780 or about estimating population treatment effects,
- $00{:}43{:}54.780 \dashrightarrow 00{:}43{:}58.170$  we need better information on treatment effect heterogeneity
- $00:43:59.210 \longrightarrow 00:44:01.690$  that might be better analysis of existing trials,
- $00:44:01.690 \longrightarrow 00:44:04.500$  that might be meta-analysis of existing trials.
- $00{:}44{:}04.500 \dashrightarrow 00{:}44{:}07.440$  That might also be theoretical models for the interventions
- $00:44:07.440 \longrightarrow 00:44:10.773$  to understand what the likely moderators are.
- $00:44:11.830 \longrightarrow 00:44:14.040$  We also need better information on the factors
- $00{:}44{:}14.040 \dashrightarrow 00{:}44{:}17.160$  that influence participation in trials and more discussion
- $00:44:17.160 \longrightarrow 00:44:19.913$  of how trial samples are selected.
- $00:44:21.860 \longrightarrow 00:44:23.330$  We need to standardize measures.
- $00{:}44{:}23.330 \operatorname{--}{>} 00{:}44{:}26.250$  So again, it's incredibly frustrating when you have trial
- $00{:}44{:}26.250 \dashrightarrow 00{:}44{:}29.660$  and population data, but the measures in them are not
- $00:44:29.660 \longrightarrow 00:44:30.890$  consistent.
- $00:44:30.890 \longrightarrow 00:44:33.440$  There are methods that can be used for this,
- 00:44:33.440 --> 00:44:35.453 some data harmonization approaches,
- $00:44:36.390 \longrightarrow 00:44:38.860$  but, they require assumptions.
- $00{:}44{:}38.860 \dashrightarrow 00{:}44{:}42.450$  It's better if we can be thoughtful and strategic about,

 $00:44:42.450 \longrightarrow 00:44:45.250$  for example, common measures across studies.

 $00:44:45.250 \longrightarrow 00:44:47.070$  I will say one of the frustrations too,

 $00:44:47.070 \longrightarrow 00:44:50.830$  is that in some fields like the early childhood data

 $00:44:50.830 \longrightarrow 00:44:52.070$  I talked about,

 $00:44:52.070 \longrightarrow 00:44:54.560$  part of the problem was like the two data sets might

 $00:44:54.560 \longrightarrow 00:44:56.440$  actually have the same measure,

 $00:44:56.440 \longrightarrow 00:44:58.410$  but they didn't give the raw data,

 $00:44:58.410 \longrightarrow 00:45:00.630$  and they're like standardized scales differently.

 $00:45:00.630 \dashrightarrow 00:45:03.300$  Like they standardized them to their own population,

 $00:45:03.300 \longrightarrow 00:45:04.790$  not sort of more generally.

 $00{:}45{:}04.790 \dashrightarrow 00{:}45{:}08.343$  And so they, weren't sort of on the same scale in the end.

 $00{:}45{:}09.900 \dashrightarrow 00{:}45{:}12.260$  As a statistician, of course, I will say we do need more

 $00{:}45{:}12.260 \dashrightarrow 00{:}45{:}15.260$  research on the methods and understanding when they work

 $00:45:15.260 \longrightarrow 00:45:16.093$  and when they don't.

 $00:45:16.093 \longrightarrow 00:45:18.630$  There are some pretty strong assumptions

 $00:45:18.630 \longrightarrow 00:45:20.350$  in these approaches.

 $00{:}45{:}20.350 \dashrightarrow 00{:}45{:}23.840$  But again, I think that sort of in some ways,

 $00:45:23.840 \longrightarrow 00:45:26.893$  that is further along and then some of the data situations.

 $00{:}45{:}28.680 \dashrightarrow 00{:}45{:}31.760$  So I just wanted to take one minute to flag some current

 $00{:}45{:}31.760 \dashrightarrow 00{:}45{:}34.460$  work in case partly if anyone wants to ask questions about

 $00:45:34.460 \longrightarrow 00:45:36.110$  these.

00:45:36.110 --> 00:45:38.220 One thing I'm kind of excited about,

 $00:45:38.220 \longrightarrow 00:45:41.500$  especially in my education world is...

 $00:45:41.500 \longrightarrow 00:45:43.670$  So what I've been talking about today has mostly been,

 $00:45:43.670 \longrightarrow 00:45:46.010$  if we have a trial sample and we wanna project

 $00:45:46.010 \longrightarrow 00:45:48.730$  to kind of a larger target population.

 $00:45:48.730 \longrightarrow 00:45:50.710$  But there's an equally interesting question,

 $00{:}45{:}50.710 --> 00{:}45{:}54.180$  which is sort of how well can randomized trial informs

00:45:54.180 --> 00:45:55.610 or local decision making?

 $00:45:55.610 \longrightarrow 00:46:00.043$  So if we have a randomized trial with 60 schools in it,

 $00:46:00.990 \longrightarrow 00:46:04.480$  how well can the results from that trial be used to inform

 $00:46:04.480 \longrightarrow 00:46:06.910$  individual school districts decisions?

00:46:06.910 --> 00:46:08.892 Turns out, not particularly well.

00:46:08.892 --> 00:46:10.000 (laughs)

 $00:46:10.000 \longrightarrow 00:46:11.920$  We can talk more about that.

 $00:46:11.920 \longrightarrow 00:46:15.040$  I mentioned earlier, Issa Dahabreh, who's at Brown,

 $00{:}46{:}15.040 \dashrightarrow 00{:}46{:}18.100$  and he's really interested in developing sort of the formal

00:46:18.100 --> 00:46:20.940 theories underlying different ways of estimating

 $00:46:20.940 \longrightarrow 00:46:23.440$  these population effects, again, including some

 $00:46:23.440 \longrightarrow 00:46:25.163$  doubly robust approaches.

00:46:26.368 --> 00:46:29.130 Trang Nguyen, who works at Hopkins with me,

 $00{:}46{:}29.130 \dashrightarrow 00{:}46{:}31.650$  we are still looking at sort of the sensitivity analysis

 $00:46:31.650 \longrightarrow 00:46:34.090$  for unobserved moderators.

00:46:34.090 --> 00:46:37.190 I mentioned Hwanhee Hong already, who's now at Duke.

 $00{:}46{:}37.190 \dashrightarrow 00{:}46{:}40.450$  And she, again, sort of straddles the meta-analysis world

00:46:40.450 --> 00:46:43.000 in this world, which has some really interesting

 $00:46:43.000 \longrightarrow 00:46:43.833$  connections.

 $00:46:44.910 \longrightarrow 00:46:47.640$  My former student now he's at Flatiron Health

 $00:46:47.640 \longrightarrow 00:46:49.560$  as of a few months ago.

 $00{:}46{:}49.560 \dashrightarrow 00{:}46{:}53.040$  Ben Ackerman, did some work on sort of measurement error

 $00:46:53.040 \longrightarrow 00:46:55.250$  and sort of partly how to deal with some of these

00:46:55.250 --> 00:46:58.793 measurement challenges between the sample and population.

 $00:46:59.776 \longrightarrow 00:47:03.580$  And then I'll just briefly mention Daniel Westreich at UNC,

 $00:47:03.580 \longrightarrow 00:47:05.040$  who is really...

 $00:47:05.040 \longrightarrow 00:47:08.700$  If you come from sort of more of an epidemiology world,

 $00:47:08.700 \longrightarrow 00:47:11.120$  Daniel has some really nice papers that are sort of trying

00:47:11.120 --> 00:47:14.300 to translate these ideas to epidemiology,

 $00:47:14.300 \longrightarrow 00:47:17.320$  and this concept of what he calls target validity.

 $00{:}47{:}17.320 \dashrightarrow 00{:}47{:}20.250$  So sort of rather than thinking about internal and external

00:47:20.250 --> 00:47:23.220 validity separately, and as potentially,

00:47:23.220 --> 00:47:25.690 in kind of conflict with each other,

 $00{:}47{:}25.690 \to 00{:}47{:}28.630$  instead really think carefully about a target of inference

 $00:47:28.630 \longrightarrow 00:47:31.220$  and then thinking of internal and external validity

 $00:47:31.220 \longrightarrow 00:47:34.830$  sort of within that and not sort of trying to prioritize

 $00:47:34.830 \longrightarrow 00:47:35.993$  one over the other.

00:47:37.180 --> 00:47:39.133 And then just an aside, one thing,

 $00{:}47{:}39.981 \dashrightarrow 00{:}47{:}42.610$  I would love to do more in the coming years is thinking

00:47:42.610 --> 00:47:45.580 about combining experimental and non-experimental evidence.

 $00{:}47{:}45.580 \dashrightarrow 00{:}47{:}48.660$  I think that is probably where it would be very beneficial

 $00{:}47{:}48.660 \dashrightarrow 00{:}47{:}51.780$  to go instead of more of that cross designed synthesis

 $00:47:51.780 \longrightarrow 00:47:53.083$  kind of idea.

 $00:47:54.810 \longrightarrow 00:47:57.350$  But again, I wanna conclude with this,

00:47:57.350 --> 00:48:00.950 which is gets us back to design and that again,

 $00{:}48{:}00.950 \dashrightarrow 00{:}48{:}04.040$  sort of what is often the limiting factor here is the data

 $00:48:04.040 \longrightarrow 00:48:06.960$  and just sort of strong designs.

 $00{:}48{:}06.960 \dashrightarrow 00{:}48{:}10.130$  So Rubin, 2005 with better data, fewer assumptions

00:48:10.130 --> 00:48:12.980 are needed and then Light, Singer and Willett,

 $00:48:12.980 \longrightarrow 00:48:15.680$  who are sort of big education methodologists.

 $00:48:15.680 \longrightarrow 00:48:19.460$  You can't fix by analysis what you've bungled by design.

 $00{:}48{:}19.460 \dashrightarrow 00{:}48{:}21.970$  So again, just wanna highlight that if we wanna be serious

00:48:21.970 --> 00:48:24.420 about estimating population effects,

 $00:48:24.420 \longrightarrow 00:48:26.990$  we need to be serious about that in our study designs,

 $00:48:26.990 \longrightarrow 00:48:29.610$  both in terms of who we recruit,

 $00:48:29.610 \longrightarrow 00:48:32.157$  but then also what variables we collect on them.

 $00:48:32.157 \longrightarrow 00:48:33.070$  But if we do that,

00:48:33.070 --> 00:48:36.730 I think that we can have the potential to really help guide

 $00:48:36.730 \longrightarrow 00:48:39.380$  policy and practice by thinking more carefully

 $00:48:39.380 \longrightarrow 00:48:41.843$  about the populations that we care about.

00:48:43.020 --> 00:48:44.330 So for more...

 $00{:}48{:}44{:}330 \dashrightarrow 00{:}48{:}46{:}600$  Here's this, there's my email, if you wanna email me

 $00:48:46.600 \longrightarrow 00:48:48.500$  for the slides.

 $00{:}48{:}48.500 \dashrightarrow 00{:}48{:}52.670$  And thanks to various funders, and then I'll leave this up

 $00:48:52.670 \longrightarrow 00:48:54.560$  for a couple minutes,

 $00:48:54.560 \longrightarrow 00:48:58.750$  which are all big, tiny font, some of the references,

 $00:48:58.750 \longrightarrow 00:49:01.060$  but then I'll take that down in a minute so that we can see

 $00:49:01.060 \longrightarrow 00:49:01.893$  each other more.

 $00{:}49{:}01.893 \dashrightarrow 00{:}49{:}05.973$  So thank you, and I'm very happy to take some questions.

00:49:13.780 --> 00:49:15.500 I don't know if you all have a way to organize

 $00:49:15.500 \longrightarrow 00:49:16.400$  or people just can

 $00:49:18.990 \longrightarrow 00:49:19.823$  jump in.

 $00:49:24.160 \longrightarrow 00:49:25.200$  - So maybe I'll ask the question.

 $00:49:25.200 \longrightarrow 00:49:28.003$  Thanks Liz, for this very interesting and great talk.

 $00{:}49{:}29.030 \dashrightarrow 00{:}49{:}33.500$  So I noticed that you've talked about the target population

 $00:49:33.500 \longrightarrow 00:49:34.890$  in this framework.

 $00{:}49{:}34.890 \dashrightarrow 00{:}49{:}39.270$  And I think there are situations where the population sample

 $00:49:39.270 \longrightarrow 00:49:42.774$  is actually a survey from a larger population.

 $00:49:42.774 \longrightarrow 00:49:43.607$  - Yeah.

 $00:49:43.607 \longrightarrow 00:49:46.630$  - Cause we do not really afford to absorb everything,

00:49:46.630 --> 00:49:48.750 actual population, which will contain

 $00:49:48.750 \longrightarrow 00:49:50.110$  like millions of individuals.

 $00{:}49{:}50.110 \dashrightarrow 00{:}49{:}54.830$  And so in that situation, does the framework still apply

00:49:54.830 --> 00:49:58.370 particularly in terms of the sensitivity analysis?

 $00:49:58.370 \longrightarrow 00:50:01.360$  And is there any caveat that we should also know in dealing

 $00:50:01.360 \longrightarrow 00:50:02.293$  with those data?

 $00:50:03.330 \longrightarrow 00:50:04.223$  - Great question.

 $00{:}50{:}05.150 \dashrightarrow 00{:}50{:}07.240$  And actually, thank you for asking that because I forgot

 $00:50:07.240 \longrightarrow 00:50:09.600$  to mention that Ben Ackerman's dissertation,

 $00:50:09.600 \longrightarrow 00:50:10.500$  also looked at that.

00:50:10.500 --> 00:50:12.920 So I mentioned his measurement error stuff.

 $00{:}50{:}12.920 \dashrightarrow 00{:}50{:}16.900$  But yes, actually, so Ben's second dissertation paper

 $00{:}50{:}16.900 \dashrightarrow 00{:}50{:}20.950$  did exactly that, where we sort of laid out the theory

 $00:50:20.950 \longrightarrow 00:50:24.100$  for when these the target population data

 $00:50:24.100 \longrightarrow 00:50:27.033$  comes from a complex survey itself.

00:50:28.650 --> 00:50:30.880 Short answer is yes, it all still works.

 $00:50:30.880 \longrightarrow 00:50:34.460$  Like you have to use the weights, there are some nuances,

00:50:34.460 --> 00:50:36.450 but, and you're right, like essentially,

 $00:50:36.450 \longrightarrow 00:50:38.450$  especially like in...

 $00:50:38.450 \dashrightarrow 00:50:41.310$  Like for representing the U.S. population, often, the data

 $00{:}50{:}41.310 --> 00{:}50{:}44.290$  we have is like the National Health Interview Survey

 $00:50:44.290 \longrightarrow 00:50:47.040$  or the Add Health Survey of Adolescents,

 $00:50:47.040 \longrightarrow 00:50:49.110$  which are these complex surveys.

00:50:49.110 --> 00:50:52.760 So short answer is, yeah, it still can work.

 $00{:}50{:}52.760 --> 00{:}50{:}54.943$  Your question about the sensitivity analysis is actually

 $00:50:54.943 \longrightarrow 00:50:57.900$  a really good one and we have not extended...

00:50:57.900 --> 00:50:59.720 I'd have to think, I don't know, off hand, like,

 $00{:}50{:}59.720 \dashrightarrow 00{:}51{:}03.840$  I think it would be sort of straightforward to extend

 $00:51:03.840 \longrightarrow 00:51:06.560$  the sensitivity analysis to that, but we haven't actually

 $00:51:06.560 \longrightarrow 00:51:07.393$  done it.

 $00:51:08.340 \longrightarrow 00:51:09.173$  - Thanks Liz.

 $00:51:10.730 \longrightarrow 00:51:12.270$  The other short question is that I noticed that

 $00{:}51{:}12.270 \dashrightarrow 00{:}51{:}16.380$  in your slide, you first define, PATE as population ate,

 $00:51:16.380 \longrightarrow 00:51:18.650$  but then in one slide you have this Tate,

 $00{:}51{:}18.650 \dashrightarrow 00{:}51{:}21.150$  which I assume is target ate.

 $00:51:21.150 \longrightarrow 00:51:24.570$  And so, I'm just really curious as to like, is there any,

 $00:51:24.570 \longrightarrow 00:51:26.878$  like differences or nuances in the choice of this

 $00:51:26.878 \longrightarrow 00:51:27.943$  terminology?

 $00:51:28.977 \longrightarrow 00:51:29.810$  - Good question.

- $00:51:29.810 \longrightarrow 00:51:30.643$  And no, yeah, I'm not...
- $00{:}51{:}30.643 \dashrightarrow 00{:}51{:}33.563$  I wasn't very precise with that, but in my mind, no.
- 00:51:34.750 --> 00:51:37.830 Over time I've been trying to use Tate,
- 00:51:37.830 --> 00:51:39.970 but you can see that kind of just by default,
- $00:51:39.970 \longrightarrow 00:51:41.713$  I still sometimes use PATE.
- $00:51:42.830 \longrightarrow 00:51:45.750$  Part of the reason I use Tate is because I think
- $00:51:45.750 \longrightarrow 00:51:48.020$  the target is just a slightly more general term.
- 00:51:48.020 --> 00:51:50.210 Like people sometimes I think, think if we meet,
- 00:51:50.210 --> 00:51:53.330 if we say PATE, the population has to be like
- 00:51:53.330 --> 00:51:58.030 the U.S. population or some like very sort of big,
- $00:51:58.030 \longrightarrow 00:52:00.930$  very official population in some sense.
- $00:52:00.930 \longrightarrow 00:52:03.570$  Whereas, the target average treatment effect,
- 00:52:03.570 --> 00:52:06.260 Tate terminology, I think reflects that sometimes
- 00:52:06.260 --> 00:52:10.060 it's just a target group that's well-defined.
- $00:52:10.060 \longrightarrow 00:52:10.893$  Gotcha.
- $00:52:10.893 \longrightarrow 00:52:12.270$  Thanks, that's very helpful.
- $00{:}52{:}12.270 --> 00{:}52{:}14.930$  And I think we have a question coming from the chat as well.
- $00:52:14.930 \longrightarrow 00:52:15.900$  Yeah, I just saw that.
- $00:52:15.900 \longrightarrow 00:52:17.450$  So I can read that.
- $00{:}52{:}17.450 \dashrightarrow 00{:}52{:}19.610$  We have theory for inference from a sample to a target
- $00:52:19.610 \longrightarrow 00:52:22.700$  population needs to find that internal validity approaches,
- $00{:}52{:}22.700 \dashrightarrow 00{:}52{:}25.210$  what theory is there for connecting the internal validity
- $00:52:25.210 \longrightarrow 00:52:26.933$  methods to external validity?
- 00:52:28.620 --> 00:52:32.550 So I think, what you mean is sort of,
- $00:52:32.550 \longrightarrow 00:52:36.500$  what is the formal theory for projecting the impact
- $00:52:36.500 \longrightarrow 00:52:38.110$  to the target population?
- $00{:}52{:}38.110 --> 00{:}52{:}40.700$  That is exactly what some of those people that I referenced

 $00:52:40.700 \longrightarrow 00:52:41.533$  sort of lay out.

00:52:41.533 --> 00:52:42.366 Like I didn't...

00:52:42.366 --> 00:52:44.590 For this talk, I didn't get into all the theoretical weeds.

00:52:44.590 --> 00:52:46.370 but if you're interested in that stuff,

 $00{:}52{:}46.370 \dashrightarrow 00{:}52{:}48.830$  probably some of Issa Dahabreh's work would be the most

 $00:52:48.830 \longrightarrow 00:52:50.093$  relevant to look at.

 $00:52:51.430 \longrightarrow 00:52:54.000$  Cause he really lays out sort of the formal theory.

 $00{:}52{:}54.000 \dashrightarrow 00{:}52{:}58.390$  I mean, some of my early papers on this topic did it,

 $00:52:58.390 \dashrightarrow 00:53:01.220$  but his is like a little bit more formal and sort of makes

 $00:53:01.220 \longrightarrow 00:53:03.610$  connections to the doubly robust literature

 $00:53:03.610 \longrightarrow 00:53:04.443$  and things like that.

 $00:53:04.443 \longrightarrow 00:53:06.040$  And so it's really...

00:53:06.040 --> 00:53:08.420 Anyway, that's what this whole literature

 $00:53:08.420 \dashrightarrow 00:53:11.050$  and part of it is sort of building is that theoretical base

 $00:53:11.050 \longrightarrow 00:53:12.223$  for doing this.

 $00:53:17.320 \longrightarrow 00:53:18.503$  Any other questions?

 $00:53:28.070 \longrightarrow 00:53:28.903 - [Ofer] Liz,$ 

 $00:53:28.903 \longrightarrow 00:53:30.226$  I'm Ofer Harel.

00:53:30.226 --> 00:53:31.360 - Oh, hi Ofer?

 $00:53:31.360 \longrightarrow 00:53:32.670 - [Ofer]$  Hi.

 $00:53:32.670 \longrightarrow 00:53:33.630$  (mumbles)

 $00:53:33.630 \longrightarrow 00:53:37.453$  Just jump on the corridor, so it's make it great.

 $00:53:39.010 \longrightarrow 00:53:43.070$  So in most of the studies that I would work on,

00:53:43.070 --> 00:53:45.860 they don't do really have a great idea about

 $00{:}53{:}45.860 \dashrightarrow 00{:}53{:}50.100$  what really the population is and how really to measure

 $00:53:50.100 \longrightarrow 00:53:50.933$  those.

 $00:53:50.933 \longrightarrow 00:53:53.590$  So it's great if I have some measure of the population,

 $00:53:53.590 \longrightarrow 00:53:57.410$  but most of the time it is the studies that I work.

 $00:53:57.410 \longrightarrow 00:54:01.630$  I have no real measurements on that population.

 $00:54:01.630 \longrightarrow 00:54:03.060$  What happens then?

 $00:54:03.060 \longrightarrow 00:54:03.977$  - Yeah, great question.

 $00:54:03.977 \longrightarrow 00:54:05.650$  And in part, I meant to say this,

 $00:54:05.650 \longrightarrow 00:54:07.500$  but that's one of the reasons why the analogy...

 $00{:}54{:}07.500 \dashrightarrow 00{:}54{:}10.300$  Why the design strategies don't always work particularly

 $00{:}54{:}10.300 --> 00{:}54{:}12.690$  well is like, especially when you're just starting out

00:54:12.690 --> 00:54:13.523 a study, right?

 $00:54:13.523 \longrightarrow 00:54:15.973$  We don't really know the target population.

00:54:17.070 --> 00:54:21.280 I think certainly to do any of these procedures,

 $00{:}54{:}21.280 \dashrightarrow 00{:}54{:}24.840$  you need eventually to have a well defined population.

 $00:54:24.840 \longrightarrow 00:54:26.950$  But I think that's partly why some of the analysis

 $00.54.26.950 \rightarrow 00.54.28.900$  approaches are useful is that,

00:54:28.900 --> 00:54:31.090 you might have multiple target populations.

 $00:54:31.090 \longrightarrow 00:54:33.010$  Like we might have one trial,

 $00:54:33.010 \longrightarrow 00:54:35.210$  and we might be interested in saying,

 $00{:}54{:}35.210 --> 00{:}54{:}38.670$  how well does this generalize to the State of New Hampshire

 $00{:}54{:}38.670 \dashrightarrow 00{:}54{:}41.370$  or the State of Vermont or the State of Connecticut?

 $00{:}54{:}41.370 \dashrightarrow 00{:}54{:}45.320$  And so, you could imagine one study that's used to inform

00:54:45.320 --> 00:54:47.103 multiple target populations.

 $00:54:48.050 \longrightarrow 00:54:49.030$  With different assumptions,

 $00:54:49.030 \longrightarrow 00:54:50.470$  sort of you have to think through the assumptions

 $00:54:50.470 \longrightarrow 00:54:51.323$  for each one.

 $00:54:52.390 \longrightarrow 00:54:53.620$  If you don't even,

 $00:54:53.620 \longrightarrow 00:54:55.650$  I guess I would say if you don't even know

 $00{:}54{:}55.650 \dashrightarrow 00{:}54{:}58.560$  who your population is, you shouldn't be using these methods

00:54:58.560 --> 00:55:02.040 at all, cause like the whole premise is that there is some

 $00{:}55{:}02.040 \dashrightarrow 00{:}55{:}04.900$  well-defined target population and you do need data on it

 $00:55:04.900 \longrightarrow 00:55:05.930$  or at least...

 $00:55:06.990 \longrightarrow 00:55:09.340$  Yeah, the joint distribution of some covariance

 $00:55:09.340 \longrightarrow 00:55:10.380$  or something.

00:55:10.380 --> 00:55:13.480 Without that, you're kind of just like,

00:55:13.480 --> 00:55:14.970 I don't know, what a good analogy is,

00:55:14.970 --> 00:55:17.923 but you're kinda just like guessing at everything.

 $00:55:23.936 \longrightarrow 00:55:25.650$  (mumbles)

 $00:55:25.650 \longrightarrow 00:55:27.246$  - No, go ahead.

 $00:55:27.246 \longrightarrow 00:55:28.864$  Go ahead.

 $00:55:28.864 \longrightarrow 00:55:30.297$  - Oh, Vinod, yeah.

00:55:30.297 --> 00:55:32.380 All my friends are popping up, it's great.

 $00:55:32.380 \longrightarrow 00:55:34.370$  (laughs)

 $00:55:34.370 \longrightarrow 00:55:35.203$  - [Vinod] Can I go ahead?

 $00:55:35.203 \longrightarrow 00:55:36.923$  I feel like I'm talking to someone.

00:55:38.660 --> 00:55:39.980 - Yeah, go ahead Vinod.

 $00:55:39.980 \longrightarrow 00:55:42.100 - [Vinod]$  That was a great talk.

00:55:42.100 --> 00:55:44.320 So I have a little ill formulated question,

 $00:55:44.320 \longrightarrow 00:55:47.130$  but it's queuing after just the last question

 $00:55:47.130 \longrightarrow 00:55:48.956$  that was asked is,

00:55:48.956 --> 00:55:53.773 in clinical set populations where,

 $00:55:54.850 \longrightarrow 00:55:57.620$  in some ways we're using this clinical samples

 $00:55:57.620 \longrightarrow 00:56:01.550$  to learn about the population because unless they seek help,

 $00.56:01.550 \dashrightarrow 00.56:05.320$  we often don't know what they are in the wild, so to speak.

00:56:05.320 --> 00:56:09.410 And so, each sampling of that clinical population

 $00:56:09.410 \longrightarrow 00:56:12.840$  is a maybe by sampling of that larger population

 $00:56:12.840 \longrightarrow 00:56:14.100$  in the wild.

 $00:56:14.100 \longrightarrow 00:56:18.450$  So I guess my question is, how do you get around this,

 $00{:}56{:}18.450 \dashrightarrow 00{:}56{:}21.730$  I guess Rumsfeld problem, which is every time you sample

 $00{:}56{:}21.730 \dashrightarrow 00{:}56{:}24.140$  there's this unknown, unknown, but there's no way to get

 $00{:}56{:}24.140 \dashrightarrow 00{:}56{:}27.340$  at them because in some ways, your sampling relies on...

00:56:27.340 --> 00:56:29.850 If we could say it relies on help seeking,

 $00:56:29.850 \longrightarrow 00:56:33.210$  which is by itself as process.

 $00{:}56{:}33.210 \dashrightarrow 00{:}56{:}35.160$  And if we could just stipulate, there's no way to get

 $00:56:35.160 \longrightarrow 00:56:36.270$  around that.

 $00:56:36.270 \longrightarrow 00:56:38.653$  How do you see this going forward?

 $00:56:39.550 \longrightarrow 00:56:40.383$  - Yeah, good question.

00:56:40.383 --> 00:56:42.650 I think right, particularly relevant in mental health

 $00:56:42.650 \longrightarrow 00:56:45.680$  research where there's a lot of people who are not seeking

 $00:56:45.680 \longrightarrow 00:56:47.106$  treatment.

 $00{:}56{:}47.106 \dashrightarrow 00{:}56{:}50.090$  These methods are not gonna help with that in a sense

00:56:50.090 --> 00:56:53.090 like again, they are gonna be sort of tuned to whatever

 $00:56:53.090 \longrightarrow 00:56:54.960$  population you have.

 $00{:}56{:}54.960 \dashrightarrow 00{:}56{:}56.800$  I think though there are...

 $00:56:56.800 \longrightarrow 00:56:59.513$  If you really wanna be thoughtful about that's

 $00:57:00.420 \longrightarrow 00:57:02.870$  problem, that's where sort of some of the strategies

 $00{:}57{:}02.870 \dashrightarrow 00{:}57{:}05.380$  that were used like the Epidemiologic Catchment Area

 $00{:}57{:}05.380 \dashrightarrow 00{:}57{:}08.320$  Surveys, where they would go door to door and knock on doors

 $00:57:08.320 \longrightarrow 00:57:10.660$  and do diagnostic interviews.

 $00{:}57{:}10.660 \dashrightarrow 00{:}57{:}14.070$  Like if we wanna be really serious about trying to reach

 $00{:}57{:}14.070 \dashrightarrow 00{:}57{:}16.730$  everyone and get an estimate of the really sort of true

 $00:57:16.730 \longrightarrow 00:57:20.080$  population, then we really have to tackle that

 $00:57:20.080 \longrightarrow 00:57:23.253$  very creatively and with a lot of resources probably.

 $00:57:25.027 \longrightarrow 00:57:26.995 - [Vinod]$  Thanks.

 $00:57:26.995 \longrightarrow 00:57:27.828$  - Welcome.

00:57:29.150 --> 00:57:30.430 - Hi Liz?

 $00:57:30.430 \longrightarrow 00:57:32.960$  Yeah, it's gonna be a true question and great talk

 $00:57:32.960 \longrightarrow 00:57:33.793$  by the way.

 $00:57:34.910 \longrightarrow 00:57:37.576$  I'm curious, you mentioned there could be a slight

 $00:57:37.576 \longrightarrow 00:57:40.189$  difference between the terms transportability

 $00:57:40.189 \longrightarrow 00:57:41.070$  and generalizability.

 $00:57:41.070 \longrightarrow 00:57:42.910$  Yeah, I'm curious about that.

 $00:57:42.910 \longrightarrow 00:57:45.910$  - Yeah, briefly, this is a little bit of a...

 $00:57:47.563 \longrightarrow 00:57:48.396$  What's the word?

00:57:48.396 --> 00:57:51.120 Simplification, but briefly I think of generalizability

 $00:57:51.120 \longrightarrow 00:57:54.670$  as one where the sample that, like the trial sample

 $00:57:54.670 \longrightarrow 00:57:57.120$  is a proper subset of the population.

00:57:57.120 --> 00:58:01.460 So we do a trial in New Hampshire,

 $00:58:01.460 \longrightarrow 00:58:04.180$  and we're trying to generalize to new England.

 $00{:}58{:}04.180 \dashrightarrow 00{:}58{:}07.580$  Whereas transportability is one where it is not a proper

 $00:58:07.580 \longrightarrow 00:58:10.270$  subset, so we do a trial in the United States

00:58:10.270 --> 00:58:12.143 and we wanna transport to Europe.

00:58:13.530 --> 00:58:16.690 Underlying both, the reason I don't worry too much about it,

 $00:58:16.690 \longrightarrow 00:58:18.725$  the terms is because either way,

 $00:58:18.725 \longrightarrow 00:58:20.760$  the assumption is essentially the same.

 $00:58:20.760 \longrightarrow 00:58:23.130$  Like you still have to make this assumption about

 $00:58:23.130 \longrightarrow 00:58:25.110$  no unobserved moderators.

 $00{:}58{:}25.110 \dashrightarrow 00{:}58{:}27.680$  It's just that it's probably gonna be a stronger assumption

 $00:58:27.680 \longrightarrow 00:58:29.544$  and harder to believe,

 $00:58:29.544 \longrightarrow 00:58:33.400$  when transporting rather than when generalizing.

 $00:58:33.400 \longrightarrow 00:58:36.470$  Cause you sort of know that you're going from one place

 $00:58:36.470 \longrightarrow 00:58:38.053$  to another in some sense.

 $00:58:39.380 \longrightarrow 00:58:40.500$  - Thanks, makes sense.

00:58:40.500 --> 00:58:41.333 - Sure.

 $00:58:42.560 \longrightarrow 00:58:44.540$  - I think there's another question in the chat.

 $00{:}58{:}44.540 \dashrightarrow 00{:}58{:}46.410$  - Yeah, so this is a great question.

 $00:58:46.410 \longrightarrow 00:58:48.400$  I'm glad shows you on.

 $00:58:48.400 \longrightarrow 00:58:50.220$  I hope I got that.

 $00{:}58{:}50.220 \dashrightarrow 00{:}58{:}52.530$  It seems there are multiple ways to calculate the Tate

 $00{:}58{:}52.530 \dashrightarrow 00{:}58{:}55.420$  from standardization to waiting to the outcome model.

 $00{:}58{:}55.420 \dashrightarrow 00{:}58{:}57.420$  Do you have comments for their performance under different

00:58:57.420 --> 00:58:58.420 circumstances?

 $00{:}58{:}58.420 \dashrightarrow 00{:}59{:}00.590$  Great question, and I don't.

 $00:59:00.590 \longrightarrow 00:59:01.890$  I mean, there has been...

 $00:59:01.890 \longrightarrow 00:59:03.900$  This is an area where I think

 $00:59:03.900 \longrightarrow 00:59:06.300$  it'd be great to have more research on this topic.

 $00{:}59{:}06.300 \dashrightarrow 00{:}59{:}09.490$  So I have this one paper with Holger Kern and Jennifer Hill

 $00:59:09.490 \longrightarrow 00:59:14.080$  where we sort of did try to kind of explore that.

 $00:59:14.080 \longrightarrow 00:59:16.090$  And honestly, what we found not surprisingly

 $00:59:16.090 \dashrightarrow 00:59:20.080$  is that if that no unmeasured moderator assumption holds,

 $00:59:20.080 \longrightarrow 00:59:22.650$  all the different methods are pretty good and fine.

 $00:59:22.650 \longrightarrow 00:59:25.030$  And like, we didn't see much difference in them.

 $00{:}59{:}25.030$  -->  $00{:}59{:}27.650$  If that no unobserved moderator assumption doesn't hold

 $00:59:27.650 \longrightarrow 00:59:28.840$  then of course, none of them are good.

 $00{:}59{:}28.840 \dashrightarrow 00{:}59{:}31.843$  So it sort of is like similar to propensity score world.

00:59:33.097 --> 00:59:35.240 Like, the data you have is more important than what you do

 $00:59:35.240 \longrightarrow 00:59:36.653$  with the data in a sense.

 $00:59:37.540 \longrightarrow 00:59:39.730$  But anyway, I think that is something that like,

 $00:59:39.730 \longrightarrow 00:59:41.535$  we need a lot more work on.

 $00{:}59{:}41.535 \dashrightarrow 00{:}59{:}44.640$  One thing, for example, I do have a student working on this.

00:59:44.640 --> 00:59:47.480 Like, we're trying to see if your sample

 $00:59:47.480 \longrightarrow 00:59:50.630$  is a tiny proportion of the population, like how...

 $00:59:50.630 \longrightarrow 00:59:51.670$  Cause like there's different.

 $00{:}59{:}51.670 \dashrightarrow 00{:}59{:}54.250$  That's one where like waiting might not work as well

 $00:59:54.250 \longrightarrow 00:59:55.250$  actually, who knows.

00:59:56.260 --> 00:59:58.320 Anyways, so like all of these different data scenarios,

00:59:58.320 --> 01:00:00.860 I think need a lot more investigation to have better

 $01:00:00.860 \dashrightarrow 01:00:03.743$  guidance on when the different methods work well.

01:00:09.390 --> 01:00:10.950 Anything else or maybe we're out of time?

01:00:10.950 --> 01:00:13.953 I don't know, how tight you are at one o'clock.

 $01:00:20.030 \dashrightarrow 01:00:21.980$  - I think we're at an hour, so let's...